## Diplomarbeit

## Experimental and Numerical Studies on Autoignition and Extinction, properties of DME/ Ethanol fuel mixtures

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# Experimental and Numerical Studies on Autoignition and Extinction, properties of DME/ Ethanol fuel mixtures 

Diploma Thesis

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#### Abstract

Isomers are characterized by the same molecular formula yet different chemical structures. This study is concerned with the non-premixed combustion of the isomers of $\mathrm{C}_{2} \mathrm{H}_{6} \mathrm{O}$; dimethyl ether (DME) and ethanol. They have the same number of atoms of each element yet completely different properties due to the different molecular structures. Experimental and numerical studies are carried out employing the counterflow configuration.

In the counterflow configuration, two axisymmetric reactant streams flow from opposite directions toward a stagnation plane. One stream, called the oxidizer stream, is a mixture of oxygen and nitrogen and the other stream, called the fuel stream, is a mixture of fuel and nitrogen. The fuels considered are DME, ethanol and mixtures of DME and ethanol. The Reynolds numbers of the flow are considered to be large. A thin viscous boundary layer establishes in the vicinity of the stagnation plane, at a position where the flux of the reactants that enter the reaction zone, are in stoichiometric proportions.

Critical conditions of autoignition and extinction are measured. These conditions depend on the characteristic flow time and the characteristic chemical time. The characteristic flow time is given by the strain rate. The chemical time depends on the adiabatic flame temperature and the stoichiometric mixture fraction. Critical conditions of autoignition are measured under ambient pressure at fixed values of the mass fractions of fuel equal to 0,4 . At fixed values of strain rate the temperature at autoignition of mixtures of DME and ethanol is higher than that of pure ethanol and pure dimethylether, which is approximately equal at low strain rates. At higher values of strain rate, the temperature at autoignition of DME is higher than both that of ethanol as well as mixtures of them. Critical conditions of extinction are measured for mixtures of DME and ethanol. The mass fractions of the reactants are chosen so that the adiabatic flame temperature and stoichiometric mixture fraction are the same. The strain rate at extinction is found to be positively correlated to an increase of DME in the combustible mixture.


## Kurzfassung

Die vorliegende Arbeit beschäftigt sich mit der nicht vorgemischten Verbrennung vom Isomer $\mathrm{C}_{2} \mathrm{H}_{6} \mathrm{O}$ : Dimethylether (DME) und Ethanol. Isomere sind charakterisiert durch die gleiche allgemeine Summenformel aber ungleiche chemische Struktur. Dadurch weisen DME und Ethanol sehr unterschiedliche chemische und physikalische Eigenschaften auf. Um die Eigenschaften und Unterschiede während der Verbrennung zu quantifizieren, werden kritische Zustände der Selbstentzündung und Erlöschung in einem Gegenstrombrenner sowohl auf experimentellem Wege, als auch mit Hilfe von numerischen Simulationen untersucht. Für die numerischen Simulationen wird ein reduzierter detaillierter chemischer Reaktions-Mechanismus entwickelt.

In einem Gegenstrombrenner werden zwei Ströme, nämlich der Oxidationsstrom und der Brennstoffstrom entgegengesetzt axial symmetrisch ausgerichtet, sodass eine Stauebene zwischen ihnen entsteht. Der Oxidationsstrom besteht aus einer Mischung aus Sauerstoff und Stickstoff, der Brennstoffstrom besteht aus einer Mischung aus DME, Ethanol bzw. einer Mischung aus den beiden Brennstoffen und Stickstoff. In der Nähe der Stauebene entsteht eine dünne viskose Grenzschicht, in der die Ströme in stöchiometrischem Verhältnis stehen.

Die kritischen Bedingungen der Selbstentzündung und Erlöschung hängen vorwiegend von der Verweilzeit der Reaktionspartner (abhängig von der Strömungsgeschwindigkeit des Gases) und der chemischen Reaktionszeit (abhängig von der adiabaten Flammentemperatur und vom Mischungsbruch) in der Grenzschicht ab. Das Selbstentzündungs-Experiment wird bei konstant gehaltenem Brennstoffmassenanteil durchgeführt. Bei niedrigen Strain-Rates werden bei Mischungen von DME und Ethanol höhere Selbstentzündungs-Temperaturen gemessen als bei purem DME und purem Ethanol, die in etwa gleiche Selbstentzündungs-Temperaturen aufweisen. Bei höheren Strain-Rates ist die Selbstentzündungs-Temperatur von DME höher als die von Ethanol und Mischungen von DME und Ethanol. Die kritische Bedingung der Erlöschung der Flamme wurde bei konstant gehaltener adiabaten Flammentemperatur und konstant gehaltenem stöchiometrischen Mischungsbruch eruiert. Mit steigendem Ethanol-Anteil im Brennstoff sinkt die Erlöschungs-Strain-Rate.

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## List of Symbols

$A \quad$ pre-exponential Factor for Arrhenius Equation
$A_{1} \quad$ fuel duct area $\left[\mathrm{m}^{3}\right]$
$A_{2} \quad$ oxidizer duct area [ $\mathrm{m}^{3}$ ]
$A_{\text {curt,1 }} \quad$ fuel curtain area $\left[\mathrm{m}^{3}\right]$
$A_{\text {curt, } 1} \quad$ oxidizer curtain area [m ${ }^{3}$ ]
$A_{\text {rad }} \quad$ surface of the thermocouple wire and bead $\left[\mathrm{m}^{2}\right]$
$A_{w} \quad$ surface of the thermocouple wire $\left[\mathrm{m}^{2}\right]$
$a_{1} \quad$ fuel duct strain rate [1/s]
$a_{2} \quad$ oxidizer duct strain rate [1/s]
$c_{p} \quad$ Specific heat capacity (isobaric) [J/kgK]
$d_{s c} \quad$ diameter of the oxidizer screen [m]
$d_{w} \quad$ diameter of the thermocouple wire [m]
Da Damköhler number [-]
$E_{A} \quad$ activation energy [cal/mol]
$E_{b} \quad$ activation energy for a backward reaction [cal/mol]
$E_{f} \quad$ activation energy for a forward reaction [cal $\left./ \mathrm{mol}\right]$
$F_{\text {sc }} \quad$ view factor of the oxidizer screen [-]
$F_{\text {sur,lower }}$ view factor of the upper surroundings [-]
$F_{\text {sur,upper }}$ view factor of the lower surroundings [-]
$\Delta H$ heat of reaction [cal/mol]
$k \quad$ reaction rate constant
$k_{f} \quad$ thermal conductivity of air [W/mK]
$L \quad$ distance between the fuel duct and the oxidizer duct [mm]
$L_{2} \quad$ distance between the thermocouple bead and the lowest oxidizer screen [m]
$L e_{\text {DME }}$ Lewis number dimethylether [-]
$L e_{\text {Eth }} \quad$ Lewis number ethanol [-]
$M_{a i r} \quad$ molecular weight air [g/mol]
$M_{D M E} \quad$ molecular weight dimethyl ether [ $\mathrm{g} / \mathrm{mol}$ ]
$M_{\text {Eth }} \quad$ molecular weight ethanol $[\mathrm{g} / \mathrm{mol}]$
$M_{N_{2}} \quad$ molecular weight nitrogen [ $\mathrm{g} / \mathrm{mol}$ ]

| $M_{O_{2}}$ | molecular weight oxygen [g/mol] |
| :---: | :---: |
| $\dot{m}_{1}$ | mass flux of the fuel stream [ $\mathrm{kg} / \mathrm{s}$ ] |
| $\dot{m}_{2}$ | mass flux of the oxidizer stream [kg/s] |
| $N u_{\text {cyl }}$ | Nusselt number [-] |
| $p$ | ambient pressure [ Pa ] |
| $Q_{\text {Eth }}$ | heat release of ethanol [ $\mathrm{J} / \mathrm{mol}]$ |
| $Q_{\text {DME }}$ | heat release of dimethyl ether [ $\mathrm{J} / \mathrm{mol}$ ] |
| $\dot{Q}_{\text {cat }}$ | heat flow loss due to surface-induced catalytic reactions [W] |
| $\dot{Q}_{\text {cond }}$ | heat flow loss due to conduction [W] |
| $\dot{Q}_{\text {conv }}$ | heat flow loss due to convection [W] |
| $\dot{Q}_{\text {rad }}$ | heat flow loss due to radiation [W] |
| $R$ | gas constant [J/molK] |
| $R e$ | Reynolds number of air [-] |
| T | absolute temperature (Arrhenius equation) [K] |
| $T_{1}$ | temperature of the stream at the fuel duct exit [K] |
| $T_{2}$ | temperature of the stream at the oxidizer duct exit [K] |
| $T_{f}$ | film temperature [K] |
| $T_{\text {sur }}$ | surrounding temperature [K] |
| $T_{t c}$ | temperature measured by the thermocouple [K] |
| $t_{c}$ | chemical time (reactive time) [ s ] |
| $t_{m}$ | time of transport and mixing of reactants (convective and diffusive time) [s] |
| V | volume (energy balance thermocouple) [ $\mathrm{m}^{3}$ ] |
| $V_{1}$ | normalcomponent of the velocity of the fuel stream at the duct exit [ $\mathrm{m} / \mathrm{s}$ ] |
| $V_{2}$ | normalcomponent of the velocity of the oxidizer stream at the duct exit [ $\mathrm{m} / \mathrm{s}$ ] |
| $\dot{V}_{a i r, 2}$ | volume stream of air (oxidizer stream) [m ${ }^{3} / \mathrm{s}$ ] |
| $\dot{V}_{\text {CURT, }}$ | volume stream of the fuel curtain [ $\mathrm{m}^{3} / \mathrm{s}$ ] |
| $\dot{V}_{\text {CURT, } 2}$ | volume stream of the oxidizer curtain [ $\mathrm{m}^{3} / \mathrm{s}$ ] |
| $\dot{V}_{\text {DME, }}$ | volume stream of dimethyl ether (fuel stream) [ $\mathrm{m}^{3} / \mathrm{s}$ ] |
| $\dot{V}_{E t h, 1}$ | volume stream of ethanol (fuel stream) [ $\mathrm{m}^{3} / \mathrm{s}$ ] |
| $\dot{V}_{N, 1}$ | volume stream of nitrogen (fuel stream) [ $\mathrm{m}^{3} / \mathrm{s}$ ] |
| $\dot{V}_{N, 2}$ | volume stream of nitrogen (oxidizer stream) [ $\mathrm{m}^{3} / \mathrm{s}$ ] |
| $\dot{V}_{S L M, i, j}$ | volume stream scaled to the normal temperature [ $\mathrm{m}^{3} / \mathrm{s}$ ] |
| $v_{\text {rel, curt }}$ | relative velocity of the curtain to the inner duct [-] |
| $X_{a i r, 2}$ | air mass fraction of oxidizer stream [-] |
| $X_{\text {DME, } 1}$ | dimethyl ether mass fraction of fuel stream [-] |


| $X_{e t h, 1}$ | ethanol mass fraction of fuel stream [-] |
| :---: | :---: |
| $X_{N_{2}, 1}$ | nitrogen mole fraction fuel stream [-] |
| $X_{N_{2}, 2}$ | nitrogen mole fraction oxidizer stream [-] |
| $X_{O_{2,2}}$ | oxygen mole fraction oxidizer stream [-] |
| $Y_{\text {air }, 2}$ | air mass fraction of oxidizer stream[-] |
| $Y_{\text {DME, }}$ | dimethyl ether mass fraction fuel stream [-] |
| $Y_{\text {Eth,1 }}$ | ethanol mass fraction fuel stream[-] |
| $Y_{N_{2}, 1}$ | nitrogen mass fraction fuel stream [-] |
| $Y_{N_{2}, 2}$ | nitrogen mass fraction oxidizer stream [-] |
| $Y_{O_{2}, 2}$ | oxygen mass fraction oxidizer stream [-] |
| $Z$ | mixture fraction [-] |
| $Z_{s t}$ | stoichiometric mixture fraction [-] |
| $\beta$ | temperature exponent [-] |
| $\varepsilon_{t h}$ | emissivity of the thermocouple [-] |
| $\rho$ | density [ $\mathrm{kg} / \mathrm{m}^{3}$ ] |
| $\rho_{1}$ | density at the fuel duct exit [ $\mathrm{kg} / \mathrm{m}^{3}$ ] |
| $\rho_{2}$ | density at the oxidizer duct exit [ $\mathrm{kg} / \mathrm{m}^{3}$ ] |
| $\sigma$ | Stefan-Boltzmann constant 5,67e-8 $\left.\mathrm{W} / \mathrm{m}^{2} \mathrm{~K}^{4}\right]$ |

## Subscripts

fuel duct side<br>oxidizer duct side<br>burned<br>unburned

## Nomenclature

| CIDI | Compression-Ignition Direct-Injection |
| :--- | :--- |
| CO | Carbon Monoxide |
| $\mathrm{CO}_{2}$ | Carbon Dioxide |
| DME | Dimethyl ether |
| LHV | Lower Heating Value |
| LLNL | Lawrence Livermore National Laboratory |
| LPG | Liquefied Petroleum Gas |
| MFC | Mass Flow Controller |
| MM | Merged mechanism |
| $\mathrm{NO}_{x}$ | Nitrogen Oxides |
| PID | Proportional Integral Derivative |

## Chapter 1

## Introduction

The use of fossil fuels dates back over 500000 years, mainly as a source for heat and light. The first use of combustion to produce energy on an industrial scale emerged with the development of the steam engine in the $18^{\text {th }}$ century. In the last centuries, fossil fuels have had a tremendous impact on the economic progress. The use of combusting fossil fuels in transportation, manufacturing and the production of electric power has led to the economic vitality of the modern world. Fossil fuels are not only used as an energy source, but also as the basis for a variety of chemical products making them one of the most important resources in modern times.

From a chemical perspective, combustion can be simplified as the transformation of chemical bond energy into thermal energy. The reactants, in this case fuels, are converted into the products. This simplification shows two of the biggest challenges of the modern world: to ensure the supply of fuels and to deal with the products. Fossil fuels are a limited resource that will eventually deplete. Hence, it is very important to search for alternatives and develop infrastructure that can gradually replace fossil fuels. Dealing with the products and the resulting change in climate has grown to become one of the biggest problems of the modern world. Particularly the last few decades have had a huge impact on the environment due to the increasing consumption of fossil fuels. In effect, several governments have restricted emissions in various sectors including transportation. California was one of the first states to restrict the emissions from vehicles and factories. This forced the industry not only to make the conversion of energy more efficient; but to also use renewable energy sources and search for alternatives.

Combustion is a very complex process in which only limited knowledge exists. In a flame thousands of reactions take place in a small lengths scale and in a very short amount of time. The autoignition of most fuels involves a one-stage process of high temperature chemistry. However, some fuels autoignite in a two-step process in which a transient cool flame (650-950K) appears before a hot flame ( $>2000 \mathrm{~K}$ ) is established. The existence of cool flames strongly depends on the structure of the fuel molecule. For example, a cool flame occurs readily for dimethyl ether (DME) $\mathrm{CH}_{3} \mathrm{OCH}_{3}$, but not for its isomer for ethanol $\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}$. With a better knowledge of cool flames the efficiency of spark ignition internal combustion engines (pre-ignition, knocking) and diesel engines can be improved, thus eventually leading to lower emissions. A better knowledge of cool flame reaction rates would especially help HCCl research. [1-3]

This thesis deals with the isomers of $\mathrm{C}_{2} \mathrm{H}_{6} \mathrm{O}$ : dimethyl ether (DME; $\mathrm{CH}_{3} \mathrm{OCH}_{3}$ ) and ethanol $\left(\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}\right)$. These are potential alternative fuels for applications in internal combustion engines. DME and ethanol are not only used as alternative fuels, they are also used as additive fuels for gasoline and diesel. [4, 5] To better understand the combustion of DME, ethanol and the mixtures of these fuels, critical conditions of extinction and autoignition are studied under ambient pressure.

Fundamental experimental data is very important as a reference for simulations and therefore for improving, calibrating and testing mechanisms.

### 1.1 Tested fuels

Ethanol is predicted to be an alternative for fossil fuels in spark-ignited internal combustion engines. Due to its high octane number ( $\sim 110$ ) it is also used as anti knock addition to gasoline. DME is predicted to be an alternative for diesel engines due its high cetane number (55-60). As mentioned previously DME and ethanol are isomers of $\mathrm{C}_{2} \mathrm{H}_{6} \mathrm{O}$. This means they have the same amount of atoms of each element: carbon, hydrogen and oxygen. The fact that DME and ethanol are isomers makes the combustion comparison very interesting. The properties of DME and ethanol can be found in Table 1.1.

Table 1.1: Properties of dimethyl ether (gaseous) and ethanol (liquid) [6-8]

|  | Dimethyl ether | Ethanol |
| :--- | :--- | :--- |
| Chemical structure |  |  |
|  |  |  |
| Chemical structure | $\mathrm{CH}_{3} \mathrm{OCH}_{3}$ | $\mathrm{CH}_{3} \mathrm{CH}_{2} \mathrm{OH}$ |
| Molecular weight $[\mathrm{g} / \mathrm{mol}]$ | 46.07 | 46.07 |
| Carbon content $[\mathrm{wt} . \%]$ | 52.2 | 52.2 |
| Cetane number | $55-60$ | --- |
| Octane number $[\mathrm{RON}]$ | --- | 110 |
| Density $\left[\mathrm{kg} / \mathrm{m}^{3}\right]$ @298K | 1,86 | 785 |
| Normal boiling point $\left[{ }^{\circ} \mathrm{C}\right]$ | -24.9 | 78 |
| LHV $[\mathrm{MJ} / \mathrm{kg}]$ | 28,62 | 26,87 |
| Heat of vaporization $[\mathrm{KJ} / \mathrm{kg}]$ | 467 | 900 |
| Vapor pressure $[\mathrm{kPa}]$ @298,1K | 596,21 | -- |

### 1.1.1 Dimethyl Ether

Dimethyl ether (DME) has the chemical formula $\mathrm{CH}_{3} \mathrm{OCH}_{3}$ and is the simplest ether. Due to its low normal boiling point $\left(-24,9^{\circ} \mathrm{C}\right)$ DME is gaseous at 1 atm and liquid above $6,1 \mathrm{~atm}$ at $20^{\circ} \mathrm{C}$. During combustion DME displays a visible blue flame and has an ether-like scent. These are important safety indicators for its use in stoves and similar applications. Furthermore, its similar properties to LPG enable handling in LPG infrastructures with small modifications.

Its high cetane number (55-60) that is comparable to that of diesel (55) makes it an attractive alternative. Compared to diesel the use of DME in CIDI engines leads to less emissions of nitrogen oxides $\mathrm{NO}_{\mathrm{x}}$, hydrocarbons and carbon monoxide CO. Moreover, the combustion of DME produces less particulate matter and enables soot free operation. However, the energy by mass of DME $(28,62 \mathrm{KJ} / \mathrm{kg})$ is lower than the energy by mass of diesel $(41,66 \mathrm{KJ} / \mathrm{kg})$, resulting in higher fuel consumption during combustion. Thus, a larger fuel storage tank is required and a larger volume must be injected into the engine cylinder to obtain the same combustion performance as diesel. [9]

Compared to other fuels DME is non-mutagenic, non-toxic and non-carcinogenic. It does not corrode any metals and it does not cause ozone layer depletion as a result
of its quick decomposition in the troposphere. Another big advantage of DME is the fact that it does not contain sulfur or nitrogen. [6]

Two different methods are used to produce DME, the conventional indirect synthesis and the recently developed direct synthesis. The primary feedstock used for both methods is synthesis gas (syngas). Since methane is crucial for the production of syngas, the primary source of the production of DME is natural gas obtained through steam reforming. Methane can also be generated through the gasification of waste material, various bio sources and coal. The variety of suitable renewable raw material makes DME very interesting as alternative fuel.

The indirect synthesis takes place in two steps: first synthesis gas (syngas) is converted to methanol and then the methanol is dehydrated to DME.


Figure 1.1: In-direct Synthesis and Direct Synthesis of syngas to DME
During direct synthesis, both the methanol synthesis and the dehydration process take place in the same reactor. Methanol preparation is avoided, making this method more economically efficient since the thermodynamic limitations of methanol synthesis can be obviated. [6, 8, 9]

### 1.1.1 Ethanol

Ethanol has the chemical formula $\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}$. It has a long history of production for humankind, initially produced through fermentation for alcoholic beverages, later used as lamp oil in the 1800's and then used as fuel for internal combustion engines by the $19^{\text {th }}$ century. Today ethanol is considered to be one of the most common
alternative fuels of the future and serves as the most widely used bio fuel. It is used as a substitute for petrol or as blend for gasoline. During combustion, ethanol shows a visible blue flame.

The hydroxyl moiety has a big influence on ethanol's physical properties. Thus, it is liquid at room temperature making it very suitable for the use as a fuel for transportation. Ethanol is miscible with water because the hydroxyl moiety introduces a dipole moment to the non-polar hydrocarbon backbone. Ethanol has a higher octane number than gasoline. The octane number is very important for spark ignited internal combustion engines. A high octane number is a measure of gasoline quality, which is important for preventing early ignition and thus cylinder knocking. Combustion engines that run with high octane number fuels can operate at higher compression ratios, which increases efficiency. Using ethanol as fuel in internal combustion engines can decrease thermal losses and increase power output due to higher latent heat of vaporization and lower flame temperatures than petroleum based fuels. However, the high latent heat of vaporization of ethanol can cause problems when starting a combustion engine under cold conditions. Another disadvantage of ethanol compared to gasoline is the fact that the energy by mass of ethanol $(26,87 \mathrm{KJ} / \mathrm{kg})$ is lower than that of gasoline ( $43,47 \mathrm{KJ} / \mathrm{kg}$ ), resulting in higher fuel consumption during combustion.[6] Thus, a larger fuel storage tank is required to ensure the same range of driving. Furthermore, some parts have to be adapted due to ethanol's corrosiveness.

Currently the most common way to produce ethanol is by fermentating grain and sugar. Using grain and sugar as feedstock for the production of ethanol causes ethical and physical problems. The production of these raw materials conflicts with the production of food for animals and humans and its availability can vary from season to season. To avoid these problem lignocelluloses is seen as a promising alternative feedstock for the future due to its high availability and lower costs. However, the implementation in large-scale industrial production has not been possible yet due to conversion problems. [10-12]

### 1.2 Counter flow combustion

A flame can be characterized either as premixed or non-premixed. In gasoline powered engines the fuel and oxidizer are provided premixed. In diesel engines the fuel and oxidizer are non-premixed; mixing occurs simultaneously with the combustion process. A candle flame is an easy example of a non-premixed laminar diffusion flame, were the fuel and the oxidizer mix simultaneously with the combustion process. Surrounding air diffuses into the flame due to buoyancy. By blowing air into the candle, the flame temperature increases due to an increase of oxygen delivered into the diffusion zone. If the velocity of oxygen reaches a certain level, the flame extinguishes; the candle goes out. A candle is an example how variations of flow and velocity can influence combustion. In internal combustion engines this phenomena is called quenching, which can occur through high turbulences. Even though it is very turbulent in a combustion chamber during combustion, it is locally laminar on a micro scale. [2]

To investigate combustion behavior premixed and diffusion flames are used. In order to obtain a premixed flame, the reactants (fuel and the oxidizer) are premixed before they enter the reaction zone. A premixed flame has a finite velocity. If the reactants are not pre-mixed the reactants mix in the same region the combustion takes place. Compared to the premixed flame, the diffusion flame does not propagate. To simulate laminar diffusion flames counter flow configurations are commonly used.

The most important parts are the oxidizer duct and the fuel duct. The ducts are opposite from each other and the distance between them can be varied. In the configuration set up for this experiment, the distance is $L=14,5 \mathrm{~mm}$ for the autoignition experiment and $\mathrm{L}=12,5 \mathrm{~mm}$ for the extinction experiment.


Figure 1.2: Section few of the counter flow setup showing an established diffusion flame
The exit of the fuel duct is called the fuel boundary and the exit of the oxidizer duct is called oxidizer boundary. In the counterflow configuration two axisymmetric reactant streams flow from opposite directions towards a stagnation plane. The stream coming from the oxidizer duct, called oxidizer stream, is a mixture of oxygen and nitrogen. The stream coming from the fuel duct, called fuel stream, is a mixture of fuel and nitrogen. The flows are considered steady, axisymmetric and laminar. The Reynolds numbers of the flows are large. A thin viscous boundary layer establishes near the stagnation plane in a narrow zone between the oxidizer duct and the fuel duct. A flame stabilizes in the viscous boundary, which is the region with the maximum energy output. Hence, this is the position where the fluxes of the reactants that enter the reaction zone are in stoichiometric proportions. Since diffusion only occurs in a very thin layer, the combustion zone becomes a flame sheet. Nitrogen curtains surround the ducts. The combustion in a counter flow burner is mainly dependant on the chemical reaction time and the velocity of the flow of the fuel and the flow of the oxidizer. If the fuel and oxidizer velocity exceed a certain value, the
reaction of the fuel and the oxidizer ends abruptly. This is called the extinction of the flame. [2, 12, 13]

### 1.3 The Arrhenius Law

It is essential to understand the molecular basis of the temperature dependence of the rates of most reactions in order to develop a chemical kinetic mechanism. Arrhenius describes the temperature dependence of the rate constant of a reaction as:

$$
\begin{equation*}
k=A T^{\beta} e^{-\frac{E_{A}}{R T}} \tag{1.1}
\end{equation*}
$$

Where $k$ is the reaction rate constant, $A$ is the pre-exponential factor $\left[1 / \mathrm{K}^{\beta} \mathrm{s}\right], \beta$ is the temperature exponent $[-], T$ is the absolute temperature $[\mathrm{K}], R$ is the gas constant [ $\mathrm{J} / \mathrm{molK}$ ] and $E_{\mathrm{A}}$ is the activation energy [ $\left.\mathrm{J} / \mathrm{mol}\right]$.

To start a chemical reaction a minimum amount of energy, called the activation energy, is needed. In Figure 1.3 the chemical bond energy over the reaction coordinate for the reaction $A+B \rightleftharpoons C+D$ is shown. Starting with the reactants $A$ and $B$ a transition term $A B$ is formed, which has a higher activation energy than the reactants. By decomposing the transition term to the products, not only is the activation energy rereleased, the heat of reaction $\Delta H$ is also released (exothermic reaction). The heat of reaction is the maximum theoretical energy that can be generated by an exothermic reaction. [14, 15]


Figure 1.3: Schematic figure of the chemical bond energy as function of the reaction coordinate [14]

### 1.4 S-shaped curve

The Damköhler number $D a$ is the ratio of the characteristic time of convection and diffusion $t_{\mathrm{m}}$ (residence time) to the characteristic chemical reaction time $t_{c}$ of combustion. The chemical time $t_{c}$ depends on the fuel and is an indicator for the reactivity of a fuel. The time of transport and mixing of reactants depends on the properties of the flow field.

$$
\begin{equation*}
D a=\frac{t_{m}}{t_{c}} \tag{1.2}
\end{equation*}
$$

High Damköhler numbers indicate fast chemical reactions, whereas low Damköhler numbers indicate slow chemical reactions. Since the time of transport and mixing of reactants $t_{\mathrm{m}}$ is large in a diffusion flame the Damköhler number is very high.

To describe a flame the S-shaped curve is a very useful tool. It can be determined by calculating the maximum temperature in a flow field. The S-shaped curve is characterized by two stable branches; the upper branch and the lower branch, and by one unstable branch in the middle. The upper branch represents the temperature of the burning flame at different strain rates; the lower branch represents the temperature of the non-burning mixture at different strain rates.


Figure 1.4: S-shaped curve: $\mathrm{Da}_{\mathrm{I}}$ represents the Damköhler number at ignition, $\mathrm{Da}_{\mathrm{E}}$ represents the Damköhler number at extinction, $T_{1}$ or $T_{2}$ are the temperatures of the fuel and oxidizer stream depending on which one is higher, $T_{a d}$ is the adiabatic flame temperature and $a_{2}$ is the oxidizer strain rate [2]

At high strain rates, two opposite streams can mix as frozen flow where the temperature is equal to the higher temperature of the two streams (lower branch). By decreasing the strain rate the Damköhler number increases because of a rise in residence time of the reactants. Due to exothermic reactions, the temperature rises to a critical point where no steady state solution in the non-burning region can be provided. The mixture autoignites. The maximum temperature of the flame is shown by the upper branch of the S-shaped curve.

An increase of the strain rate in the upper regime is accompanied by a decrease in the residential time of the reactants in the mixing layer. At a certain strain rate the flame extinguishes. The lower branch now represents the maximum temperature of the flows. By replacing the temperature axis through the concentration of certain radicals like $\mathrm{O}, \mathrm{H}$, or OH similar S -shaped curves can be obtained. [2]

### 1.5 Strain rate

The strain rate is defined as the normal gradient of the normal component of the flow velocity. The strain rate at the oxidizer stream is different to the strain rate at the fuel stream. The strain rate $a_{2}$ at the oxidizer stream is given by

$$
\begin{equation*}
a_{2}=\frac{2\left|V_{2}\right|}{L}\left(1+\frac{\left|V_{1}\right| \sqrt{\rho_{1}}}{\left|V_{2}\right| \sqrt{\rho_{2}}}\right) \tag{1.3}
\end{equation*}
$$

with $\rho_{1}$ as the density of the fuel stream at the boundary $\left[\mathrm{kg} / \mathrm{m}^{3}\right]$ and respectively $\rho_{2}$ as the density of the oxidizer stream at the boundary $\left[\mathrm{kg} / \mathrm{m}^{3}\right]$. L stands for the distance [m] between the fuel duct and the oxidizer duct. $V_{1}$ and $V_{2}$ denote the normal components of the flow velocities [ $\mathrm{m} / \mathrm{s}$ ] for the fuel duct and for the oxidizer duct, respectively. The equation is developed from an asymptotic theory where the Reynolds numbers of the laminar flows at the duct exits are assumed to be large.[16] Equation (1.3) is reduced to the following simplification.

$$
\begin{equation*}
V_{2}=\frac{a_{2} L}{4} \tag{1.4}
\end{equation*}
$$

According to this equation the velocity of the oxidizer stream can be calculated with a given oxidizer strain rate.

## Chapter 2

## Experimental Setup

As shown in Figure 3.1 the experimental setup contains the oxidizer duct, the fuel duct, the piping, the vaporizer for vaporizing the liquid fuel, the mass flow controllers and the air, nitrogen and fuel supply. Both the oxidizer duct and the fuel duct are interchangeable in order to run different types of experiments.


Figure 2.1: Schematic illustration of the experimental setup. The figure shows the counterflow burner, the vaporizer and the nitrogen, fuel and air feed system

All lines between the vaporizer and the fuel duct are heated by heating tape to make sure that there is no condensation of fuel inside the piping. A process controller controls the heating tape.

### 2.1 Lower Part of the Burner

The burner (lower duct) mainly consists of two pipes, one for the fuel supply and one for the curtain that are arranged concentrically with the pipe of the fuel supply. To ensure a uniform velocity profile (plug flow profile) three screens are arranged at the exit of the fuel duct, which are held in place by 4 steel rings. The screens are made out of stainless steel with a mesh of 200 lines per inch. The exhaust is an annular section arranged concentrically around the curtain pipe, which draws the hot combustion products from the area where the combustion takes place.


Figure 2.2: Section view of the fuel duct

The exhaust is connected to the internal building extraction system, guaranteeing that the exhaust gases are properly removed from the area where combustion takes place. The exhaust gases are cooled on their way through six water sprays inside the cylinder that surrounds the ducts as shown in figure 3.2.

### 2.2 Upper Part of the Burner

Different types of upper parts (oxidizer ducts) are used for the autoignition and for the extinction experiments. The tops are interchangeable and connected to the lower part of the burner through three adjustable pins.

### 2.2.1 Autoignition

To measure the critical conditions of autoignition the oxidizer stream is heated up


Figure 2.3: Section view of the autoignition top
until it reaches the autoignition temperature of the air and fuel mixture. Due to this, a powerful heating element is the key part of the autoignition top. The oxidizer duct (quartz tube) surrounds the heating element. To ensure circular symmetric heating and autoignition in the middle of the flame zone the heating element and the quartz tube are aligned precisely. Since the heating element is very powerful ( $>2000 \mathrm{~K}$ ) the curtain duct, which is axisymmetric with the oxidizer duct, is also made out of quartz. All metal parts surrounding the quartz tube are cooled by water. To minimize heat losses the curtain duct is insulated. The screens used at the autoignition top are the same screens used at the fuel duct; the only difference is that the screens used at the autoignition top are made out of Inconel 600 in order to withstand high temperatures. Inconel rings prevent the screens from falling out and ensure the correct distance between the screens. Due to the fact that the screens are held in place by rings, the effective diameter of the oxidizer duct reduces to 23 mm .

### 2.2.2 Extinction

The extinction top consists of two concentric tubes that separate the oxidizer gas from the curtain gas.


Figure 2.4: Section view of the extinction top

Steel screens with the same mesh as the fuel duct screens are used to assure plug flow conditions at the extinction top. Since the screens are held in place by rings the effective diameter of the oxidizer duct reduces to 23 mm .

### 2.3 Gas and Fuel Supply

In the experiments carried out for this thesis, ethanol is supplied via a syringe pump, which is directly hooked up with the vaporizer. High-pressure bottles ensure the supply of nitrogen and DME. Air is supplied through the internal pressurized air supply system.

### 2.3.1 Vaporizer

The experiments are carried out with gaseous fuels. Hence, ethanol needs to be vaporized since it is liquid under normal conditions. Simplified, the vaporizer consists of a heated aluminum box where the liquid fuel is sprayed in. The case, nozzle, cooling plate and heating elements are the main parts of the vaporizer. The nozzle vaporizes the ethanol and the nitrogen/ dimethylether serves as carrier gas to pick up the vaporized ethanol. To ensure that there is no re-condensation of the fuel, the entire vaporizer is heated through a heating plate and heating tape. The nozzle is cooled by a cooling plate attached to the bottom to avoid vaporization which would influence the constant flow.

The nozzle is one of the most important parts of the vaporizer to ensure proper vaporization. The high thermal conductivity of aluminum makes it suitable as case material. Since ethanol is very corrosive to aluminum, high temperatures need to be avoided. Thus the design of the nozzle alone should guarantee proper atomization. The required flow rates of liquid fuel are between $0 \mathrm{ml} / \mathrm{min}$ and $15 \mathrm{ml} / \mathrm{min}$. To get the highest possible degree of evaporation a Siphon Set-up is used. Siphon Set-ups provide the lowest flow rates compared to Internal and External Mix Set-ups.

## Used nozzle Set-up:

- BETE FOG NOOZLE XA SR 050
- FLUID CAP FC07
- AIR CAP AC1201/ ¼ XA 05

The technical details for the used Set-up are attached in the appendix D.


Figure 2.5: New nozzle and cooling plate
The cooling plate (detailed dimensions in appendix D) and the positions of the connections are designed to fit on the existing vaporizer. The cooling plate is attached to the vaporizer via four fasteners. It consists of an aluminum plate, the fittings and a stainless steel tube. The used coolant is deionized water with a temperature of 296 K from the internal building extraction system.

### 2.4 Controlling Software

Since the experimental procedure requires a lot of data processing, it is not possible to handle the experiments without software. For this purpose, software was built in LabView that controls all inputs and outputs. The software was improved over the last years and adopted for high-pressure experiments. It shows all the important data in a graphical user interface.

Chapter 2:
Experimental Setup


Figure 2.6: Graphical user interface of the LabView based software with typical settings for autoignition before starting heating up

To avoid manual failures the software is designed to emit different kinds of errors and show limits of feasibility such as too high strain rates. By hitting the save button all important data is saved as a text file including the flow rates, velocities, mass fractions, mol fractions, temperatures, densities and the pressure. Also the calibration of the mass flow controllers are included in the software. Since several parameters change during the experiment, the properties are recalculated and refreshed every two seconds.

### 2.4.1 Input parameters

To set up an experiment the software requires different types of parameters. In order to calculate the flow rate of the syringe pump the density of the liquid fuel is assumed to be constant. The values of the densities of the liquid fuels are the densities at $296^{\circ} \mathrm{K}$.

By setting the software either to autoignition or to extinction, it automatically sets the distance $L$ to the correct value.

The areas of the duct exits $A_{1}$ and $A_{2}$ and the areas of the curtains $A_{\text {curt, } 1}$ and $A_{\text {curt }, 2}$ are identical in order to obtain a concentric and steady state flame. Since the experiments in this setup take place under ambient pressure, the value of the pressure is set to 101200 Pa .

### 2.4.2 Calculated parameters

The mass fractions [-] of the fuel mixture are chosen to stay within the limitations of the experimental setup. The maximum flow rates of the mass flow controllers, the grade of vaporization of the liquid fuels and the temperatures restrict the range of data.

$$
\begin{equation*}
Y_{N_{2}, 1}=1-Y_{E t h, 1}-Y_{D M E, 1} \tag{2.1}
\end{equation*}
$$

By choosing the mass fractions for a composition of the fuel mixture the mol fractions can be calculated with

$$
\begin{equation*}
X_{i, 1}=\frac{\frac{Y_{i, 1}}{M_{i, 1}}}{\sum_{E t h, D M E, N_{2}} \frac{Y_{i, 1}}{M_{i, 1}}} \tag{2.2}
\end{equation*}
$$

where Eth stands for ethanol, $D M E$ for dimethyl ether and $N_{2}$ for the nitrogen added to the fuel stream. $M_{i, 1}$ is the molecular weight of the relevant element.

By using the ideal gas equation, the density of the oxidizer stream $\rho_{1}$ and the density of the fuel stream $\left[\mathrm{kg} / \mathrm{m}^{3}\right] \rho_{2}$ can be calculated $\left[\mathrm{kg} / \mathrm{m}^{3}\right]$.

$$
\begin{align*}
& \rho_{1}=\frac{p \sum_{i=D M E, E T H, N_{2}} X_{i, 1} M_{i, 1}}{R T_{1}}  \tag{2.3}\\
& \rho_{2}=\frac{p \sum_{i=a i r, N_{2}} X_{i, 2} M_{i, 2}}{R T_{2}} \tag{2.4}
\end{align*}
$$

The temperature of the fuel stream $T_{1}$ is constantly measured by a thermocouple that sits in the end of the fuel duct directly under the screens. The temperature of the oxidizer stream $T_{2}$ of the extinction experiment is set to 296 K ; the ambient temperature of the laboratory. In the autoignition experiment the temperature $T_{2}$ is constantly measured via a thermocouple below the last screen of the oxidizer duct. $R$ is the ideal gas constant $8,314[\mathrm{~J} / \mathrm{moIK}]$ and $p$ is the ambient pressure [Pa].

By introducing the momentum balance, the velocity of the fuel stream can be calculated.

$$
\begin{equation*}
V_{1}=\frac{V_{2}}{\sqrt{\frac{\rho_{1}}{\rho_{2}}}} \tag{2.5}
\end{equation*}
$$

The needed volume fluxes of the different elements in the fuel stream then are

$$
\begin{align*}
& \dot{V}_{N_{2}, 1}=X_{N_{2}, 1} V_{1} A_{1} \\
& \dot{V}_{D M E, 1}=X_{D M E, 1} V_{1} A_{1}  \tag{2.6}\\
& \dot{V}_{E t h, 1}=X_{E t h, 1} V_{1} A_{1}
\end{align*}
$$

and in the oxidizer stream

$$
\begin{align*}
& \dot{V}_{\text {air }, 2}=X_{a i r, 2} V_{2} A_{2} \\
& \dot{V}_{N_{2}, 2}=X_{N_{2}, 2} V_{2} A_{2} . \tag{2.7}
\end{align*}
$$

Since the curtains should adjust to the velocities of the streams it is necessary to set a relative velocity to the duct velocities. Thereby the velocity of the curtain stream will increase when the velocity of the oxidizer and fuel streams increases. In these experiments the relative velocities $v_{\text {relcurt, } 1}$ and $v_{\text {relcurt,2 }}$ are set to $0,5[-]$.

$$
\begin{align*}
\dot{V}_{\text {curt }, 1} & =v_{\text {relcur }, 1} V_{1} A_{1} \\
\dot{V}_{\text {curt }, 2} & =v_{\text {relcur }, 2} V_{2} A_{2} \tag{2.8}
\end{align*}
$$

To receive the volume fluxes in standard liters per minute they are scaled to standard temperature $273,15 \mathrm{~K}$ by using the ideal gas equation.

$$
\begin{equation*}
\dot{V}_{\mathrm{SLM}, \mathrm{i}, \mathrm{j}}=\dot{\mathrm{V}}_{\mathrm{i}, \mathrm{j}} \frac{273,15 \mathrm{~K}}{\mathrm{~T}_{\mathrm{i}, \mathrm{j}}} \tag{2.9}
\end{equation*}
$$

Since either the strain rate or the temperature constantly change during the experiment, the software runs these calculations every two seconds. This can also be initiated by hitting the apply button. A re-run also resets the mass flow controllers and the syringe pump to the new values.

### 2.5 Controlling Units

### 2.5.1 Mass Flow Controllers

The mass flow controllers (MFC) are connected to the software via two Teledyne PowerPod 400. The PowerPod provides a voltage for the MFC's that is linear to the mass flow rate. The integrated sensor of the MFC constantly provides information for the integrated control valve so that the sensor's measurement matches the set-point input.

Based on mass flow controllers set up for nitrogen the MFC's are calibrated for the maximum flow rate for each individual gas needed. The needed volume in standard liter per minute is set in the program and piped through the wet test meter. The wet test meter used is a Ritter TG $5 / 5-E R$ - drum-type gas meter. The wet test meter measures the volumetric flows of the gas by measuring the positive displacement of a rotating rigid chamber with a measuring unit over the time. Out of the set-point volume and the measured volumetric flow, the maximum flow rate is calculated and compared to that of the previous calibration process. These steps are repeated until the derivation of the mass flow reaches a tolerance less than $\pm 1 \%$.

### 2.5.2 Temperature Measurement

Different types of thermoelectric effect sensors, in short called thermocouples, are used for the temperature measurement. Thermocouples consist of two dissimilar metals that are connected by a bead at one end. A voltage can be measured if the junction of the two metals is subjected to temperature change. The voltage change is linked to the temperature change through a function. There is a wide variety of metals that can be used for thermocouples, in this experiment a type R thermocouple is used for the temperature measurement at the oxidizer duct exit in the autoignition experiment ( $T_{2}$ ). Type E thermocouples are used for the control of the temperature of the heated lines between the burner and the vaporizer and for the vaporizer itself. Each type E thermocouple is hooked up to a closed loop proportional integral derivative (PID) control. This ensures adequate temperature control of the heating tape due to constant measuring of the process temperature and application of an
appropriate duty cycle. To measure the temperature of the fuel stream another type E thermocouple sits inside the burner under the screens of the fuel duct $\left(T_{1}\right)$.

### 2.5.3 Exhaust System

The exhaust of the burner is connected to the in house deduction system. Thus, the combustion gases are sucked out of the combustion zone by a small vacuum without influencing the flame. The combustion gases are cooled by six water sprays to avoid further reactions and to avoid heating up the burner. The water is separated from the exhaust gases in a vertical tube.

## Chapter 3

## Experiments

### 3.1 Autoignition

### 3.1.1 Preparation

The method used for autoignition is the following: By choosing a certain strain rate, a flow field is established in the non-burning regime. Due to the high operation temperature it is important to heat up the autoignition top very slowly to avoid thermal stress. When approaching the expected autoignition temperature of a certain strain rate and mixture fraction, the increase in temperature is slowed down. By further increasing the temperature of the oxidizer stream the mixture autoignites. A highspeed camera is set up to document proper autoignition at a location close to the centerline where the highest temperatures are measured. The temperature measured milliseconds before autoignition is reported as the autoignition temperature. The described procedure is repeated for different values of strain rates and mixture fractions.


Figure 3.1: Snapshot of a mixture of DME and ethanol at autoignition. The left picture shows a blue flame shortly after the ignition process. The right picture shows a blue flame that already expanded horizontally along the surface of stoichiometry. The time interval between the left and the right picture is 4 milliseconds. The picture was taken at an oxidizer strain rate $a_{2}=165,52[1 / \mathrm{s}]$ and at a mass fraction of DME $Y_{D M E, 1}=0,24$ and ethanol $Y_{E t h, 1}=0,16$ in the fuel stream.

Figure 3.1 shows snapshots milliseconds after ignition occurred. The horizontal reflection in the flame in both pictures close to the centerline is one of three adjustable pins of the extinction top. The white reflection on the right top side of the pictures is the isolation (ceramic tube) of the support wires of the thermocouple used for measuring the oxidizer stream temperature.

### 3.1.2 Temperature correction

The autoignition temperature is measured by a Pt/13\%RhPt type $R$ thermocouple that is placed close to the last screen at the end of the oxidizer duct. To ensure a fast response of the thermocouple an unsheathed fine gage micro-temp thermocouple is used. Its quoted measuring range is 0 to $1450^{\circ} \mathrm{C}$ with the error limits of $1,5^{\circ} \mathrm{C}$ or $0,25 \%$. [17]

The wiring diameter of the thermocouple is $0,076 \mathrm{~mm}$ and the bead diameter of the welding is $0,21 \mathrm{~mm}$. The wires of the thermocouple are welded to two conductors for support. The conductors are routed separately through a ceramic tube to avoid shortcircuiting. The thermocouple is installed on a two-dimensional moveable mounting to guarantee proper positioning. This also ensures the repeatability of the measurements. The thermocouple and respectively the sensor wires are positioned horizontally and orthogonally to the gas flow to prevent heat conduction. A measured temperature profile close to the duct exit shows that the highest temperature is measured at a third of the diameter. The bead is positioned at the point of highest temperature. At higher strain rates the thermocouple wires tend to bend down slightly, but the measured temperatures are still accurate. [2]

Since the wires and the bead are subjected to conduction along the thermocouple wires, convection between the thermocouple and the gases, heat transfer through surface-induced catalytic reactions and radiation losses, the initially measured temperatures have to be corrected. An energy balance on a thermocouple yields to

$$
\begin{equation*}
\dot{Q}_{c a t}+\dot{Q}_{c o n v}+\dot{Q}_{r a d}+\dot{Q}_{c o n d}=\rho c_{p} V \frac{d T_{t c}}{d t} \tag{3.1}
\end{equation*}
$$

In practice, conduction along the thermocouple wires can be neglected if the length-to-diameter ratio of the thermocouple is large enough (>200). Heat losses due to surface-induced catalytic reactions can be neglected since the thermocouple sits in an air stream. [18]

Given that the dimensions of the thermocouple are a lot smaller than the dimensions of the oxidizer, all surroundings of the thermocouple are treated as hypothetical black surfaces. This simplification can be made because even if the surroundings reflect some of the radiation of the thermocouple surface, the probability is much higher that the reflected radiation will reach another point of the surroundings than a point on the small, thermocouple surface. Sooner or later the reflection is absorbed by the surroundings and thus none of the reflected radiation can reach the thermocouple surface.[19, 20]

The temperature of the screen is assumed to be the same temperature as the oxidizer gas flowing through it. The temperature of the surroundings is assumed to be 296K. This assumption denotes that there is a heat transfer caused by radiation from the screen of the oxidizer duct to the thermocouple as well as a heat transfer caused by radiation from the thermocouple to the surroundings. To address this problem correctly, view factors need to be calculated for the screen area and the surroundings. To approach this problem it is assumed that the thermocouple is a small plane surface relative to a large disk surface of the surroundings for the upper area of the thermocouple and the lower area of the thermocouple. By using the view factor integral

$$
\begin{equation*}
F_{i j}=\frac{1}{A_{i}} \int_{A_{i}} \int_{A_{j}} \frac{\cos \Theta_{i} \cos \Theta_{j}}{\pi R^{2}} d A_{i} d A_{j} \tag{3.2}
\end{equation*}
$$

and the view factor summation rule

$$
\begin{equation*}
\sum_{j=1}^{N} F_{i j}=1 \tag{3.3}
\end{equation*}
$$

the view factors can be calculated.[19]

$$
\begin{align*}
& F_{s c}=\frac{d_{s c}^{2}}{d_{s c}^{2}+4 L_{2}^{2}}, \\
& F_{\text {sur.upper }}=1-F_{s c},  \tag{3.4}\\
& F_{\text {sur.lower }}=1,
\end{align*}
$$

$F_{s c}$ is the view factor of the screen [-], $F_{\text {sur, upper }}$ is the view factor of the upper surroundings [-], $F_{\text {sur,lower }}$ is the view factor of the lower surroundings [-], $d_{s c}$ is the diameter of the oxidizer screen [m] and $L_{2}$ is the distance between the thermocouple bead and the lowest screen [m].

These approximations as well as assuming a steady state measurement ( $d T_{t c} / d t=0$ ) equation (3.1) leads to

$$
\begin{equation*}
\frac{N u_{c y l} k_{f}}{d_{w}} A_{w}\left(T_{2}-T_{t c}\right)=\frac{A_{r a d}}{2} \sigma \varepsilon_{t h}\left[F_{s c}\left(T_{t c}^{4}-T_{2}^{4}\right)+\left(2-F_{s c}\right)\left(T_{t c}^{4}-T_{s u r}^{4}\right)\right] \tag{3.5}
\end{equation*}
$$

Where $A_{w}$ is the thermocouple wire surface $\left[\mathrm{m}^{2}\right], d_{w}$ is the thermocouple wire diameter [m], $T_{2}$ is the oxidizer gas temperature $[\mathrm{K}], T_{t c}$ is the temperature measured by the thermocouple $[\mathrm{K}], A_{\text {rad }}$ is the surface of the wire and the bead of the thermocouple [ $\left.\mathrm{m}^{2}\right], \sigma$ is the Stefan-Boltzmann constant $5,67 \mathrm{e}-8\left[\mathrm{~W} / \mathrm{m}^{2} \mathrm{~K}^{4}\right], T_{\text {sur }}$ is the temperature of the facing surroundings $[\mathrm{K}], k_{f}$ is the thermal conductivity of air [W/mK] and $\varepsilon_{t h}$ is the emissivity of the thermocouple set to 0,2 according to [21].

The Nusselt number $N u_{c y l}[-]$ is calculated by

$$
\begin{equation*}
N u_{c y l}=\left(0,24+0,56 R e^{0,45}\right)\left(T_{f} / T_{2}\right)^{0,17} \tag{3.6}
\end{equation*}
$$

Where Re is the Reynolds number of air [-] and $T_{f}$ the film temperature $[\mathrm{K}]$ which is the average of the thermocouple and the oxidizer gas temperature. Equation (3.6) is valid for $0.02<R e<40$. [18]

### 3.2 Extinction

At a strain rate close to and below the extinction strain rate a flame is established with a blowtorch. The strain rate is increased in small steps until the flame extinguishes. This procedure is repeated at least three times to obtain results as accurate as possible. The fuel stream is heated up to 400 K to avoid fuel condensation. The uncertainties and fluctuations in the fuel stream temperature can measure up to $\pm 20 \mathrm{~K}$.

Extinction in a diffusion flame occurs when the heat release out of the reaction zone towards the lean (oxidizer) and rich (fuel) side of the flame exceeds the heat produced by the chemical reaction. This indicates that at extinction the heat produced by the reaction balances the heat lost by conduction in the reaction zone. Therefore, increasing the strain rate of the oxidizer and the fuel stream causes the heat towards the lean and rich side of the reaction zone to exceed the heat generated by the chemical reaction, and so the flame extinguishes. [22]

### 3.2.1 Adiabatic flame temperature

The adiabatic flame temperature is the flame temperature that can theoretically be reached during a complete combustion without performing work, changing the kinetic or potential energy and without any heat transfer from or to the reaction zone. This implements that the resulting products are water and carbon monoxide and that the absolute enthalpy of the reactants before the combustion is the same as the absolute enthalpy of the products after the complete combustion. The adiabatic temperature is also the maximum temperature that can be reached for given reactants during combustion because any losses and incomplete combustion would result in lowering the flame temperature. The value of the adiabatic flame temperature depends mostly on the initial mixture and temperature of the reactants and the pressure. Conversely, by choosing the adiabatic flame temperature (1900K) and mixture fraction the mass fractions can be calculated. [2, 23]

### 3.2.2 Mixture fraction

The mixture fraction is a very useful tool to describe important properties of a diffusion flame without going into detail on chemical kinetics. For a known mixture of the fuel stream and of the oxidizer stream, the mixture fraction allows the quantification of the state of local composition before the combustion. The value of the mixture fraction $Z$ can vary between zero and one. In the fuel stream, the mixture fraction $Z$ is equal to one and in the oxidizer stream $Z$ is equal to zero. For a homogenous two feed system the mixture fraction is given by

$$
\begin{equation*}
Z=\frac{\dot{m}_{1}}{\dot{m}_{1}+\dot{m}_{2}} \tag{3.7}
\end{equation*}
$$

where $\dot{m}_{1}$ is the mass flux of the fuel stream and $\dot{m}_{2}$ the mass flux of the oxidizer stream. Both the mass flux of the fuel stream and the mass flux of the oxidizer stream can contain inert gases. For a stoichiometric mixture

$$
\begin{equation*}
Z_{s t}=\left(1+\frac{\nu Y_{F, 1}}{Y_{O_{2}, 2}}\right)^{-1} \tag{3.8}
\end{equation*}
$$

can be calculated. $\nu$ is the stoichiometric oxygen-to-fuel mass ratio, $Y_{F, 1}$ is the mass fraction of fuel in the fuel stream and $Y_{O_{2}, 2}$ is the mass fraction of oxygen in the oxidizer stream, respectively. Equation (3.8) is valid for Lewis numbers equal to unity. The Lewis number is defined as the ratio of the thermal diffusivity to the mass diffusivity.

The flamelet model developed by Burke Schumann 1928 assumes that the combustion in a diffusion flame takes place in the area of stoichiometric mixture fraction. Fuel and oxygen diffuse from opposite sides into the flame area. They immediately vanish and the products of the reaction and the temperature have a maximum. Therefore, it is assumed that the characteristic chemical reaction time is significantly smaller than the characteristic time of convection and diffusion. The characteristic time of convection and diffusion are approximately equal. Mathematically it is assumed that the reactions take place under infinite residence time and under complete combustion for a one- step reaction. Under these conditions following figures can be obtained.[14, 22]


Figure 3.2: Left side: Profiles of $Y_{O_{2}, u}$ and $Y_{F, u}$ in the unburnt gas mixture Right side: Profiles of $Y_{O_{2}, b}, Y_{F, b}, Y_{C O_{2}, b}$ and $Y_{H_{2} O, b}$ in the burning gas mixture [22]

The stoichiometric mixture fraction $Z_{\text {st }}$ represents the point where fuel and oxidizer are mixed so that the mass fractions are in a stoichiometric ratio. This implicates that all oxygen and fuel is consumed and reacts to its products water and carbon monoxide.

The stoichiometric mixture fraction $Z_{s t}$ selected in this experiment is 0,328 .
Since these experiments are carried out with mixtures of dimethylether and ethanol it is not trivial to calculate the mass fractions by given mixture fraction and adiabatic flame temperature. Professor Seshadri developed an asymptotic formulation of the problem where the stoichiometric mixture fraction $Z_{s t}$ and the adiabatic flame temperature $T_{a d}$ are fixed and the according mass fractions of oxygen, nitrogen, DME and ethanol can be calculated. The equations shown in this chapter (3.9-3.15) are the result of the asymptotic model, which is attached in appendix B. In this formulation, it is assumed that the Damköhler numbers are high due to the assumption that the reaction takes place simultaneously with the mix of the fuel. The Lewis numbers are assumed to be1,5 [-].

By determining $x_{s t}$ from

$$
\begin{equation*}
Z_{s t}=\frac{1}{2} \operatorname{erfc}\left(x_{s t} \sqrt{\frac{1}{2}}\right) \tag{3.9}
\end{equation*}
$$

and with the Lewis number of ethanol $L e_{\text {eth }}=1,5$ and the Lewis number of dimethylether $L e_{d m e}=1,5$ the stoichiometric mixture for ethanol $Z_{\text {eth,st }}$ and dimethylether $Z_{d m e, s t}$ can be calculated.

$$
\begin{gather*}
Z_{E t h, s t}=\frac{1}{2} \operatorname{erfc}\left(x_{s t} \sqrt{\frac{L e_{E t h}}{2}}\right)  \tag{3.10}\\
Z_{D M E, s t}=\frac{1}{2} \operatorname{erfc}\left(x_{s t} \sqrt{\frac{L e_{D M E}}{2}}\right) \tag{3.11}
\end{gather*}
$$

The mass fraction of ethanol $Y_{E t h, 1}$ and the mass fraction of oxygen $Y_{O_{2}, 2}$ can be obtained by choosing the mass fraction of dimethylether $Y_{D M E, 1}$ and by solving

$$
\begin{equation*}
3 g+3 m=c \tag{3.12}
\end{equation*}
$$

with

$$
\begin{gather*}
g=\frac{1}{\sqrt{L e_{E t h}}} \frac{X_{E t h, 1}}{1-Z_{E t h, s t}}\left(\exp \left(\frac{x_{s t}^{2}\left(1-L e_{E t h}\right)}{2}\right)\right) \\
m=\frac{1}{\sqrt{L e_{D M E}}} \frac{X_{D M E, 1}}{1-Z_{D M E, s t}}\left(\exp \left(\frac{x_{s t}^{2}\left(1-L e_{D M E}\right)}{2}\right)\right)  \tag{3.13}\\
\mathrm{c}=\frac{\mathrm{X}_{\mathrm{O}_{2}, 2}}{\mathrm{Z}_{\mathrm{st}}} \\
T_{s t}=T_{\text {sur }}+\frac{1}{c_{p} W_{N_{2}}}\left(Q_{E t h} g+Q_{D M E} m\right) Z_{s t}\left(1-Z_{s t}\right)  \tag{3.14}\\
X_{E t h, 1}=\frac{Y_{e t h, 1} M_{N_{2}}}{M_{E t h}} ; X_{D M E, 1}=\frac{Y_{d m e, 1} M_{N_{2}}}{M_{D M E}} ; X_{O_{2}, 2}=\frac{Y_{O_{2}, 2} M_{N_{2}}}{M_{O_{2}}} \tag{3.15}
\end{gather*}
$$

where $Q_{D M E}$ is the heat release of dimethylether $1328 \cdot 10^{3}[\mathrm{~J} / \mathrm{mol}], Q_{E t h}$ is the heat release of ethanol $1278 \cdot 10^{3}[\mathrm{~J} / \mathrm{mol}], c_{p}$ is the heat capacity $1300[\mathrm{~J} / \mathrm{kgK}]$ and $M_{O_{2}, 2}$

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is the molecular weight of oxygen 0,032 [ $\mathrm{kg} / \mathrm{mol}]$. Since dimethylether and ethanol have the same number of oxygen, carbon and hydrogen atoms the molecular weight ( $0,046[\mathrm{~kg} / \mathrm{mol}]$ ) is equal.

By iteratively solving the equations $(3,13)$ to $(3,15)$ for $Y_{D M E, 1}$ from 0 to 1 following figures are obtained.


Figure 3.3: Results of solving equation $(3,13)$ till equation $(3,15)$ iteratively with $Y_{D M E, 1}$ from 0 to 0,298 , with a fixed adiabatic flame temperature $T_{a d}=1900 \mathrm{~K}$ and a fixed stoichiometric mixture fraction $Z_{s t}=0,328$

In accordance to the figures following mass fractions are picked for the extinction experiment.

Table 3.1: Mass fraction of DME, ethanol and oxygen calculated at a fixed adiabatic flame temperature $\mathrm{T}_{\mathrm{ad}}=1900 \mathrm{~K}$ and a fixed stoichiometric mixture fraction $Z_{s t}=0,328$

|  | $Y_{2,02}$ | $Y_{1, \text { DME }}$ | $Y_{1, \text { ETH }}$ | $Y_{1, \text { fuel }}$ | $Y_{1, \mathrm{~N} 2}$ |
| ---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 0,2330 | 0,000 | 0,3105 | 0,3105 | 0,6895 |
| 2 | 0,2325 | 0,020 | 0,2897 | 0,3097 | 0,6903 |
| 3 | 0,2319 | 0,040 | 0,2689 | 0,3089 | 0,6911 |
| 4 | 0,2313 | 0,060 | 0,2481 | 0,3081 | 0,6919 |
| 5 | 0,2307 | 0,080 | 0,2273 | 0,3073 | 0,6927 |
| 6 | 0,2301 | 0,100 | 0,2065 | 0,3065 | 0,6935 |
| 7 | 0,2296 | 0,120 | 0,1858 | 0,3058 | 0,6942 |
| 8 | 0,2290 | 0,140 | 0,1650 | 0,3050 | 0,6950 |
| 9 | 0,2284 | 0,160 | 0,1442 | 0,3042 | 0,6958 |
| 10 | 0,2278 | 0,180 | 0,1234 | 0,3034 | 0,6966 |
| 11 | 0,2272 | 0,200 | 0,1026 | 0,3026 | 0,6974 |
| 12 | 0,2266 | 0,220 | 0,0818 | 0,3018 | 0,6982 |
| 13 | 0,2260 | 0,240 | 0,0610 | 0,3010 | 0,6990 |
| 14 | 0,2255 | 0,260 | 0,0403 | 0,3003 | 0,6997 |
| 15 | 0,2249 | 0,280 | 0,0195 | 0,2995 | 0,7005 |
| 16 | 0,2243 | 0,298 | 0,0000 | 0,2980 | 0,7020 |

## Chapter 4

## Computational Simulations

Computational modeling and simulations have become very important tools for analyzing many different kinds of systems. Kinetic modeling is applied for solving a great variety of problems, due to the ever-increasing processing power of computers. Another advantage of computational simulations that has contributed to their rise in the last decades is that they are not restricted to physical limitations. Unfortunately, computing detailed kinetic mechanisms requires a lot of time and extremely powerful processors, making it time-consuming and expensive. To reduce the complexity and the dimensions of kinetic mechanisms, analogy rules are adopted and simplifying assumptions are made. Developing a reliable and robust reaction mechanism for the combustion of fuels is a complex problem. A large amount of experimental and computational research is required to improve already existing mechanisms and develop new mechanisms for various applications. Verifying a new kinetic mechanism entails comparing it to other kinetic mechanisms and more importantly to experimental data. [24]

### 4.1 CHEMKIN

The software CHEMKIN is used for the computation of the mechanism developed in this study. To simulate the kinetic behavior of reaction in different gas phases CHEMKIN needs four different types of inputs:

- the gas-phase kinetics input
- the thermodynamic input
- the gas transport input
- the input settings

The gas-phase kinetics includes information on the species and the reaction mechanism. It can also include the thermodynamic data. The reaction mechanism includes all reactions that take place as well as the Arrhenius rate coefficients $A, \beta$ and $E_{A}$ for each reaction. It also contains information on if a reaction is reversible or irreversible and if it is a three-body reaction with an enhanced third-body and/or an arbitrary third body. In addition, pressure dependence and auxiliary reaction data can be entered in lines immediately following the reaction data. The thermodynamic input file includes the species name, the elemental composition of the species and the temperature ranges over which the polynomial coefficient for the entropy, enthalpy and isobaric heat capacity are valid. All species listed in the gas phase kinetic file also have to be listed in the thermodynamic file with their thermodynamic data and in the transport data file. The complier uses these three files to create a gas-phase kinetics-linking file (chem.asc) that contains all relevant information about the mechanism. The gas-phase kinetics-linking file is accessed permanently during the reactor-model simulation.

The input settings mainly contain the boundary conditions; in further detail the reactor physical properties, the grid properties, the stream properties and the speciesspecific properties. The detailed input settings for autoignition and extinction are listed in section 4.3.

CHEMKIN provides several applications of idealized reactor models. The reactor used for the computations carried out in this thesis is the "Diffusion or Premixed Opposed-flow Flame" reactor.

The solver then calculates a solution for each point using the CHEMKIN application code, the input settings, the gas-phase kinetics linking file and the reactor.[25-27]

### 4.2 Development of a short DME and ethanol mechanism

When merging two well-tested and valid mechanisms, the first step is choosing which of the two should serve as the master mechanism and which should serve as the donor mechanism. The master mechanism is the base frame for the new merged

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mechanism while the donor mechanism is used as a donor for reactions and species that are not originally listed in the master mechanism. The Lawrence Livermore National Laboratory Dimethyl Ether 2000 mechanism (LLNL) is used as the master mechanism for the mechanism developed in this thesis. Since the LLNL mechanism does not include ethanol the San Diego (SD) mechanism is used as the donor mechanism and is merged to the LLNL mechanism. The new merged mechanism is abbreviated as MM. In addition, the thermodynamic data and the gas transport data from the LLNL mechanism are used as the base frame and are merged with the thermodynamic data and the gas transport data from the SD mechanism. [28, 29]

Merging two well-tested mechanisms from different institutions to a new mechanism is not a simple task since a coherent model of species, thermodynamic properties and transport properties does not exist. Every institution defines their species differently. When merging the SD mechanism with the LLNL mechanism all similar reactions and species first must be found, compared and then checked for duplicates. The same method is applied to the gas transport data and the thermodynamic data.

### 4.2.1 Verification

To verify the new merged mechanism the ignition delay times in a closed homogenous 0-D reactor at different equivalence ratios of air and ethanol and air and DME respectively are compared to the initial mechanisms. The reactor has a volume of $400 \mathrm{~cm}^{3}$, an initial temperature of 900 K and an initial pressure of 1 atm .


Figure 4.1: Ignition delay time over the equivalence ratio in a closed homogenous 0-D reactor;
Left side: numerical calculation of the ignition delay time in a closed homogenous 0-D reactor with a mixture of air and DME; comparison of the MM and the LLNL mechanism

Right side: numerical calculation of the ignition delay time in a closed homogenous 0-D reactor with a mixture of air and ethanol; comparison of the MM and the SD mechanism

Since the LLNL mechanism was used as the master mechanism for the new developed mechanism the ignition delay times only differ $2 \%$ at most at an equivalence ratio of 1,5 .

The differences of the ignition delay times of the San Diego mechanism and the new developed mechanism are much more significant (between $29 \%$ at an equivalence ratio of 0,5 and $36 \%$ at an equivalence ratio of 1,5 ). This is an expected result since the SD mechanism is used as the donor mechanism. Only the equations and the species that are not originally in the LLNL mechanism are used in the MM mechanism; the entire base frame is replaced by the LLNL mechanism.

### 4.3 Computational setup



Figure 4.2: Reactor model by CHEMKIN (Diffusion or Premixed Opposed-flow flame)
Reactor physical properties are set up for solving the gas equation for both the autoignition computations as well as for the extinction computations. The pressure is set to 1 atm and the ambient temperature is set to 296 K . The maximum temperature for the initial profile is set to 400K for autoignition (starting from no initial flame) and to 2100 K (starting from an initial flame) for extinction. For the computations in this thesis a manual approach is used to find the autoignition temperature and the extinction strain rate.

Computational Simulations


Figure 4.3: Mathematical boundary conditions for the computations (solving gas energy equation)

### 4.3.1 Autoignition

The number of uniform Grid Points is set to 100, with the further specifications of:

- Adaptive Grid Control Based on Solution Gradient: 0,1
- Adaptive Grid Control Based on Solution Curvature: 0,5
- Maximum Number of Grid Points Allowed: 500
- Number of Adaptive Grid Points: 10

The distance between the ducts is set to $1,45 \mathrm{~cm}$ with an estimated flame center position of $0,5 \mathrm{~cm}$.

To calculate the autoignition computationally the same approach as by the experiments is used; the oxidizer stream temperature is increased until the mixture autoignites. By increasing the oxidizer stream temperature the fuel velocity has to be decreased to meet the momentum balance. To find the correct autoignition temperature a parameter study is used, where a pre-defined list of the oxidizer gas temperature and fuel velocity for every single data point is processed. The criterion for autoignition is the temperature over the distance. When the point of autoignition is reached a step change in temperature occurs between the two ducts; a flame establishes. In reverse, by comparing the solutions with the pre-defined list, the autoignition temperature can be calculated. For simplification the inlet fuel gas temperature measured during the experiments is averaged and set to 400K.

### 4.3.2 Extinction

The number of uniform Grid Points is set to 30, with the further specifications of:

- Adaptive Grid Control Based on Solution Gradient: 0,1
- Adaptive Grid Control Based on Solution Curvature: 0,5
- Maximum Number of Grid Points Allowed: 500
- Number of Adaptive Grid Points: 10

The distance between the ducts was set to $1,25 \mathrm{~cm}$ with an estimated flame center position of $0,5 \mathrm{~cm}$.

Continuations are used to compute the extinction behavior. These defer from parameter studies based on the fact that the solutions from a previous run are used as starting conditions for a new run. Additionally, a pre-defined list of changing parameters is needed for every single data point. In this case the fuel gas temperature is set to 395 K and the oxidizer gas temperature is set to 296 K . To fulfill momentum balance the fuel gas velocity has to be increased by increasing the oxidizer gas temperature. The criterion for extinction is the temperature over the distance. When extinction is reached a step change in temperature occurs between the two ducts; the flame extinguishes. In reverse, by comparing the solutions with the pre-defined list, the autoignition velocity of extinction can be calculated. For

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simplification, the inlet fuel gas temperature measured during the experiments is averaged and set to 385 K .

## Chapter 5

## Experimental and Numerical Results

Chapter 5 summarizes the numerical and experimental results; the detailed experimental results are shown in appendix A, the approach for the computation is explained in Chapter 4.

### 5.1 Autoignition

The shown autoignition temperatures are corrected due to losses according to section 3.2.1. The displayed experimental data points are arithmetically averaged values and the displayed curves are best-fit lines based on polynomial equations.

Below the autoignition temperature of a given fuel autoignition will never occur, while above the autoignition temperature autoignition will always occur. Hence, the figures are divided into two regions.

Generally, the autoignition temperature of a certain fuel rises by increasing the strain rate. This rise in temperature of autoignition occurs because when increasing the strain rate, which accompanies an increase of the velocities, the time for chemical reactions decreases. For this reason, the mixture is harder to ignite and the required temperature for autoignition increases. Figure 5.1 displays the autoignition temperature of mixtures of DME and ethanol over the oxidizer strain rate.


Figure 5.1: The temperature at autoignition of the oxidizer stream as a function of the oxidizer strain rate at a constant fuel mass fraction of $Y_{F, 1}=0,4$. The figure shows data for blends of Ethanol and DME from $100 \%$ ethanol and $0 \%$ DME up to $20 \%$ ethanol and $80 \%$ DME. The symbols represent the experimental data and the lines are of best-fit curves based on polynomials second order.

Ethanol is found to have the lowest autoignition temperature at all strain rates of the tested fuel mixtures. By increasing the DME content in the mixture the temperature of autoignition rises. It seems that an increase in DME concentration has a uniform enhancing effect on the temperature of autoignition, independent of the strain rates and hence independent of the velocities. The gradient $d T_{2} / d a_{2}$ is very steep for all tested strain rates.

Figure 5.2 compares the temperature at autoignition for pure DME, pure ethanol and the blend of $20 \%$ ethanol and $80 \%$ DME. Despite the expectation that a further increase of DME content up to $100 \%$ in the fuel will shift the autoignition temperature upwards, it shows a completely different behavior. Pure DME has higher autoignition temperatures than ethanol but the gradient $d T_{2} / d a_{2}$ is a lot steeper than that of ethanol. Another very interesting observation is that the temperature at autoignition at an oxidizer strain rate $a_{2}=82,78$ [ $1 / \mathrm{s}$ ] of DME is only $3,6 \mathrm{~K}$ higher than that of ethanol compared to the blend of $20 \%$ ethanol and $80 \%$ DME where the autoignition temperature is $20,4 \mathrm{~K}$ higher.

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Figure 5.2: The temperature at autoignition of the oxidizer stream as a function of the oxidizer strain rate at a constant fuel mass fraction of $\mathrm{Y}_{\mathrm{F}, 1}=0,4$. The figure shows data for pure DME, pure ethanol and mixtures of DME and ethanol. The symbols represent the experimental data and the lines are of best fit curves based on polynomials second order.

By plotting the oxidizer temperature at autoignition over the compositions of the blend ethanol/ DME the behavior of the tested fuels can be shown from a different point of view. As in Figure 5.1 and 5.2, Figure 5.3 shows that the blend of $20 \%$ ethanol and $80 \%$ DME has the highest temperature of autoignition of the measured fuels and fuel blends.


Figure 5.3: The temperature at autoignition of the oxidizer stream as a function of the composition of the DME and ethanol blend at a constant fuel mass fraction of $Y_{F, 1}=0,4$. The figure shows data at different oxidizer strain rates. The symbols represent the experimental data and the lines are best-fit curves based on polynomials fourth order.

However, Figure 5.3 illustrates the differences in behavior of various blends at different strain rates more clearly. When comparing the blend of $20 \%$ ethanol and $80 \%$ DME to $100 \%$ DME, the difference in autoignition temperature is higher at low strain rates. In particular the autoignition temperature increases by $\Delta T_{2}=16,8 \mathrm{~K}$ at an oxidizer strain rate of $a_{2}=82,78$ [ $1 / \mathrm{s}$ ] by adding $20 \%$ ethanol to DME. At the oxidizer strain rate $a_{2}=248,28$ [ $1 / \mathrm{s}$ ] the increase of the autoignition temperature is almost zero; $\Delta T_{2}=1,1 \mathrm{~K}$. Thus, dimethylether inhibits ignition at higher strain rates.


Figure 5.4: The temperature at autoignition of the oxidizer stream as a function of the composition of a DME/ ethanol blend at a constant fuel mass fraction of $Y_{F, 1}=0,4$. The figure shows data for blends of Ethanol and DME for an oxidizer strain rate $a_{2}=82,78[1 / \mathrm{s}]$ and $a_{2}=124,14[1 / \mathrm{s}]$. The symbols represent the experimental and numerical data and the lines best-fit curves based on polynomials fourth order.

Figures 5.4 and 5.5 show the computational data compared to the data obtained from the autoignition experiments. The lines (best-fit curves based on polynomials fourth order) in these figures are the results of numerical calculations; the symbols represent the experimental data. In general, the chemical kinetic mechanism developed in this thesis comes very close to the obtained experimental data. The computational data processed by the MM shows the same behavior at autoignition as the data obtained from the autoignition experiment. However, as shown in Figures 5.3 and 5.4 the absolute values from the autoignition temperatures of the numerical data over predict the absolute values obtained by the experimental work at all strain rates. The absolute divergence at lower strain rates is more significant than at higher
strain rates with an absolute divergence up to $\Delta T_{2}=59,3 \mathrm{~K}$ for a blend of $40 \%$ DME and 60\% ethanol at the oxidizer strain rate $a_{2}=124,14$ [1/s].


Figure 5.5: The temperature at autoignition of the oxidizer stream as a function of the composition of a DME/ ethanol blend at a constant fuel mass fraction of $Y_{F, 1}=0,4$. The figure shows data for blends of ethanol and DME for an oxidizer strain rate $a_{2}=165,52[1 / \mathrm{s}], a_{2}=206,90[1 / \mathrm{s}]$ and $a_{2}=248,28$ [ $\left.1 / \mathrm{s}\right]$. The symbols represent the experimental and numerical data and the lines are best-fit curves based on polynomials fourth order.

### 5.2 Extinction

In the extinction experiment, the extinction behavior of different blends of DME and ethanol is demonstrated under a fixed adiabatic flame temperature and a fixed stoichiometric mixture fraction according to section 3.2. Since both DME and ethanol have a visible blue flame, their blends also have a visible blue flame.

Figure 5.6 shows the oxidizer strain rate at extinction as a function of the relative amount of DME and ethanol in the combustible mixture. This figure compares the extinction data obtained from the numerical calculations from the SD mechanism, the LLNL mechanism and the new developed mechanism. The symbols represent the data obtained from the numerical calculations; the lines represent best-fit curves based on polynomials second order.


Figure 5.6: Oxidizer extinction strain rates as a function of the composition of the DME/ ethanol blend. The measured mass fraction are according to table 3.1 for a constant stoichiometric mixture fraction $Z_{s t}=0,328$ and constant adiabatic flame temperature $\mathrm{T}_{\mathrm{ad}}=1900$. The symbols represent the numerical data and the lines are bestfit curves based on polynomials second order.

The numerical calculations for pure DME of the LLNL mechanism and the new merged mechanism show the same result. This was expected because the LLNL mechanism was used as master mechanism. The numerical calculations for pure ethanol carried out with the San Diego mechanism and the new merged mechanism show an absolute divergence of $\Delta a_{2}=13[1 / \mathrm{s}]$. This is an acceptable result considering the fact that two mechanisms are merged without customizing the chemical data.

Figure 5.7 shows the strain rate at extinction as a function of the relative amount of DME and ethanol in the combustible mixture. The dotted line is a result of numerical calculations; the symbols represent the experimental data. The detailed composition of the tested blends is shown in Table 3.1. The critical condition of extinction of the numerical calculations (dotted line) is compared with those obtained from the experimental trials.

The plotted data can be seen as a boundary between the flammable and nonflammable region. In the state above the boundary, the mixture cannot be ignited. Yet by decreasing the strain rate (downwards vertical shift) and by increasing the DME

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content of the mixture (horizontal shift to the right) the flammable region can be reached and the mixture can be ignited by an external energy source.

The computational data over predicts the data obtained from the experiments, but it shows the same trend. The absolute divergence is the lowest at pure DME with delta $\Delta a_{2}=8[1 / \mathrm{s}]$ and up to $\Delta a_{2}=46[1 / \mathrm{s}]$ for pure ethanol.


Figure 5.7: Oxidizer extinction strain rates as a function of the composition of the DME/ ethanol blend. The measured mass fraction are according to table 3.1 for a constant stoichiometric mixture fraction $Z_{\mathrm{st}}=0,328$ and constant adiabatic flame temperature $\mathrm{T}_{\mathrm{ad}}=1900$. The symbols represent the numerical and computational data. The lines are best-fit curves based on polynomials second order.

## Chapter 6

## Concluding Remarks

The main focus of this diploma thesis was to determine how dimethyl ether and ethanol influence each other under critical conditions of combustion and further develop a chemical kinetic mechanism for numeric simulations. The experimental studies of the critical conditions of autoignition and extinction show that although dimethyl ether and ethanol are isomers, they show different behaviors under the critical conditions of autoignition and extinction.

At a fixed value of the strain rate, the temperature at autoignition for DME is nearly the same as for ethanol at low strain rates. By mixing ethanol and DME, the temperature of autoignition can be increased with a peek at 20\% ethanol and $80 \%$ DME. At higher strain rates, this effect is less pronounced and vanishes by further increasing the strain rate. At a low strain rate, the ignition of DME appears to be influenced by low temperature chemistry. The critical conditions of extinction are carried out with mass fractions chosen at a fixed adiabatic flame temperature and a fixed stoichiometric mixture fraction. The strain rate at extinction is found to increase with increasing amounts of DME in the combustible mixture. Thus, in mixtures of DME and ethanol, the autoignition as well as extinction is delayed with increasing amounts of DME.

By merging two short and well-tested mechanisms, a new short chemical kinetic mechanism was developed that predicts the experimental data to some extent. For both critical conditions- for autoignition as well as for extinction, the experimental and computational results show similar trends, but the computational results over predict the experimental results.

Further research is necessary to eliminate the offset between the experimental results and the computational results. The chemical-kinetic rate parameters of the mechanism are also worthy of improvement. Further research should aim at creating a detailed chemical kinetic mechanism that has a short computational time; which can predict the behavior of combustion with high accuracy. This tool would enable a better analysis of combustion outside of the limitations of experimental apparatuses and it would help improve combustion in all fields of application.

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| fuel composition | $\mathrm{a}_{2}[1 / \mathrm{s}]$ | $a_{1}[1 / \mathrm{s}]$ | $\rho_{2}[\mathrm{~kg} / \mathrm{m} 3]$ | $\rho_{1}[\mathrm{~kg} / \mathrm{m} 3\}$ | $\mathrm{V}_{2}[\mathrm{~m} / \mathrm{s}]$ | $\mathrm{V}_{1}[\mathrm{~m} / \mathrm{s}]$ | $\mathrm{T}_{2}[\mathrm{~K}]$ | $\mathrm{T}_{1}[\mathrm{~K}]$ | $\mathrm{Y}_{02,2}$ | $\mathrm{Y}_{\mathrm{N} 2,2}$ | $Y_{\text {DME, } 1}$ | $Y_{\text {Eth,1 }}$ | $\mathrm{Y}_{\mathrm{N}, 1}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 100\% DME | 82,76 | 56,06 | 0,32912 | 1,04707 | 0,30 | 0,168 | 1071,7 | 386,3 | 0,233 | 0,767 | 0,40 | 0,00 | 0,6 |
| 0\% Ethanol | 124,14 | 85,28 | 0,31969 | 0,98896 | 0,45 | 0,256 | 1103,3 | 409,0 | 0,233 | 0,767 | 0,40 | 0,00 | 0,6 |
|  | 165,52 | 111,20 | 0,31098 | 1,00593 | 0,60 | 0,334 | 1134,2 | 402,1 | 0,233 | 0,767 | 0,40 | 0,00 | 0,6 |
|  | 206,90 | 137,61 | 0,30449 | 1,00493 | 0,75 | 0,413 | 1158,4 | 402,5 | 0,233 | 0,767 | 0,40 | 0,00 | 0,6 |
|  | 248,28 | 163,83 | 0,29858 | 1,00120 | 0,90 | 0,491 | 1181,3 | 404,0 | 0,233 | 0,767 | 0,40 | 0,00 | 0,6 |
| 80\% DME | 82,76 | 56,14 | 0,32404 | 1,02818 | 0,30 | 0,168 | 1088,5 | 393,4 | 0,233 | 0,767 | 0,32 | 0,08 | 0,6 |
| 20\% Ethanol | 124,14 | 83,28 | 0,31510 | 1,02220 | 0,45 | 0,250 | 1119,4 | 395,7 | 0,233 | 0,767 | 0,32 | 0,08 | 0,6 |
|  | 165,52 | 110,12 | 0,30816 | 1,01655 | 0,60 | 0,330 | 1144,6 | 397,9 | 0,233 | 0,767 | 0,32 | 0,08 | 0,6 |
|  | 206,90 | 136,49 | 0,30294 | 1,01629 | 0,75 | 0,409 | 1164,3 | 398,0 | 0,233 | 0,767 | 0,32 | 0,08 | 0,6 |
|  | 248,28 | 162,64 | 0,29831 | 1,01502 | 0,90 | 0,488 | 1182,4 | 398,5 | 0,233 | 0,767 | 0,32 | 0,08 | 0,6 |
| 60\% DME | 82,76 | 56,38 | 0,32566 | 1,02453 | 0,30 | 0,169 | 1083,1 | 394,8 | 0,233 | 0,767 | 0,24 | 0,16 | 0,6 |
| 40\% Ethanol | 124,14 | 82,95 | 0,31685 | 1,03608 | 0,45 | 0,249 | 1113,2 | 390,4 | 0,233 | 0,767 | 0,24 | 0,16 | 0,6 |
|  | 165,52 | 110,99 | 0,31044 | 1,00793 | 0,60 | 0,333 | 1136,2 | 401,3 | 0,233 | 0,767 | 0,24 | 0,16 | 0,6 |
|  | 206,90 | 138,34 | 0,30425 | 0,99357 | 0,75 | 0,415 | 1159,3 | 407,1 | 0,233 | 0,767 | 0,24 | 0,16 | 0,6 |
|  | 248,28 | 164,37 | 0,29899 | 0,99602 | 0,90 | 0,493 | 1179,7 | 406,1 | 0,233 | 0,767 | 0,24 | 0,16 | 0,6 |
| 50\% DME | 82,76 | 56,84 | 0,32747 | 1,01374 | 0,30 | 0,171 | 1077,1 | 399,0 | 0,233 | 0,767 | 0,20 | 0,20 | 0,6 |
| 50\% Ethanol | 124,14 | 83,56 | 0,31842 | 1,02609 | 0,45 | 0,251 | 1107,7 | 394,2 | 0,233 | 0,767 | 0,20 | 0,20 | 0,6 |
|  | 165,52 | 109,82 | 0,31093 | 1,03132 | 0,60 | 0,329 | 1134,4 | 392,2 | 0,233 | 0,767 | 0,20 | 0,20 | 0,6 |
|  | 206,90 | 137,10 | 0,30520 | 1,01476 | 0,75 | 0,411 | 1155,7 | 398,6 | 0,233 | 0,767 | 0,20 | 0,20 | 0,6 |
|  | 248,28 | 163,12 | 0,29993 | 1,01451 | 0,90 | 0,489 | 1176,0 | 398,7 | 0,233 | 0,767 | 0,20 | 0,20 | 0,6 |
|  | 289,66 | 189,58 | 0,29566 | 1,00768 | 1,05 | 0,569 | 1193,0 | 401,4 | 0,233 | 0,767 | 0,20 | 0,20 | 0,6 |


| fuel composition | $\mathrm{a}_{2}[1 / \mathrm{s}]$ | $a_{1}[1 / s]$ | $\rho_{2}[\mathrm{~kg} / \mathrm{m} 3]$ | $\rho_{1}[\mathrm{~kg} / \mathrm{m} 3\}$ | $\mathrm{V}_{2}[\mathrm{~m} / \mathrm{s}]$ | $V_{1}[\mathrm{~m} / \mathrm{s}]$ | $\mathrm{T}_{2}[\mathrm{~K}]$ | $\mathrm{T}_{1}[\mathrm{~K}]$ | $\mathrm{Y}_{02,2}$ | $\mathrm{Y}_{\mathrm{N} 2,2}$ | $Y_{\text {DME, } 1}$ | $\mathrm{Y}_{\text {Eth,1 }}$ | $\mathrm{Y}_{\mathrm{N}, 1}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 40\% DME | 82,76 | 56,64 | 0,32848 | 1,02375 | 0,30 | 0,170 | 1073,8 | 395,1 | 0,233 | 0,767 | 0,16 | 0,24 | 0,6 |
| 60\% Ethanol | 124,14 | 84,11 | 0,31964 | 1,01655 | 0,45 | 0,252 | 1103,5 | 397,9 | 0,233 | 0,767 | 0,16 | 0,24 | 0,6 |
|  | 165,52 | 111,68 | 0,31250 | 1,00219 | 0,60 | 0,335 | 1128,7 | 403,6 | 0,233 | 0,767 | 0,16 | 0,24 | 0,6 |
|  | 206,90 | 138,61 | 0,30650 | 0,99700 | 0,75 | 0,416 | 1150,8 | 405,7 | 0,233 | 0,767 | 0,16 | 0,24 | 0,6 |
|  | 248,28 | 164,75 | 0,30129 | 0,99897 | 0,90 | 0,494 | 1170,7 | 404,9 | 0,233 | 0,767 | 0,16 | 0,24 | 0,6 |
|  | 289,66 | 190,40 | 0,29760 | 1,00568 | 1,05 | 0,571 | 1185,2 | 402,2 | 0,233 | 0,767 | 0,16 | 0,24 | 0,6 |
| 20\% DME | 82,76 | 56,61 | 0,32934 | 1,02765 | 0,30 | 0,170 | 1071,0 | 393,6 | 0,233 | 0,767 | 0,08 | 0,32 | 0,6 |
| 80\% Ethanol | 124,14 | 83,79 | 0,32124 | 1,02948 | 0,45 | 0,251 | 1098,0 | 392,9 | 0,233 | 0,767 | 0,08 | 0,32 | 0,6 |
|  | 165,52 | 110,86 | 0,31439 | 1,02323 | 0,60 | 0,333 | 1121,9 | 395,3 | 0,233 | 0,767 | 0,08 | 0,32 | 0,6 |
|  | 206,90 | 137,85 | 0,30792 | 1,01273 | 0,75 | 0,414 | 1145,5 | 399,4 | 0,233 | 0,767 | 0,08 | 0,32 | 0,6 |
|  | 248,28 | 164,13 | 0,30274 | 1,01146 | 0,90 | 0,492 | 1165,1 | 399,9 | 0,233 | 0,767 | 0,08 | 0,32 | 0,6 |
|  | 289,66 | 190,73 | 0,29871 | 1,00593 | 1,05 | 0,572 | 1180,8 | 402,1 | 0,233 | 0,767 | 0,08 | 0,32 | 0,6 |
| 0\% DME | 82,76 | 56,33 | 0,33023 | 1,04061 | 0,30 | 0,169 | 1068,1 | 388,7 | 0,233 | 0,767 | 0,00 | 0,40 | 0,6 |
| 100\% Ethanol | 124,14 | 84,50 | 0,32241 | 1,01604 | 0,45 | 0,253 | 1094,0 | 398,1 | 0,233 | 0,767 | 0,00 | 0,40 | 0,6 |
|  | 165,52 | 113,31 | 0,31603 | 0,98463 | 0,60 | 0,340 | 1116,1 | 410,8 | 0,233 | 0,767 | 0,00 | 0,40 | 0,6 |
|  | 206,90 | 140,02 | 0,30978 | 0,98751 | 0,75 | 0,420 | 1138,6 | 409,6 | 0,233 | 0,767 | 0,00 | 0,40 | 0,6 |
|  | 248,28 | 165,85 | 0,30404 | 0,99480 | 0,90 | 0,498 | 1160,1 | 406,6 | 0,233 | 0,767 | 0,00 | 0,40 | 0,6 |
|  | 289,66 | 191,99 | 0,29993 | 0,99676 | 1,05 | 0,576 | 1176,0 | 405,8 | 0,233 | 0,767 | 0,00 | 0,40 | 0,6 |


|  | $\mathrm{a}_{2}[1 / \mathrm{s}]$ | $\mathrm{a}_{1}[1 / \mathrm{s}]$ | $\rho_{2}\left[\mathrm{~kg} / \mathrm{m}^{\wedge} 3\right]$ | $\rho_{1}\left[\mathrm{~kg} / \mathrm{m}^{\wedge} 3\right]$ | $\mathrm{V}_{2}[\mathrm{~m} / \mathrm{s}]$ | $\mathrm{V}_{1}[\mathrm{~m} / \mathrm{s}]$ | $\mathrm{T}_{2}[\mathrm{~K}]$ | $\mathrm{T}_{1}[\mathrm{~K}]$ | $\mathrm{Y}_{02,2}$ | $\mathrm{Y}_{\mathrm{N}, 2}$ | $Y_{\text {DME, } 1}$ | $\mathrm{Y}_{\mathrm{Et}, 1}$ | $\mathrm{Y}_{\mathrm{N} 2,1}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 287 | 387 | 1,19161 | 1,02712 | 0,898 | 0,967 | 296 | 379 | 0,2330 | 0,767 | 0,00 | 0,3105 | 0,6895 |
|  | 286 | 387 | 1,19161 | 1,01491 | 0,893 | 0,967 | 296 | 382 | 0,2330 | 0,767 | 0,00 | 0,3105 | 0,6895 |
|  | 286 | 389 | 1,19161 | 1,00815 | 0,895 | 0,973 | 296 | 385 | 0,2330 | 0,767 | 0,00 | 0,3105 | 0,6895 |
|  | 295 | 394 | 1,19153 | 1,04453 | 0,923 | 0,985 | 296 | 372 | 0,2325 | 0,768 | 0,02 | 0,2897 | 0,6903 |
|  | 296 | 400 | 1,19153 | 1,02173 | 0,925 | 0,999 | 296 | 380 | 0,2325 | 0,768 | 0,02 | 0,2897 | 0,6903 |
|  | 298 | 405 | 1,19153 | 1,00733 | 0,930 | 1,011 | 296 | 386 | 0,2325 | 0,768 | 0,02 | 0,2897 | 0,6903 |
|  | 298 | 406 | 1,19153 | 1,00021 | 0,930 | 1,015 | 296 | 388 | 0,2325 | 0,768 | 0,02 | 0,2897 | 0,6903 |
|  | 299 | 405 | 1,19142 | 1,01764 | 0,935 | 1,012 | 296 | 382 | 0,2319 | 0,768 | 0,04 | 0,2689 | 0,6911 |
|  | 299 | 406 | 1,19142 | 1,01263 | 0,935 | 1,014 | 296 | 383 | 0,2319 | 0,768 | 0,04 | 0,2689 | 0,6911 |
|  | 300 | 407 | 1,19142 | 1,01343 | 0,938 | 1,016 | 296 | 383 | 0,2319 | 0,768 | 0,04 | 0,2689 | 0,6911 |
|  | 300 | 412 | 1,19132 | 0,98653 | 0,938 | 1,030 | 296 | 394 | 0,2313 | 0,769 | 0,06 | 0,2481 | 0,6919 |
|  | 302 | 418 | 1,19132 | 0,97554 | 0,945 | 1,044 | 296 | 398 | 0,2313 | 0,769 | 0,06 | 0,2481 | 0,6919 |
| S | 302 | 417 | 1,19132 | 0,97166 | 0,943 | 1,044 | 296 | 399 | 0,2313 | 0,769 | 0,06 | 0,2481 | 0,6919 |
|  | 301 | 416 | 1,19132 | 0,97226 | 0,940 | 1,041 | 296 | 399 | 0,2313 | 0,769 | 0,06 | 0,2481 | 0,6919 |
|  | 302 | 417 | 1,19132 | 0,97553 | 0,943 | 1,042 | 296 | 398 | 0,2313 | 0,769 | 0,06 | 0,2481 | 0,6919 |
|  | 301 | 405 | 1,19132 | 1,02935 | 0,940 | 1,011 | 296 | 377 | 0,2313 | 0,769 | 0,06 | 0,2481 | 0,6919 |
|  | 301 | 405 | 1,19132 | 1,02935 | 0,940 | 1,011 | 296 | 377 | 0,2313 | 0,769 | 0,06 | 0,2481 | 0,6919 |
|  | 299 | 400 | 1,19132 | 1,04042 | 0,935 | 1,001 | 296 | 372 | 0,2313 | 0,769 | 0,06 | 0,2481 | 0,6919 |
|  | 306 | 423 | 1,19121 | 0,97637 | 0,958 | 1,058 | 296 | 397 | 0,2307 | 0,769 | 0,08 | 0,2273 | 0,6927 |
|  | 306 | 423 | 1,19121 | 0,97842 | 0,958 | 1,057 | 296 | 396 | 0,2307 | 0,769 | 0,08 | 0,2273 | 0,6927 |
|  | 305 | 419 | 1,19121 | 0,98299 | 0,953 | 1,049 | 296 | 394 | 0,2307 | 0,769 | 0,08 | 0,2273 | 0,6927 |
|  | 305 | 419 | 1,19121 | 0,98592 | 0,953 | 1,047 | 296 | 393 | 0,2307 | 0,769 | 0,08 | 0,2273 | 0,6927 |
|  | 304 | 405 | 1,19121 | 1,05091 | 0,950 | 1,011 | 296 | 369 | 0,2307 | 0,769 | 0,08 | 0,2273 | 0,6927 |
|  | 306 | 407 | 1,19121 | 1,05409 | 0,958 | 1,018 | 296 | 368 | 0,2307 | 0,769 | 0,08 | 0,2273 | 0,6927 |
|  | 306 | 405 | 1,19121 | 1,05912 | 0,955 | 1,013 | 296 | 366 | 0,2307 | 0,769 | 0,08 | 0,2273 | 0,6927 |
|  | 304 | 403 | 1,19121 | 1,06175 | 0,950 | 1,006 | 296 | 365 | 0,2307 | 0,769 | 0,08 | 0,2273 | 0,6927 |


| $\mathrm{a}_{2}$ [1/s] | $\mathrm{a}_{1}$ [1/s] | $\rho_{2}\left[\mathrm{~kg} / \mathrm{m}^{\wedge} 3\right]$ | $\rho_{1}\left[\mathrm{~kg} / \mathrm{m}^{\wedge} 3\right]$ | $\mathrm{V}_{2}[\mathrm{~m} / \mathrm{s}]$ | $\mathrm{V}_{1}$ [m/s] | $\mathrm{T}_{2}[\mathrm{~K}]$ | $\mathrm{T}_{1}[\mathrm{~K}]$ | $Y_{02,2}$ | $\mathrm{Y}_{\mathrm{N} 2,2}$ | $Y_{\text {DME,1 }}$ | $\mathrm{Y}_{\text {Eth,1 }}$ | $\mathrm{Y}_{\mathrm{N} 2,1}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 308 | 414 | 1,19111 | 1,03090 | 0,963 | 1,035 | 296 | 377 | 0,2301 | 0,770 | 0,10 | 0,2065 | 0,6935 |
| 312 | 425 | 1,19111 | 1,00961 | 0,978 | 1,062 | 296 | 384 | 0,2301 | 0,770 | 0,10 | 0,2065 | 0,6935 |
| 310 | 423 | 1,19111 | 1,00247 | 0,970 | 1,057 | 296 | 387 | 0,2301 | 0,770 | 0,10 | 0,2065 | 0,6935 |
| 310 | 422 | 1,19111 | 1,00587 | 0,970 | 1,056 | 296 | 385 | 0,2301 | 0,770 | 0,10 | 0,2065 | 0,6935 |
| 309 | 424 | 1,19111 | 0,98564 | 0,965 | 1,061 | 296 | 393 | 0,2301 | 0,770 | 0,10 | 0,20 | 0,6935 |
| 312 | 425 | 1,19102 | 1,00253 | 0,975 | 1,063 | 296 | 387 | 0,2296 | 0,770 | 0,12 | 0,1858 | 0,6942 |
| 316 | 435 | 1,19102 | 0,98404 | 0,988 | 1,086 | 296 | 394 | 0,2296 | 0,770 | 0,12 | 0,1858 | 0,6942 |
| 314 | 432 | 1,19102 | 0,97957 | 0,980 | 1,081 | 296 | 396 | 0,2296 | 0,770 | 0,12 | 0,1 | 42 |
| 314 | 433 | 1,19102 | 0,97711 | 0,980 | 1,082 | 296 | 397 | 0,2296 | 0,770 | 0,12 | 0,18 | ,6942 |
| 319 | 431 | 1,19092 | 1,21915 | 0,998 | 1,077 | 296 | 380 | 0,2290 | 0,771 | 0,14 | 0,1 | 50 |
| 318 | 433 | 1,19092 | 1,00732 | 0,995 | 1,082 | 296 | 385 | 0,2290 | 0,771 | 0,14 | 0,1650 | 0,6950 |
| 320 | 437 | 1,19092 | 0,99819 | 1,000 | 1,092 | 296 | 388 | 0,2290 | 0,771 | 0,14 | 0,1650 | 0,6950 |
| 322 | 443 | 1,19081 | 0,98760 | 1,008 | 1,106 | 296 | 392 | 0,2284 | 0,772 | 0,16 | 0,14 | 0,6958 |
| 323 | 444 | 1,19081 | 0,98372 | 1,010 | 1,111 | 296 | 394 | 0,2284 | 0,772 | 0,16 | 0,1442 | 0,6958 |
| 322 | 443 | 1,19081 | 0,98351 | 1,008 | 1,109 | 296 | 394 | 0,2284 | 0,772 | 0,16 | 0,14 | 0,6958 |
| 323 | 444 | 1,19081 | 0,98485 | 1,010 | 1,111 | 296 | 393 | 0,2284 | 0,772 | 0,16 | 0,14 | 0,6958 |
| 326 | 453 | 1,19071 | 0,96293 | 1,018 | 1,131 | 296 | 402 | 0,2278 | 0,772 | 0,18 | 0,1234 | 0,6966 |
| 326 | 452 | 1,19071 | 0,96906 | 1,020 | 1,131 | 296 | 400 | 0,2278 | 0,772 | 0,18 | 0,1234 | 0,6966 |
| 326 | 453 | 1,19071 | 0,95934 | 1,018 | 1,134 | 296 | 404 | 0,2278 | 0,772 | 0,18 | 0,1234 | 0,6966 |
| 326 | 455 | 1,19071 | 0,95906 | 1,020 | 1,137 | 296 | 404 | 0,2278 | 0,772 | 0,18 | 0,1234 | 0,6966 |
| 326 | 448 | 1,19071 | 0,98903 | 1,020 | 1,119 | 296 | 391 | 0,2278 | 0,772 | 0,18 | 0,1234 | 0,6966 |
| 326 | 444 | 1,19071 | 0,99946 | 1,018 | 1,111 | 296 | 387 | 0,2278 | 0,772 | 0,18 | 0,1234 | 0,6966 |
| 326 | 444 | 1,19071 | 0,99946 | 1,018 | 1,111 | 296 | 387 | 0,2278 | 0,772 | 0,18 | 0,1234 | 0,6966 |
| 334 | 461 | 1,19060 | 0,97299 | 1,043 | 1,153 | 296 | 398 | 0,2272 | 0,773 | 0,20 | 0,1026 | 0,6974 |
| 336 | 469 | 1,19060 | 0,95379 | 1,050 | 1,173 | 296 | 405 | 0,2272 | 0,773 | 0,20 | 0,1026 | 0,6974 |
| 337 | 473 | 1,19060 | 0,94420 | 1,053 | 1,182 | 296 | 410 | 0,2272 | 0,773 | 0,20 | 0,1026 | 0,6974 |
| 337 | 473 | 1,19060 | 0,94403 | 1,053 | 1,182 | 296 | 410 | 0,2272 | 0,773 | 0,20 | 0,1026 | 0,6974 |


| $a_{2}[1 / \mathrm{s}]$ | $\mathrm{a}_{1}[1 / \mathrm{s}]$ | $\rho_{2}\left[\mathrm{~kg} / \mathrm{m}^{\wedge} 3\right]$ | $\rho_{1}\left[\mathrm{~kg} / \mathrm{m}^{\wedge} 3\right]$ | $\mathrm{V}_{2}[\mathrm{~m} / \mathrm{s}]$ | $\mathrm{V}_{1}[\mathrm{~m} / \mathrm{s}]$ | $\mathrm{T}_{2}[\mathrm{~K}]$ | $\mathrm{T}_{1}[\mathrm{~K}]$ | $\mathrm{Y}_{02,2}$ | $\mathrm{Y}_{\mathrm{N} 2,2}$ | $\mathrm{Y}_{\mathrm{DME}, 1}$ | $\mathrm{Y}_{\mathrm{Eth}, 1}$ | $\mathrm{Y}_{\mathrm{N} 2,1}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 342 | 472 | 1,19050 | 0,97480 | 1,068 | 1,180 | 296 | 397 | 0,2266 | 0,773 | 0,22 | 0,0818 | 0,6982 |
| 339 | 470 | 1,19050 | 0,96709 | 1,060 | 1,176 | 296 | 400 | 0,2266 | 0,773 | 0,22 | 0,0818 | 0,6982 |
| 338 | 470 | 1,19050 | 0,96248 | 1,058 | 1,176 | 296 | 402 | 0,2266 | 0,773 | 0,22 | 0,0818 | 0,6982 |
| 342 | 475 | 1,19050 | 0,96190 | 1,068 | 1,188 | 296 | 402 | 0,2266 | 0,773 | 0,22 | 0,0818 | 0,6982 |
| 338 | 464 | 1,19039 | 0,98494 | 1,055 | 1,160 | 296 | 393 | 0,2260 | 0,774 | 0,24 | 0,0610 | 0,6990 |
| 342 | 471 | 1,19039 | 0,98029 | 1,068 | 1,176 | 296 | 395 | 0,2260 | 0,774 | 0,24 | 0,0610 | 0,6990 |
| 342 | 472 | 1,19039 | 0,97907 | 1,070 | 1,180 | 296 | 395 | 0,2260 | 0,774 | 0,24 | 0,0610 | 0,6990 |
| 341 | 469 | 1,19039 | 0,98079 | 1,065 | 1,173 | 296 | 394 | 0,2260 | 0,774 | 0,24 | 0,0610 | 0,6990 |
| 342 | 472 | 1,19039 | 0,97576 | 1,068 | 1,179 | 296 | 396 | 0,2260 | 0,774 | 0,24 | 0,0610 | 0,6990 |
| 341 | 470 | 1,19039 | 0,97634 | 1,065 | 1,176 | 296 | 396 | 0,2260 | 0,774 | 0,24 | 0,0610 | 0,6990 |
| 342 | 474 | 1,19031 | 0,97172 | 1,070 | 1,184 | 296 | 398 | 0,2255 | 0,775 | 0,26 | 0,0403 | 0,6997 |
| 344 | 479 | 1,19031 | 0,95924 | 1,075 | 1,197 | 296 | 403 | 0,2255 | 0,775 | 0,26 | 0,0403 | 0,6997 |
| 345 | 481 | 1,19031 | 0,95563 | 1,078 | 1,203 | 296 | 404 | 0,2255 | 0,775 | 0,26 | 0,0403 | 0,6997 |
| 345 | 480 | 1,19031 | 0,95811 | 1,078 | 1,201 | 296 | 403 | 0,2255 | 0,775 | 0,26 | 0,0403 | 0,6997 |
| 345 | 470 | 1,19020 | 1,00157 | 1,078 | 1,175 | 296 | 386 | 0,2249 | 0,775 | 0,28 | 0,0195 | 0,7005 |
| 347 | 474 | 1,19020 | 0,99595 | 1,085 | 1,186 | 296 | 388 | 0,2249 | 0,775 | 0,28 | 0,0195 | 0,7005 |
| 344 | 470 | 1,19020 | 0,99568 | 1,075 | 1,175 | 296 | 388 | 0,2249 | 0,775 | 0,28 | 0,0195 | 0,7005 |
| 345 | 471 | 1,19020 | 0,99695 | 1,078 | 1,177 | 296 | 388 | 0,2249 | 0,775 | 0,28 | 0,0195 | 0,7005 |
| 345 | 473 | 1,19010 | 0,98901 | 1,078 | 1,182 | 296 | 391 | 0,2243 | 0,776 | 0,30 | 0,0000 | 0,7020 |
| 347 | 480 | 1,19010 | 0,97223 | 1,085 | 1,200 | 296 | 398 | 0,2243 | 0,776 | 0,30 | 0,0000 | 0,7020 |
| 348 | 483 | 1,19010 | 0,96537 | 1,088 | 1,207 | 296 | 400 | 0,2243 | 0,776 | 0,30 | 0,0000 | 0,7020 |
| 348 | 483 | 1,19010 | 0,96471 | 1,088 | 1,208 | 296 | 400 | 0,2243 | 0,776 | 0,30 | 0,0000 | 0,7020 |
| 344 | 478 | 1,19010 | 0,96492 | 1,075 | 1,194 | 296 | 400 | 0,2243 | 0,776 | 0,30 | 0,0000 | 0,7020 |
| 347 | 482 | 1,19010 | 0,96611 | 1,085 | 1,204 | 296 | 400 | 0,2243 | 0,776 | 0,30 | 0,0000 | 0,7020 |
|  |  |  |  |  |  |  |  |  |  |  |  |  |

## Appendix B

Professor K. Seshadri (2014) developed following asymptotic formulation for extinction and autoignition of Ethanol/ Dimethylether in non-uniform flows under nonpremixed Conditions.

## Chemical Reaction

The overall chemical reaction between ethanol $\left(\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}\right)$ and $\mathrm{O}_{2}$ is

$$
\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}+3 \mathrm{O}_{2} \rightarrow 2 \mathrm{CO}_{2}+3 \mathrm{H}_{2} \mathrm{O}
$$

The reaction rate, $w$ eth with units of $1 /\left(\mathrm{m}^{3} \cdot \mathrm{~s}\right)$. The overall chemical reaction between dimethylether $\left(\mathrm{CH}_{3} \mathrm{OCH}_{3}\right)$ and $\mathrm{O}_{2}$ is

$$
\mathrm{CH}_{3} \mathrm{OCH}_{3}+3 \mathrm{O}_{2} \rightarrow 2 \mathrm{CO}_{2}+3 \mathrm{H}_{2} \mathrm{O}
$$

The reaction rate, $\omega_{d m e}$ with units of $1 /\left(\mathrm{m}^{3} \cdot \mathrm{~s}\right)$.

## Formulation

Consider two counter-flowing streams flowing toward a stagnation plane. On stream called fuel stream is made up of $\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}, \mathrm{CH}_{3} \mathrm{OCH}_{3}$ and $\mathrm{N}_{2}$ and the other stream, called the oxidizer stream, is made up of $\mathrm{O}_{2}$, and $\mathrm{N}_{2}$. The mass fractions of ethanol, dimethylether, and oxygen are represented by $Y_{d m e}, Y_{\text {eth }}$ and $Y_{O_{2}}$, respectively. The mass fraction of $\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}$ and $\mathrm{CH}_{3} \mathrm{OCH}_{3}$ in the fuel stream respectively are $Y_{\text {eth }, 1}$ and $Y_{d m e, 1}$ and that of $\mathrm{O}_{2}$ in the oxidizer stream is $Y_{O_{2}, 2}$.

The species balance equations are

$$
\begin{align*}
& \rho a \hat{x} \frac{d Y_{\text {eth }}}{d \hat{x}}+\rho D_{\text {eth }} \frac{d^{2} Y_{\text {eth }}}{d \hat{x}^{2}}=W_{\text {eth }} \omega_{\text {eth }} \\
& \rho a \hat{x} \frac{d Y_{d m e}}{d \hat{x}}+\rho D_{d m e} \frac{d^{2} Y_{d m e}}{d \hat{x}^{2}}=W_{d m e} \omega_{d m e}  \tag{1}\\
& \rho a \hat{x} \frac{d Y_{O_{2}}}{d \hat{x}}+\rho D_{O_{2}} \frac{d^{2} Y_{O_{2}}}{d \hat{x}^{2}}=3 W_{O_{2}} \omega_{\text {eth }}+3 W_{O_{2}} \omega_{d m e}
\end{align*}
$$

Here $D_{\text {eth }}, D_{\text {dme }}$, and $D_{O_{2}}$ are respectively the coefficient of diffusion of $\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}$, $\mathrm{CH}_{3} \mathrm{OCH}_{3}$ and $\mathrm{O}_{2}$. The energy conservation equation is

$$
\begin{equation*}
\rho c_{p} a \hat{x} \frac{d T}{d \hat{x}}+\lambda \frac{d^{2} T}{d \hat{x}^{2}}+\sum_{i=1}^{n} \rho D_{i} c_{p, i} \frac{d Y_{i}}{d \hat{x}} \frac{d T}{d \hat{x}}=-Q_{e t h} \omega_{\text {eth }}-Q_{d m e} \omega_{d m e} \tag{2}
\end{equation*}
$$

Here $\lambda$ is the coefficient of thermal conductivity, $c_{p}$ is the heat capacity of the mixture, $c_{p, i}$ is the heat capacity of species $\mathrm{I}, D_{i}$ is the coefficient of diffusion of species I , $Q_{\text {eth }}$ is the heat released per mole of $\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}$ consumed and $Q_{\text {dme }}$ is the heat released per mole of $\mathrm{CH}_{3} \mathrm{OCH}_{3}$ consumed.

Define the independent variable

$$
\begin{equation*}
x=\hat{x}\left(\rho c_{p} a / \lambda\right)^{1 / 2} \tag{3}
\end{equation*}
$$

For convenience, the definitions

$$
\begin{align*}
X_{i} & \equiv Y_{i} W_{N_{2}} / W_{i} \\
\tau & \equiv\left(T-T_{\text {ref }}\right) / \Delta T_{\text {ref }} \\
M_{\text {eth }} & \equiv W_{N_{2}} \omega_{\text {eth }} /(\rho a) \\
M_{d m e} & \equiv W_{N_{2}} \omega_{d m e} /(\rho a)  \tag{4}\\
G_{e t h} & \equiv Q_{\text {eth }} /\left(W_{N_{2}} c_{p} \Delta T_{\text {ref }}\right) \\
G_{d m e} & \equiv Q_{d m e} /\left(W_{N_{2}} c_{p} \Delta T_{\text {ref }}\right)
\end{align*}
$$

are introduced. Here $W_{i}$ is the molecular weight of species $\mathrm{i}, W_{N_{2}}$, is the molecular weight of nitrogen, $T_{\text {ref }}$ is a reference temperature and $\Delta T_{\text {ref }}$ is a reference temperature difference. Introducing Equations (3) and (4) into Eq. (1), the following equations are obtained

$$
\begin{align*}
& x \frac{d X_{e t h}}{d x}+\frac{1}{L e_{e t h}} \frac{d^{2} X_{e t h}}{d x^{2}}=M_{e t h} \\
& x \frac{d X_{d m e}}{d x}+\frac{1}{L e_{d m e}} \frac{d^{2} X_{d m e}}{d x^{2}}=M_{d m e}  \tag{5}\\
& x \frac{d X_{O_{2}}}{d x}+\frac{1}{L e_{O_{2}}} \frac{d^{2} X_{O_{2}}}{d x^{2}}=3 M_{e t h}+3 M_{d m e}
\end{align*}
$$

Introducing Equations (3) and (4) into Equation (2), the following equation is obtained

$$
\begin{equation*}
x \frac{d \tau}{d x}+\frac{d^{2} \tau}{d x^{2}}+\sum_{i=1}^{n} \frac{1}{L e_{i}} \frac{W_{i}}{W_{N_{2}}} \frac{c_{p, i}}{c_{p}} \frac{d X_{i}}{d x} \frac{d \tau}{d x}=-G_{e t h} M_{e t h}-G_{d m e} M_{d m e} \tag{6}
\end{equation*}
$$

The conserved scalar quantities $Z, Z_{\text {eth }}$, and $Z_{d m e}$ are defined by the equations

$$
\begin{align*}
& x \frac{d Z}{d x}+\frac{d^{2} Z}{d x^{2}}=0 \\
& x \frac{d Z_{\text {eth }}}{d x}+\frac{1}{L e_{e t h}} \frac{d^{2} Z_{\text {eth }}}{d x^{2}}=0  \tag{7}\\
& x \frac{d Z_{d m e}}{d x}+\frac{1}{L e_{d m e}} \frac{d^{2} Z_{d m e}}{d x^{2}}=0
\end{align*}
$$

Eq. (7) is constrained to satisfy the conditions

$$
\begin{array}{ll}
Z=Z_{\text {eth }}=Z_{d m e}=0 ; & x=\infty \\
Z=Z_{\text {eth }}=Z_{d m e}=1 ; & x=-\infty \tag{8}
\end{array}
$$

Integration of Eq. (7) together with Eq. (8) gives

$$
\begin{align*}
& Z=\frac{1}{2} \operatorname{erfc}\left(x \sqrt{\frac{1}{2}}\right) \\
& Z_{\text {eth }}=\frac{1}{2} \operatorname{erfc}\left(x \sqrt{\frac{L e_{e t h}}{2}}\right)  \tag{9}\\
& Z_{d m e}=\frac{1}{2} \operatorname{erfc}\left(x \sqrt{\frac{L e_{d m e}}{2}}\right)
\end{align*}
$$

Differentiation of Eq. (9) gives

$$
\begin{align*}
& \frac{d Z}{d x}=-\left(\sqrt{\frac{1}{2 \pi}}\right) \exp \left(-\frac{x^{2}}{2}\right) \\
& \frac{d Z_{\text {eth }}}{d x}=-\left(\sqrt{\frac{L e_{\text {eth }}}{2 \pi}}\right) \exp \left(-\frac{x^{2} L e_{\text {eth }}}{2}\right)  \tag{10}\\
& \frac{d Z_{d m e}}{d x}=-\left(\sqrt{\frac{L e_{d m e}}{2 \pi}}\right) \exp \left(-\frac{x^{2} L e_{d m e}}{2}\right)
\end{align*}
$$

It follows from Eq. (10)

$$
\begin{align*}
& \frac{d Z_{\text {eth }}}{d x}=\left(\sqrt{L e_{e t h}}\right) \frac{d Z}{d x}\left\{\exp \left[\frac{x^{2}\left(1-L e_{e t h}\right)}{2}\right]\right\} \\
& \frac{d Z_{d m e}}{d x}=\left(\sqrt{L e_{d m e}}\right) \frac{d Z}{d x}\left\{\exp \left[\frac{x^{2}\left(1-L e_{d m e}\right)}{2}\right]\right\} \tag{11}
\end{align*}
$$

## Coupling Relations at $x_{s t}$

Let the flame sheet be located at $x=x_{s t}$. At the flame sheet, $Z=Z_{s t}, Z_{\text {eth }}=Z_{\text {eth }, s t}$, $Z_{d m e}=Z_{d m e, s t}$. At $x_{s t}$ there is complete consumption of $\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}, \mathrm{CH}_{3} \mathrm{OCH}_{3}$, and $\mathrm{O}_{2}$. At $x_{s t+}$ the gradients are

$$
\begin{align*}
& \frac{1}{L e_{e t h}} \frac{d X_{e t h}}{d x}=\frac{1}{L e_{e t h}} \frac{d X_{e t h}}{d Z_{\text {eth }}} \frac{d Z_{e t h}}{d x}=\frac{1}{L e_{e t h}} \frac{X_{e t h, 1}}{1-Z_{\text {eth }, s t}} \frac{d Z_{\text {eth }}}{d x} \\
& \frac{1}{L e_{d m e}} \frac{d X_{d m e}}{d x}=\frac{1}{L e_{d m e}} \frac{d X_{\text {dme }}}{d Z_{d m e}} \frac{d Z_{d m e}}{d x}=\frac{1}{L e_{d m e}} \frac{X_{d m e, 1}}{1-Z_{d m e, s t}} \frac{d Z_{\text {dme }}}{d x} \\
& \frac{d X_{O_{2}}}{d x}=0 \\
& \frac{d X_{C O_{2}}}{d x}=\frac{d X_{C O_{2}}}{d Z} \frac{d Z}{d x}=-\frac{X_{C O_{2}, s t}}{1-Z_{s t}} \frac{d Z}{d x}  \tag{12}\\
& \frac{d X_{H_{2} O}}{d x}=\frac{d X_{H_{2} O} O}{d Z} \frac{d Z}{d x}=-\frac{X_{H_{2} O, s t}}{1-Z_{s t}} \frac{d Z}{d x} \\
& \frac{d \tau}{d x}=\frac{d \tau}{d Z} \frac{d Z}{d x}=-\frac{\tau_{s t}}{1-Z_{s t}} \frac{d Z}{d x}
\end{align*}
$$

At $x_{s t-}$ the gradients are

$$
\begin{align*}
& \frac{d X_{\text {eth }}}{d x}=\frac{d X_{d m e}}{d x}=0 \\
& \frac{d X_{O_{2}}}{d x}=\frac{d X_{O_{2}}}{d Z} \frac{d Z}{d x}=-\frac{X_{O_{2}, 2}}{Z_{s t}} \frac{d Z}{d x} \\
& \frac{d X_{C O_{2}}}{d x}=\frac{d X_{C O_{2}}}{d Z} \frac{d Z}{d x}=-\frac{X_{C O_{2}, s t}}{Z_{s t}} \frac{d Z}{d x}  \tag{13}\\
& \frac{d X_{H_{2} O}}{d x}=\frac{d X_{H_{2} \mathrm{O}}}{d Z} \frac{d Z}{d x}=-\frac{X_{H_{2} O, s t}}{Z_{s t}} \frac{d Z}{d x} \\
& \frac{d \tau}{d x}=\frac{d \tau}{d Z} \frac{d Z}{d x}=\frac{\tau_{s t}}{Z_{s t}} \frac{d Z}{d x}
\end{align*}
$$

The gradients at $Z_{\text {st }+}$ are

$$
\begin{align*}
& \frac{1}{L e_{e t h}} \frac{d X_{e t h}}{d Z}=\frac{1}{\sqrt{L e_{e t h}}} \frac{X_{e t h, 1}}{1-Z_{\text {eth,st }}}\left\{\exp \left[\frac{x_{s t}^{2}\left(1-L e_{e t h}\right)}{2}\right]\right\}=g \\
& \frac{1}{L e_{d m e}} \frac{d X_{d m e}}{d Z}=\frac{1}{\sqrt{L e_{d m e}}} \frac{X_{d m e, 1}}{1-Z_{d m e, s t}}\left\{\exp \left[\frac{x_{s t}^{2}\left(1-L e_{d m e}\right)}{2}\right]\right\}=m \\
& \frac{d X_{O_{2}}}{d Z}=0  \tag{14}\\
& \frac{d X_{C O_{2}}}{d x}=-\frac{X_{C O_{2}, s t}}{1-Z_{s t}} \\
& \frac{d X_{H_{2} O}}{d x}=-\frac{X_{H_{2} O, s t}}{1-Z_{s t}} \\
& \frac{d \tau}{d x}=-\frac{\tau_{s t}}{1-Z_{s t}}=-p
\end{align*}
$$

At $Z_{s t-}$ the gradients are

$$
\begin{align*}
& \frac{d X_{e t h}}{d Z}=\frac{d X_{d m e}}{d Z}=0 \\
& \frac{d X_{O_{2}}}{d Z}=-\frac{X_{O_{2}, 2}}{Z_{s t}}=-c \\
& \frac{d X_{C O_{2}}}{d Z}=\frac{X_{C O_{2}, s t}}{Z_{s t}}  \tag{15}\\
& \frac{d X_{H_{2} O}}{d Z}=\frac{X_{H_{2} O, s t}}{Z_{s t}} \\
& \frac{d \tau}{d Z}=\frac{\tau_{s t}}{Z_{s t}}=s
\end{align*}
$$

Balance equation for carbon across the reaction zone at $x=x_{s t}$ is

$$
\begin{equation*}
\left(\frac{2}{L e_{\text {eth }}} \frac{d X_{\text {eth }}}{d x}+\frac{2}{L e_{d m e}} \frac{d X_{d m e}}{d x}+\frac{d X_{\mathrm{CO}_{2}}}{d x}\right)_{ \pm}=0 \tag{16}
\end{equation*}
$$

Balance equation for oxygen across the reaction zone at $x=x_{s t}$ is

$$
\begin{equation*}
\left(\frac{1}{L e_{e t h}} \frac{d X_{\text {eth }}}{d x}+\frac{1}{L e_{d m e}} \frac{d X_{\text {dme }}}{d x}+2 \frac{d X_{O_{2}}}{d x}+2 \frac{d X_{\mathrm{CO}_{2}}}{d x}+\frac{d X_{\mathrm{H}_{2} \mathrm{O}}}{d x}\right)_{ \pm}=0 \tag{17}
\end{equation*}
$$

Balance equation for hydrogen across the reaction zone at $x=x_{s t}$ is

$$
\begin{equation*}
\left(\frac{3}{L e_{e t h}} \frac{d X_{e t h}}{d x}+\frac{3}{L e_{d m e}} \frac{d X_{d m e}}{d x}+\frac{d X_{H_{2} \mathrm{O}}}{d x}\right)_{ \pm}=0 \tag{18}
\end{equation*}
$$

It follows from Eqs. (16), (17), and (18)

$$
\begin{equation*}
\left(\frac{3}{L e_{e t h}} \frac{d X_{e t h}}{d x}+\frac{3}{L e_{d m e}} \frac{d X_{d m e}}{d x}-\frac{d X_{O_{2}}}{d x}\right)_{ \pm}=0 \tag{19}
\end{equation*}
$$

Use of Eqs. (14), and (15), into Eq. (19) gives

$$
\begin{equation*}
3 g+3 m=c \tag{20}
\end{equation*}
$$

Coupling relations for temperature gives

$$
\begin{equation*}
\left(\frac{d \tau}{d x}+\frac{G_{\text {hep }}}{L e_{\text {eth }}} \frac{d X_{\text {eth }}}{d x}+\frac{G_{\text {dme }}}{L e_{d m e}} \frac{d X_{\text {dme }}}{d x}\right)_{ \pm}=0 \tag{21}
\end{equation*}
$$

This gives

$$
\begin{equation*}
\tau_{s t}=\left(G_{e t h} g+G_{d m e} m\right) Z_{s t}\left(1-Z_{s t}\right) \tag{22}
\end{equation*}
$$

The adiabatic flame temperature $T_{s t}$ is

$$
\begin{equation*}
T_{s t}=T_{u}+\frac{1}{c_{p} W_{N_{2}}}\left(Q_{e t h} g+Q_{d m e} m\right) Z_{s t}\left(1-Z_{s t}\right) \tag{23}
\end{equation*}
$$

## Appendix C

```
elements
h c o n ar he
end
species
h2o
h20
ch3o
ch
ch2oh
sc2h4oh
ch3coch3
c2h5o
c2h3o1-2
o2c2h4oh
ch3coch2o2
hco2
ch3och2o2
ho2ch2ocho
ch3ocho
och2o2h
!SanDiego
ar he
c2h4ooh
ch3choh
c3h6
h2 o
h
n2
ch4
c2h6
c2h
ch2co
ch3co
ch3coch2
ch3o2
ch3co2
ch3co3
ch3coch2o2h
o2c2h4o2h
ch2och2o2h
och2ocho
ch3oco
CO
CO
O
O
O
hco
CO2
hoch2o2
he t-ch2
oc2h3ooh c2h4o
c2h4o ch2ch2oh oc3h5ooh
\begin{tabular}{ll} 
ch2ch2oh & oc3h5ooh \\
c3h3 & c3h5
\end{tabular}
end
```

```
reactions cal/mole
```

reactions cal/mole
ch3+h(+m) = ch4 (+m) 2.140e+15 -0.40 0.000E+00
ch3+h(+m) = ch4 (+m) 2.140e+15 -0.40 0.000E+00
low/3.31e+30 -4.0 2108./
low/3.31e+30 -4.0 2108./
troe/0.0 1.e-15 1.e-15 40./
troe/0.0 1.e-15 1.e-15 40./
h2/2/ h2o/5/ co/2/ co2/3/
h2/2/ h2o/5/ co/2/ co2/3/
ch4+h = ch3+h2 1.727E+04 3.00 8.224E+03
ch4+h = ch3+h2 1.727E+04 3.00 8.224E+03
rev / 6.610E+02 3.00 7.744E+03 /
rev / 6.610E+02 3.00 7.744E+03 /
ch4+oh = ch3+h2o 1.930E+05 2.40 2.106E+03
ch4+oh = ch3+h2o 1.930E+05 2.40 2.106E+03
rev / 4.820E+02 2.90 1.486E+04 /
rev / 4.820E+02 2.90 1.486E+04 /
ch4+o = ch3+oh 2.130E+06 2.21 6.480E+03
ch4+o = ch3+oh 2.130E+06 2.21 6.480E+03
rev / 3.557E+04 2.21 3.920E+03 /
rev / 3.557E+04 2.21 3.920E+03 /
c2h6+ch3 = c2h5+ch4 1.510E-07 6.00 6.047E+03
c2h6+ch3 = c2h5+ch4 1.510E-07 6.00 6.047E+03
rev / 9.649E-10 6.56 1.022E+04 /
rev / 9.649E-10 6.56 1.022E+04 /
hco+oh = co+h2o 1.020E+14 0.00 0.000E+00
hco+oh = co+h2o 1.020E+14 0.00 0.000E+00
rev / 2.896E+15 0.00 1.052E+05 /
rev / 2.896E+15 0.00 1.052E+05 /
co+oh = co2+h 1.400E+05 1.95 -1.347E+03
co+oh = co2+h 1.400E+05 1.95 -1.347E+03
rev / 1.568E+07 1.95 2.099E+04 /
rev / 1.568E+07 1.95 2.099E+04 /
h+o2 = o+oh 1.970E+14 0.00 1.654E+04
h+o2 = o+oh 1.970E+14 0.00 1.654E+04
rev / 1.555E+13 0.00 4.250E+02 /
rev / 1.555E+13 0.00 4.250E+02 /
o+h2 = h+oh 5.080E+04 2.67 6.292E+03
o+h2 = h+oh 5.080E+04 2.67 6.292E+03
rev / 2.231E+04 2.67 4.197E+03 /
rev / 2.231E+04 2.67 4.197E+03 /
o+h2o = oh+oh 2.970E+06 2.02 1.340E+04
o+h2o = oh+oh 2.970E+06 2.02 1.340E+04
rev / 3.013E+05 2.02 -3.850E+03 /
rev / 3.013E+05 2.02 -3.850E+03 /
oh+h2 = h+h2o 2.160E+08 1.51 3.430E+03
oh+h2 = h+h2o 2.160E+08 1.51 3.430E+03
rev / 9.352E+08 1.51 1.858E+04 /
rev / 9.352E+08 1.51 1.858E+04 /
hco+m = h+co+m 1.860E+17 -1.00 1.700E+04
hco+m = h+co+m 1.860E+17 -1.00 1.700E+04
rev / 6.467E+13 0.00 -4.420E+02 /
rev / 6.467E+13 0.00 -4.420E+02 /
h2/2.5/ h2o/12/ co/1.9/ co2/3.8/
h2/2.5/ h2o/12/ co/1.9/ co2/3.8/
h202+oh = h20+ho2 1.000E+12 0.00 0.000E+00
h202+oh = h20+ho2 1.000E+12 0.00 0.000E+00
rev / 1.685E+11 0.33 3.146E+04 /
rev / 1.685E+11 0.33 3.146E+04 /
DUPLICATE
DUPLICATE
c2h4+o = ch3+hco 1.020E+07 1.88 1.790E+02
c2h4+o = ch3+hco 1.020E+07 1.88 1.790E+02
rev / 2.851E+08 1.05 3.177E+04 /

```
        rev / 2.851E+08 1.05 3.177E+04 /
```

```
h+c2h4(+m) = c2h5(+m) 1.081E+12 0.45 1.822E+03
    low/1.112E+34 -5.000E+00 4.448E+03/
    troe/1.0 1.000E-15 9.500E+01 2.000E+02/
    h2/2/ h2o/5/ co/2/ co2/3/
ch3oh(+m) = ch3+oh(+m) 1.900E+16 0.00 9.173E+04
    low / 2.95E+44 -7.35 9.546E+04/
    troe/0.414 279. 5459./
    h2/2/ h2o/16/ co/2/ co2/3/
c2h6+h = c2h5+h2 5.540E+02 3.50 5.167E+03
    rev / 1.355E-01 4.06 8.857E+03 /
ch3oh+ho2 = ch2oh+h2o2 3.980E+13 0.00 1.940E+04
    rev / 3.130E+15 -0.90 1.075E+04 /
c2h5+o2 = c2h4+ho2 1.220E+30 -5.76 1.010E+04
    rev / 1.259E+30 -5.63 2.231E+04 /
c2h6+oh = c2h5+h2o 5.125E+06 2.06 8.550E+02
    rev / 1.010E+07 2.06 2.298E+04 /
c2h6+o = c2h5+oh 1.130E+14 0.00 7.850E+03
    rev / 2.080E+13 0.00 1.272E+04 /
ch3+ho2 = ch30+oh 1.100E+13 0.00 0.000E+00
    rev / 4.780E+14 -0.35 2.455E+04 /
co+ho2 = co2+oh 3.010E+13 0.00 2.300E+04
    rev / 6.435E+15 -0.33 8.461E+04 /
ch3+ch3(+m) = c2h6(+m) 9.214E+16 -1.17 6.358E+02
    low/1.135E+36 -5.246 1.705E+03/
    troe/0.405 1120. 69.6 1.e+15/
    h2/2/ h2o/5/ co/2/ co2/3/
h20+m = h+oh+m 1.837E+27 -3.00 1.226E+05
    rev/ 2.250E+22 -2.00 0.000E+00 /
    h2/2.5/ h2o/12/ co/1.9/ co2/3.8/ ar/0.38/ he/0.38/
h+o2(+m) = ho2(+m) 1.475E+12 0.60 0.000E+00
    low/3.500e+16 -4.10E-01 -1.1160E+03 /
    troe/5.0000E-01 1.0000E-30 1.0000E+30/
    h2/2.5/ h2o/12/ co/1.9/ co2/3.8/
co+o(+m) = co2(+m) 1.800E+10 0.00 2.384E+03
    low/1.350E+24 -2.788 4191./
    h2/2.5/ h2o/12/ co/1.9/ co2/3.8/
co+o2 = co2+O 1.068E-15 7.13 1.332E+04
    rev / 9.444E-15 7.13 1.954E+04 /
hco+h = co+h2 7.340E+13 0.00 0.000E+00
    rev / 4.813E+14 0.00 9.000E+04 /
hco+o = co+oh 3.020E+13 0.00 0.000E+00
    rev / 8.697E+13 0.00 8.790E+04 /
ch2o+m = hco+h+m 6.283E+29 -3.57 9.320E+04
    rev / 2.660E+24 -2.57 4.270E+02 /
ch2o+oh = hco+h2o 3.430E+09 1.18 -4.470E+02
    rev / 1.186E+09 1.18 2.938E+04 /
ch2o+h = hco+h2 9.334E+08 1.50 2.976E+03
    rev / 7.453E+07 1.50 1.765E+04 /
ch2o+o = hco+oh 6.260E+09 1.15 2.260E+03
    rev / 2.195E+08 1.15 1.484E+04 /
ch3+oh = ch2o+h2 2.250E+13 0.00 4.300E+03
    rev / 6.756E+14 0.00 7.603E+04 /
ch3+o = ch2o+h 8.000E+13 0.00 0.000E+00
    rev / 1.055E+15 0.00 6.963E+04 /
ch3+o2 = ch3o+o 1.995E+18 -1.57 2.923E+04
    rev / 3.585E+18 -1.59-1.610E+03 /
ch2o+ch3 = hco+ch4 3.636E-06 5.42 9.980E+02
    rev / 7.584E-06 5.42 1.615E+04 /
hco+ch3 = ch4+co 1.210E+14 0.00 0.000E+00
    rev / 2.073E+16 0.00 9.048E+04 /
ch3o(+m) = ch2o+h(+m) 5.450E+13 0.00 1.350E+04
    low /2.344E+25 -2.7 3.060E+04/
c2h4(+m) = c2h2+h2(+m) 1.800E+13 0.00 7.600E+04
    low /1.500E+15 0.0 5.5443E+04/
ho2+o = oh+o2 3.250E+13 0.00 0.000E+00
    rev / 7.857E+14 -0.33 5.539E+04 /
hco+ho2 = ch2o+o2 2.974E+10 0.33-3.861E+03
    rev / 2.050E+13 0.00 3.895E+04 /
ch3o+o2 = ch20+ho2 5.500E+10 0.00 2.424E+03
    rev / 1.318E+09 0.35 3.139E+04 /
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ch3+ho2 = ch4+o2 3.000E+12 0.00 0.000E+00
    rev / 4.314E+15 -0.33 5.796E+04 /
hco+o2 = co+ho2 7.580E+12 0.00 4.100E+02
        rev / 9.029E+11 0.33 3.293E+04 /
ho2+h = oh+oh 7.080E+13 0.00 3.000E+02
    rev / 1.352E+14 -0.33 3.957E+04 /
ho2+h = h2+o2 1.660E+13 0.00 8.200E+02
    rev / 9.138E+14 -0.33 5.830E+04 /
ho2+oh = h2o+o2 2.890E+13 0.00 -5.000E+02
    rev/ 6.888E+15 -0.33 7.214E+04 /
h202+o2 = ho2+ho2 5.942E+17 -0.66 5.315E+04
        rev/ 4.200E+14 0.00 1.198E+04 /
DUPLICATE
oh+oh(+m) = h202(+m) 1.236E+14 -. 37 0.000E+00
    low /3.041E+30 -4.63 2049./
    troe /0.47 100. 2000. 1.0e+15/
    h2/2.5/h2o/12/ co/1.9/ co2/3.8/
h2o2+h = h2o+oh 2.410E+13 0.00 3.970E+03
    rev / 7.750E+12 0.00 7.471E+04 /
ch4+ho2 = ch3+h2o2 3.420E+11 0.00 1.929E+04
    rev / 3.365E+11 -0.33 2.502E+03 /
ch2o+ho2 = hco+h2o2 5.820E-03 4.53 6.557E+03
    rev / 1.194E-02 4.20 4.921E+03 /
oh+m = O+h+m 3.909E+22 -2.00 1.053E+05
    rev / 4.720E+18 -1.00 0.000E+00 /
    h2/2.5/ h2o/12/ co/1.9/ co2/3.8/ ar/0.75/ he/0.75/
o2+m = o+o+m 6.473E+20 -1.50 1.215E+05
    rev/ 6.170E+15 -0.50 0.000E+00 /
    h2/2.5/ h2o/12/ co/1.9/ co2/3.8/ ar/0.20/ he/0.20/
h2+m = h+h+m 4.570E+19 -1.40 1.044E+05
    rev/ 2.423E+15 -0.40 -3.040E+03 /
    h2/2.5/ h2o/12/ co/1.9/ co2/3.8/ ar/0.50/ he/0.50/
c2h3+h(+m) = c2h4(+m) 6.100E+12 0.27 2.800E+02
    low /9.800E+29 -3.86 3.320E+03/
    troe /0.782 208. 2663. 6095./
    h2/2.5/ h2o/12/ co/1.9/ co2/3.8/
c2h5+c2h3 = c2h4+c2h4 3.000E+12 0.00 0.000E+00
    rev/ 4.820E+14 0.00 7.153E+04 /
c2h2+h(+m) = c2h3(+m) 3.110E+11 0.58 2.589E+03
    low/2.254e40 -7.269 6577./
    troe/ 1.0 1.e-15 675. 1.e+15/
    h2/2/ h2o/5/ co/2/ co2/3/
c2h4+h = c2h3+h2 8.420E-03 4.62 2.583E+03
    rev / 5.723E-01 3.79 3.233E+03 /
c2h4+oh = c2h3+h2o 2.050E+13 0.00 5.955E+03
    rev / 1.200E+12 0.00 1.400E+04 /
c2h3+o2 = c2h2+ho2 5.190E-15 -1.26 3.310E+03
    rev / 2.727E-16 -0.93 1.140E+04 /
DUPLICATE
c2h2+m = c2h+h+m 4.200E+16 0.00 1.070E+05
    rev / 7.130E+07 2.08-2.891E+04 /
c2h2+o2 = hcco+oh 2.000E+08 1.50 3.010E+04
    rev / 2.232E+05 1.50 2.540E+04 /
ch2+o2 = co+h2o 7.280E+19 -2.54 1.809E+03
        rev / 8.508E+20 -2.54 1.798E+05 /
c2h2+oh = c2h+h2o 3.370E+07 2.00 1.400E+04
    rev / 4.671E+03 3.08 6.850E+02 /
o+c2h2 = c2h+oh 3.160E+15 -0.60 1.500E+04
    rev / 4.443E+10 0.48 -1.557E+04 /
c2h2+o = ch2+co 6.120E+06 2.00 1.900E+03
    rev / 1.152E+06 2.00 5.257E+04 /
c2h+02 = hco+co 2.410E+12 0.00 0.000E+00
    rev / 1.328E+16 -1.08 1.541E+05 /
c2h+o = co+ch 1.810E+13 0.00 0.000E+00
    rev / 7.478E+16 -1.08 8.213E+04 /
ch2+o2 = hco+oh 1.290E+20 -3.30 2.840E+02
    rev / 5.310E+19 -3.30 7.317E+04 /
ch2+o = co+h+h 5.000E+13 0.00 0.000E+00
    rev / 0.000E+00 0.00 0.000E+00 /
ch2+h = ch+h2 1.000E+18 -1.56 0.000E+00
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    rev / 7.026E+17 -1.56 2.990E+03 /
ch2+oh = ch+h2o 1.130E+07 2.00 3.000E+03
    rev / 3.437E+07 2.00 2.115E+04 /
ch2+o2 = co2+h+h 3.290E+21 -3.30 2.868E+03
    rev / 0.000E+00 0.00 0.000E+00 /
ch+o2 = hco+o 3.300E+13 0.00 0.000E+00
    rev / 4.402E+13 0.00 7.199E+04 /
ch3oh+oh = ch2oh+h2o 7.100E+06 1.80 -5.960E+02
    rev / 3.293E+01 3.46 2.272E+04 /
ch3oh+h = ch3o+h2 3.600E+12 0.00 6.095E+03
    rev / 7.467E+12 -0.02 7.825E+03 /
ch3oh+h = ch2oh+h2 1.440E+13 0.00 6.095E+03
    rev / 1.543E+07 1.66 1.425E+04 /
ch3oh+ch3 = ch2oh+ch4 3.190E+01 3.17 7.172E+03
    rev / 8.927E-04 4.83 1.581E+04 /
ch3oh+o = ch2oh+oh 3.880E+05 2.50 3.080E+03
    rev / 4.960E+03 2.50 8.781E+03 /
ch2oh+o2 = ch2o+ho2 3.810E+06 2.00 1.641E+03
    rev / 1.768E+11 0.67 2.418E+04 /
ch2oh(+m)=ch20+h(+m) 2.800E+14 -0.73 3.282E+04
    low/6.01E+33 -5.39 3.62E+04/
    troe/ 0.96 67.6 1855. 7543./
c2h3+o2 = c2h2+ho2 2.120E-06 6.00 9.484E+03
    rev / 1.114E-07 6.33 1.757E+04 /
DUPLICATE
h202+o = oh+ho2 9.550E+06 2.00 3.970E+03
    rev / 2.541E+07 1.68 1.985E+04 /
c2h2+o = hcco+h 1.430E+07 2.00 1.900E+03
    rev / 2.021E+05 2.00 1.331E+04 /
c}2\textrm{h}2+\textrm{oh}=\textrm{ch}2\textrm{co+h}3.236\textrm{E}+13 0.00 1.200E+0
    rev / 3.194E+14 0.00 3.267E+04 /
ch2co+h = ch3+co 1.100E+13 0.00 3.400E+03
    rev / 2.400E+12 0.00 4.020E+04 /
ch2co+o = ch2+co2 1.750E+12 0.00 1.350E+03
    rev / 3.739E+12 0.00 5.369E+04 /
ch2+o2 = ch20+o 3.290E+21 -3.30 2.868E+03
    rev / 3.862E+22 -3.30 6.318E+04 /
ch2co(+m)= ch2+co(+m) 3.000E+14 0.00 7.098E+04
    low/3.6000E+15 0.00 5.9270E+04/
ch2co+o = hcco+oh 1.000E+13 0.00 8.000E+03
    rev / 1.432E+10 0.00 -1.255E+03 /
ch2co+oh = hcco+h2o 1.000E+13 0.00 2.000E+03
    rev / 1.412E+11 0.00 9.995E+03 /
ch2co+h = hcco+h2 2.000E+14 0.00 8.000E+03
    rev / 6.522E+11 0.00 8.400E+02 /
hcco+oh = hco+hco 1.000E+13 0.00 0.000E+00
    rev / 4.820E+13 0.00 4.036E+04 /
hcco+h = ch2(s)+co 1.100E+14 0.00 0.000E+00
    rev / 6.660E+13 0.00 3.926E+04 /
hcco+o = h+co+co 8.000E+13 0.00 0.000E+00
    rev / 0.000E+00 0.00 0.000E+00 /
c2h6+o2 = c2h5+ho2 4.000E+13 0.00 5.090E+04
    rev / 3.000E+11 0.00 0.000E+00 /
c2h6+ho2 = c2h5+h2o2 1.700E+13 0.00 2.046E+04
        rev / 2.500E+11 0.00 6.500E+03 /
ch2+o2 = co2+h2 1.010E+21 -3.30 1.508E+03
    rev / 3.054E+23 -3.30 1.867E+05 /
ch3+c2h3 = ch4+c2h2 3.920E+11 0.00 0.000E+00
    rev / 2.962E+13 0.00 6.605E+04 /
ch3+c2h5 = ch4+c2h4 1.950E+13 -0.50 0.000E+00
    rev / 2.895E+16 -0.70 7.017E+04 /
ch3oh+ch2o = ch3o+ch3o 3.835E+13 0.05 8.472E+04
    rev / 6.030E+13 0.00 0.000E+00 /
ch2o+ch3o = ch3oh+hco 1.150E+11 0.00 1.280E+03
    rev / 3.020E+11 0.00 1.816E+04 /
ch4+ch3o = ch3+ch3oh 1.570E+11 0.00 8.842E+03
    rev / 1.046E+09 0.00 5.000E+04 /
c2h6+ch3o = c2h5+ch3oh 3.000E+11 0.00 7.000E+03
    rev / 1.714E+10 0.00 5.000E+04 /
c2h3+h = c2h2+h2 2.000E+13 0.00 2.500E+03
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    rev / 1.331E+13 0.00 6.808E+04 /
ch3o+ch3oh = ch2oh+ch3oh 3.000E+11 0.00 4.074E+03
    rev / 1.549E+05 1.68 1.050E+04 /
ch3oh+oh = ch3o+h2o 1.000E+06 2.10 4.967E+02
    rev / 8.981E+06 2.08 1.738E+04 /
c2h5+h = ch3+ch3 3.610E+13 0.00 0.000E+00
    rev / 5.446E+16 -1.03 1.698E+04 /
c2h3+o2 = ch2o+hco 1.700E+29 -5.31 6.500E+03
    rev / 1.657E+29 -5.31 9.305E+04 /
c2h6 = c2h5+h 2.783E+21 -1.56 1.038E+05
    rev / 3.610E+13 0.00 0.000E+00 /
c2h5oh(+m) = ch2oh+ch3(+m) 5.710E+23 -1.68 9.441E+04
    low/3.110E+85 -18.84 1.1310E+05/
    troe/ 0.5 550. 825. 6100./
    h2/2/ h2o/5/ co/2/ co2/3/
c2h5oh(+m) = c2h5+oh(+m) 2.400E+23 -1.62 9.954E+04
    low/5.110E+85 -18.80 1.1877E+05/
    troe/ 0.5 650. 800. 1.0E+15/
    h2/2/ h2o/5/ co/2/ co2/3/
c2h5oh(+m)=c2h4+h20(+m) 2.790E+13 0.09 6.614E+04
    low/2.570E+83 -18.85 8.6453E+04/
    troe/ 0.7 350. 800. 3800./
    h2o/5/
c2h5oh(+m) = ch3cho+h2(+m) 7.240E+11 0.10 9.101E+04
    low/4.460E+87 -19.42 1.1559E+05/
    troe/ 0.9 900. 1100. 3500./
    h2o/5/
c2h5oh+o2 = pc2h4oh+ho2 2.000E+13 0.00 5.280E+04
    rev / 3.470E+08 0.32 -1.105E+03 /
c2h5oh+o2 = sc2h4oh+ho2 1.500E+13 0.00 5.015E+04
    rev / 1.079E+09 0.63 -5.040E+02 /
c2h5oh+oh = pc2h4oh+h2o 1.740E+11 0.27 6.000E+02
    rev / 7.196E+08 0.26 1.933E+04 /
c2h5oh+oh = sc2h4oh+h2o 4.640E+11 0.15 0.000E+00
    rev / 7.957E+09 0.45 2.199E+04 /
c2h5oh+h = pc2h4oh+h2 1.230E+07 1.80 5.098E+03
    rev / 1.175E+04 1.79 8.677E+03 /
c2h5oh+h = sc2h4oh+h2 2.580E+07 1.65 2.827E+03
    rev / 1.022E+05 1.95 9.657E+03 /
c2h5oh+ho2 = pc2h4oh+h2o2 1.230E+04 2.55 1.575E+04
    rev / 3.019E+02 2.21 3.021E+03 /
c2h5oh+ho2 = sc2h4oh+h2o2 8.200E+03 2.55 1.075E+04
    rev / 8.348E+02 2.53 1.272E+03 /
c2h5oh+ho2 = c2h5o+h2o2 2.500E+12 0.00 2.400E+04
    rev / 1.514E+14 -1.80 3.800E+04 /
c2h5oh+o = pc2h4oh+oh 9.410E+07 1.70 5.459E+03
    rev / 3.947E+04 1.69 6.943E+03 /
c2h5oh+o = sc2h4oh+oh 1.880E+07 1.85 1.824E+03
    rev / 3.270E+04 2.15 6.559E+03 /
c2h5oh+ch3 = pc2h4oh+ch4 1.330E+02 3.18 9.362E+03
    rev / 3.319E+00 3.17 1.342E+04 /
c2h5oh+ch3 = sc2h4oh+ch4 4.440E+02 2.90 7.690E+03
    rev / 4.594E+01 3.20 1.500E+04 /
c2h5oh+c2h5 = pc2h4oh+c2h6 5.000E+10 0.00 1.340E+04
        rev / 6.995E+10 0.00 2.699E+04 /
c2h5oh+c2h5 = sc2h4oh+c2h6 5.000E+10 0.00 1.040E+04
        rev / 6.995E+10 0.00 2.399E+00 /
pc2h4oh = c2h4+oh 1.293E+12 -0.37 2.685E+04
        rev / 9.930E+11 0.00 -9.600E+02 /
sc2h4oh+m = ch3cho+h+m 1.000E+14 0.00 2.500E+04
    rev / 8.166E+12 0.37 7.300E+02 /
c2h4+ch3 = c2h3+ch4 6.620E+00 3.70 9.500E+03
    rev / 1.440E+00 4.02 5.472E+03 /
ch3co(+m) = ch3+co(+m) 3.000E+12 0.00 1.672E+04
    low/1.20E+15 0.00 1.2518E+04/
ch3cho = ch3+hco 2.614E+15 0.15 8.055E+04
    rev / 2.000E+13 0.00 0.000E+00 /
ch3cho+o2 = ch3co+ho2 3.010E+13 0.00 3.915E+04
    rev / 8.552E+10 0.32 -1.940E+03 /
ch3cho+oh = ch3co+h2o 2.000E+06 1.80 1.300E+03
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    rev / 1.354E+06 1.79 3.285E+04 /
ch3cho+h = ch3co+h2 1.340E+13 0.00 3.300E+03
    rev / 2.096E+12 -0.01 1.969E+04 /
ch3cho+o = ch3co+oh 5.940E+12 0.00 1.868E+03
    rev / 4.080E+11 -0.01 1.617E+04 /
ch3cho+ho2 = ch3co+h2o2 3.010E+12 0.00 1.193E+04
    rev / 1.210E+13 -0.34 1.201E+04 /
ch3cho+ch3 = ch3co+ch4 2.608E+06 1.78 5.911E+03
    rev / 1.066E+07 1.77 2.279E+04 /
c2h4+o2 = c2h3+ho2 4.000E+13 0.00 5.820E+04
    rev / 4.939E+13 -0.50 1.368E+03 /
ch2o+m = co+h2+m 1.826E+32 -4.42 8.712E+04
    rev / 5.070E+27 -3.42 8.435E+04 /
c2h4+ch3o = c2h3+ch3oh 1.200E+11 0.00 6.750E+03
    rev / 1.000E+10 0.00 9.000E+03 /
ch3coch3 = ch3co+ch3 1.219E+23 -1.99 8.395E+04
    rev / 1.000E+13 0.00 0.000E+00 /
ch3coch3+oh = ch3coch 2+h2o 1.054E+10 0.97 1.586E+03
    rev / 6.931E+09 0.97 2.325E+04 /
ch}3\operatorname{coch}3+h=\operatorname{ch}3\operatorname{coch}2+h2 5.628E+07 2.00 7.700E+0
    rev / 9.000E+12 0.00 1.450E+05 /
ch3coch3+o = ch3coch2+oh 1.130E+14 0.00 7.850E+03
    rev / 7.500E+12 0.00 1.230E+04 /
ch}3\operatorname{coch}3+\operatorname{ch}3=\operatorname{ch}3\operatorname{coch}2+\operatorname{ch}4\quad3.960E+11 0.00 9.784E+0
    rev / 5.378E+08 0.86 1.754E+04 /
ch}3\operatorname{coch}3+\operatorname{ch}30=\operatorname{ch}3\operatorname{coch}2+\operatorname{ch}30h 1.000E+11 0.00 7.000E+0
    rev / 1.000E+10 0.00 9.000E+03 /
ch3coch2 = ch2co+ch3 1.000E+14 0.00 3.100E+04
    rev / 1.000E+11 0.00 6.000E+03 /
ch3coch3+o2 = ch3coch2+ho2 1.200E+14 0.00 4.600E+04
    rev / 2.000E+12 0.00 2.000E+03 /
ch3coch3+ho2 = ch3coch2+h2o2 1.700E+13 0.00 2.046E+04
    rev / 1.000E+11 0.00 8.000E+03 /
c2h5co = c2h5+co 1.834E+15 -0.73 1.291E+04
        rev / 1.510E+11 0.00 4.810E+03 /
c2h5choth = c2h5co+h2 3.980E+13 0.00 4.200E+03
    rev / 1.778E+13 0.00 2.367E+04 /
c2h5cho+o = c2h5co+oh 5.010E+12 0.00 1.790E+03
    rev / 1.000E+12 0.00 1.916E+04 /
c2h5cho+oh = c2h5co+h2o 9.240E+06 1.50 -9.620E+02
    rev / 5.855E+06 1.50 3.058E+04 /
c2h5cho+ch3 = c 2h5co+ch4 2.608E+06 1.78 5.911E+03
    rev / 9.972E+06 1.78 2.278E+04 /
c2h5cho+ho2 = c2h5co+h202 1.000E+12 0.00 1.100E+04
    rev / 1.000E+12 0.00 1.400E+04 /
c2h5cho+ch3o = c2h5co+ch3oh 1.000E+12 0.00 3.300E+03
    rev / 3.160E+11 0.00 1.800E+04 /
c2h5cho+c2h5 = c2h5co+c2h6 1.000E+12 0.00 8.000E+03
    rev / 1.585E+13 0.00 2.800E+04 /
c2h5cho = c2h5+hco 9.850E+18 -0.73 8.171E+04
    rev / 1.810E+13 0.00 0.000E+00 /
c2h5cho+o2 = c2h5co+ho2 2.000E+13 0.50 4.220E+04
    rev / 1.909E+14 0.50 3.090E+03 /
c2h5cho+c2h3 = c2h5co+c2h4 1.700E+12 0.00 8.440E+03
        rev / 2.488E+14 0.00 2.619E+04 /
h2o2+h = h2+ho2 4.820E+13 0.00 7.950E+03
    rev / 1.875E+12 0.33 2.426E+04 /
hco+o = co2+h 3.000E+13 0.00 0.000E+00
    rev / 9.677E+15 0.00 1.102E+05 /
ch3+m = ch2+h+m 1.968E+16 0.00 9.252E+04
    rev / 2.107E+11 1.00 -1.962E+04 /
ch3+h = ch2+h2 9.000E+13 0.00 1.510E+04
    rev / 1.818E+13 0.00 1.040E+04 /
ch3+oh = ch2+h2o 3.000E+06 2.00 2.500E+03
    rev / 2.623E+06 2.00 1.296E+04 /
ch+ch4 = c2h4+h 6.000E+13 0.00 0.000E+00
    rev / 3.573E+14 0.00 5.548E+04 /
ch3oh(+m) = ch2oh+h(+m) 2.690E+16 -0.08 9.894E+04
    low / 2.34E+40 -6.33 1.031E+05/
    troe/ 0.773 693. 5333./
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ch $3 \mathrm{co}+\mathrm{h}=\mathrm{ch} 2 \mathrm{co}+\mathrm{h} 2 \quad 2.000 \mathrm{E}+13 \quad 0.00 \quad 1.000 \mathrm{E}-10$ rev / 7.270E+09 0.00 8.304E+04 /
ch $3 \mathrm{co}+\mathrm{O}=\mathrm{ch} 2 \mathrm{co}+\mathrm{oh} 2.000 \mathrm{E}+13 \quad 0.00 \quad 1.000 \mathrm{E}-10$ rev / 7.270E+09 $0.00 \quad 8.304 \mathrm{E}+04$ /
$\operatorname{ch} 3 \mathrm{co}+\operatorname{ch} 3=\operatorname{ch} 2 \mathrm{co}+\operatorname{ch} 4 \quad 5.000 \mathrm{E}+13 \quad 0.00 \quad 1.000 \mathrm{E}-10$ rev / 7.270E+09 0.00 8.304E+04 /
$\mathrm{c} 2 \mathrm{~h} 4+\mathrm{o}=\mathrm{ch} 2 \mathrm{cho}+\mathrm{h} \quad 3.390 \mathrm{E}+06 \quad 1.88 \quad 1.790 \mathrm{E}+02$ rev / 9.481E+06 1.79 1.605E+04 /
$\mathrm{c} 2 \mathrm{~h} 5+\mathrm{o}=$ ch3choth $5.000 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 9.000E+13 $0.00 \quad 7.268 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 6+\mathrm{ch}=\mathrm{c} 2 \mathrm{~h} 5+\mathrm{ch} 2 \quad 1.100 \mathrm{E}+14 \quad 0.00-2.600 \mathrm{E}+02$ rev / 3.829E+10 0.56 4.400E+02 /
ch $20 h+\operatorname{ch} 20=\operatorname{ch} 30 h+h c o \quad 1.292 \mathrm{E}-01 \quad 4.56 \quad 6.596 \mathrm{E}+03$ rev / 9.630E+03 2.90 1.311E+04 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{oh}+\mathrm{oh}=\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o}+\mathrm{h} 2 \mathrm{o} \quad 7.460 \mathrm{E}+11 \quad 0.30 \quad 1.634 \mathrm{E}+03$ rev / $3.956 \mathrm{E}+13$-0.14 $1.852 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{oh}+\mathrm{h}=\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o}+\mathrm{h} 2 \quad 1.500 \mathrm{E}+07 \quad 1.60 \quad 3.038 \mathrm{E}+03$ rev / $1.837 \mathrm{E}+08$ 1.17 4.772E+03 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{oh}+\mathrm{o}=\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o}+\mathrm{oh} \quad 1.580 \mathrm{E}+07 \quad 2.00 \quad 4.448 \mathrm{E}+03$ rev / 8.500E+07 1.56 4.087E+03 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{oh}+\mathrm{ch} 3=\mathrm{c} 2 \mathrm{~h} 50+\mathrm{ch} 4 \quad 1.340 \mathrm{E}+02 \quad 2.92 \quad 7.452 \mathrm{E}+03$ rev / 4.288E+04 2.48 9.666E+03 /
sc2h4oh+o2 = ch3chotho2 3.810E+06 $2.00 \quad 1.641 \mathrm{E}+03$ rev / $1.066 \mathrm{E}+081.70 \quad 2.733 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o}+\mathrm{o} 2=$ ch3chotho2 $4.280 \mathrm{E}+10 \quad 0.00 \quad 1.097 \mathrm{E}+03$ rev / 3.872E+08 $0.44 \quad 3.188 \mathrm{E}+04$ /
h $202+\mathrm{o} 2=$ ho2+ho2 $1.839 \mathrm{E}+14-0.66 \quad 3.955 \mathrm{E}+04$ rev / 1.300E+11 $0.00-1.629 \mathrm{E}+03$ /
DUPLICATE
h202+oh $=$ h $20+$ ho2 $5.800 \mathrm{E}+14 \quad 0.00 \quad 9.560 \mathrm{E}+03$ rev / 9.771E+13 0.33 4.102E+04 /
DUPLICATE
$\mathrm{C} 2 \mathrm{~h} 5 \mathrm{O} 2=\mathrm{c} 2 \mathrm{~h} 5+\mathrm{o} 2 \quad 4.930 \mathrm{E}+50-11.50 \quad 4.225 \mathrm{E}+04$ rev / 1.090E+48 -11.54 1.022E+04 /
ch $302+m=\operatorname{ch} 3+02+m \quad 4.343 \mathrm{E}+27 \quad-3.42 \quad 3.047 \mathrm{E}+04$ rev / 5.440E+25 -3.30 0.000E+00 /
ch $302 h=$ ch $30+o h \quad 6.310 \mathrm{E}+14 \quad 0.00 \quad 4.230 \mathrm{E}+04$ rev / 1.166E+11 0.60-1.771E+03 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o} 2 \mathrm{~h}=\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o}+\mathrm{oh} \quad 6.310 \mathrm{E}+14 \quad 0.00 \quad 4.230 \mathrm{E}+04$ rev / $1.012 \mathrm{E}+08$ 1.48-3.887E+03 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o}+\mathrm{m}=\mathrm{ch} 3+\mathrm{ch} 20+\mathrm{m} \quad 1.350 \mathrm{E}+38-6.96 \quad 2.380 \mathrm{E}+04$ rev / 6.442E+36 -6.99 1.685E+04 /
ch $302+\operatorname{ch} 20=\operatorname{ch} 302 h+h c o \quad 1.990 \mathrm{E}+12 \quad 0.00 \quad 1.167 \mathrm{E}+04$ rev / 8.504E+12 -0.50 7.009E+03 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o} 2+\mathrm{ch} 2 \mathrm{o}=\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o} 2 \mathrm{~h}+\mathrm{hco} 1.990 \mathrm{E}+12 \quad 0.00 \quad 1.167 \mathrm{E}+04$ rev / 6.411E+12 -0.47 6.967E+03 /
$\mathrm{c} 2 \mathrm{~h} 4+\operatorname{ch} 3 \mathrm{o} 2=\mathrm{c} 2 \mathrm{~h} 3+\operatorname{ch} 3 \mathrm{o} 2 \mathrm{~h} \quad 1.130 \mathrm{E}+13 \quad 0.00 \quad 3.043 \mathrm{E}+04$ rev / 3.000E+12 0.00 1.150E+04 /
$c 2 h 4+c 2 h 502=c 2 h 3+c 2 h 5 o 2 h \quad 1.130 E+13 \quad 0.00 \quad 3.043 E+04$ rev / 3.000E+12 0.00 1.150E+04 /
$\operatorname{ch} 4+\operatorname{ch} 302=\operatorname{ch} 3+\operatorname{ch} 302 h \quad 1.810 \mathrm{E}+11 \quad 0.00 \quad 1.848 \mathrm{E}+04$ rev / 3.708E+11 -0.50-1.327E+03 /
$\begin{array}{ccccc}c h 4+c 2 h 502=c h 3+c 2 h 502 h \quad 1.810 \mathrm{E}+11 & 0.00 & 1.848 \mathrm{E}+04\end{array}$ rev / 2.796E+11 -0.47-1.369E+03 /
ch $30 h+\operatorname{ch} 302=\operatorname{ch} 2 \mathrm{oh}+\operatorname{ch} 302 h \quad 1.810 \mathrm{E}+12 \quad 0.00 \quad 1.371 \mathrm{E}+04$ rev / $1.038 \mathrm{E}+08 \quad 1.16 \quad 2.542 \mathrm{E}+03$ /
ch $30 h+c 2 h 502=c h 2 o h+c 2 h 5 o 2 h \quad 1.810 \mathrm{E}+12 \quad 0.00 \quad 1.371 \mathrm{E}+04$ rev / 7.824E+07 1.19 2.500E+03 /
c2h5+ho2 = c2h5otoh 3.200E+13 0.00 0.000E+00 rev / 3.075E+15 -0.32 2.749E+04 /
$\operatorname{ch} 302+\operatorname{ch} 3=\operatorname{ch} 30+\operatorname{ch} 30 \quad 7.000 \mathrm{E}+12 \quad 0.00-1.000 \mathrm{E}+03$ rev / 2.971E+16 -0.93 2.831E+04 /
ch $302+c 2 h 5=\operatorname{ch} 30+c 2 h 50 \quad 7.000 \mathrm{E}+12 \quad 0.00-1.000 \mathrm{E}+03$ rev / 6.569E+16 -0.90 3.126E+04 /
$\operatorname{ch} 302+h o 2=\operatorname{ch} 302 h+02 \quad 1.750 \mathrm{E}+10 \quad 0.00-3.275 \mathrm{E}+03$ rev / 5.156E+13 -0.83 3.488E+04 /
ch3oh+o2 = ch2oh+ho2 $2.050 \mathrm{E}+13 \quad 0.00 \quad 4.490 \mathrm{E}+04$ rev / 3.989E+05 1.99-4.424E+03 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o} 2+\mathrm{ho} 2=\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o} 2 \mathrm{~h}+\mathrm{o} 2 \quad 1.750 \mathrm{E}+10 \quad 0.00-3.275 \mathrm{E}+03$ rev / 3.887E+13 -0.79 3.484E+04 /
ch $302+\operatorname{ch} 3 o 2=\operatorname{ch} 20+\operatorname{ch} 3 o h+o 2 \quad 3.110 \mathrm{E}+14-1.61-1.051 \mathrm{E}+03$ rev / 0.000E+00 $0.00 \quad 0.000 \mathrm{E}+00$ /
ch $302+\operatorname{ch} 302=02+\operatorname{ch} 30+\operatorname{ch} 30 \quad 1.400 \mathrm{E}+16-1.61 \quad 1.860 \mathrm{E}+03$ rev / $0.000 \mathrm{E}+000.00 \quad 0.000 \mathrm{E}+00$ /
$\mathrm{c} 2 \mathrm{~h} 6+\operatorname{ch} 3 \mathrm{o} 2=\mathrm{c} 2 \mathrm{~h} 5+\operatorname{ch} 3 \mathrm{o} 2 \mathrm{~h} \quad 1.700 \mathrm{E}+13 \quad 0.00 \quad 2.046 \mathrm{E}+04$ rev / 7.500E+11 0.00 1.280E+03 /
$\mathrm{c} 2 \mathrm{~h} 6+\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o} 2=\mathrm{c} 2 \mathrm{~h} 5+\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o} 2 \mathrm{~h} \quad 1.700 \mathrm{E}+13 \quad 0.00 \quad 2.046 \mathrm{E}+04$ rev / 7.500E+11 0.00 1.280E+03 /
o2c2h4oh $=\mathrm{pc} 2 \mathrm{~h} 4 \mathrm{oh}+\mathrm{o} 2 \quad 3.900 \mathrm{E}+16-1.00 \quad 3.000 \mathrm{E}+04$ rev / 1.200E+11 $0.00-1.100 \mathrm{E}+03$ /
$\mathrm{o} 2 \mathrm{c} 2 \mathrm{~h} 4 \mathrm{oh}=\mathrm{oh}+\mathrm{ch} 2 \mathrm{o}+\mathrm{ch} 2 \mathrm{O} \quad 1.250 \mathrm{E}+10 \quad 0.00 \quad 1.890 \mathrm{E}+04$ rev / 0.000E+00 0.00 0.000E+00 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{O} 2=\mathrm{c} 2 \mathrm{~h} 4 \mathrm{O} 2 \mathrm{~h} \quad 5.640 \mathrm{E}+47-11.44 \quad 3.732 \mathrm{E}+04$ rev / 6.990E+48-12.22 2.585E+04 /
$\mathrm{c} 2 \mathrm{~h} 4 \mathrm{O} 2 \mathrm{~h}=\mathrm{c} 2 \mathrm{~h} 4 \mathrm{O}-2+\mathrm{oh} \quad 4.250 \mathrm{E}+22 \quad-4.18 \quad 2.235 \mathrm{E}+04$ rev / 0.000E+00 $0.00 \quad 0.000 \mathrm{E}+00$ /
$\operatorname{ch} 3 \operatorname{co3}=\operatorname{ch} 3 \operatorname{co}+024.732 \mathrm{E}+19 \quad-1.93 \quad 2.590 \mathrm{E}+04$ rev / 1.200E+11 $0.00-1.100 \mathrm{E}+03$ /
$\operatorname{ch} 3 \mathrm{co} 2+\mathrm{m}=\operatorname{ch} 3+\operatorname{co} 2+\mathrm{m} \quad 4.400 \mathrm{E}+15 \quad 0.00 \quad 1.050 \mathrm{E}+04$ rev / $1.000 \mathrm{E}-10 \quad 0.00 \quad 0.000 \mathrm{E}+00$ /
ch3co3h $=\operatorname{ch} 3 \operatorname{co} 2+o h \quad 5.010 \mathrm{E}+14 \quad 0.00 \quad 4.015 \mathrm{E}+04$ rev / 1.738E+08 1.57 1.305E+03 /
ch $3 \operatorname{co} 3+$ ho2 $=\operatorname{ch} 3 \operatorname{co} 3 h+o 2 \quad 1.750 \mathrm{E}+10 \quad 0.00-3.275 \mathrm{E}+03$ rev / 4.000E+12 -0.30 5.270E+04 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o}+\mathrm{m}=\mathrm{ch} 3 \mathrm{cho}+\mathrm{h}+\mathrm{m} \quad 1.160 \mathrm{E}+35-5.89 \quad 2.527 \mathrm{E}+04$ rev / 3.063E+30-4.78 6.100E+03 /
h $2 \mathrm{o} 2+\operatorname{ch} 3 \operatorname{co} 3=$ ho $2+\operatorname{ch} 3 \operatorname{co} 3 \mathrm{~h} \quad 2.410 \mathrm{E}+12 \quad 0.00 \quad 9.936 \mathrm{E}+03$ rev / 3.894E+11 0.35 2.473E+04 /
$\operatorname{ch} 4+\operatorname{ch} 3 \operatorname{co} 3=\operatorname{ch} 3+\operatorname{ch} 3 \operatorname{co} 3 h \quad 1.810 \mathrm{E}+11 \quad 0.00 \quad 1.848 \mathrm{E}+04$ rev / 2.877E+10 0.03 1.649E+04 /
$\mathrm{c} 2 \mathrm{~h} 4+\operatorname{ch} 3 \operatorname{co} 3=\mathrm{c} 2 \mathrm{~h} 3+\operatorname{ch} 3 \operatorname{co} 3 \mathrm{~h} \quad 1.130 \mathrm{E}+13 \quad 0.00 \quad 3.043 \mathrm{E}+04$ rev / 3.189E+15 -0.80 2.957E+04 /
$\mathrm{c} 2 \mathrm{~h} 6+\operatorname{ch} 3 \operatorname{co3}=\mathrm{c} 2 \mathrm{~h} 5+\operatorname{ch} 3 \operatorname{co3h} \quad 1.700 \mathrm{E}+13 \quad 0.00 \quad 2.046 \mathrm{E}+04$ rev / 1.727E+10 0.59 2.264E+04 /
$\operatorname{ch} 20+\operatorname{ch} 3 \operatorname{co} 3=\operatorname{hco}+\operatorname{ch} 3 \operatorname{co3h} \quad 1.990 \mathrm{E}+12 \quad 0.00 \quad 1.167 \mathrm{E}+04$ rev / 6.598E+11 $0.03 \quad 2.483 \mathrm{E}+04$ /
$\operatorname{ch} 302+\operatorname{ch} 3 \operatorname{cho}=\operatorname{ch} 302 h+\operatorname{ch} 3 \mathrm{co} \quad 3.010 \mathrm{E}+12 \quad 0.00 \quad 1.193 \mathrm{E}+04$ rev / 2.519E+13 -0.51 8.991E+03 /
ch 3 cho $+\operatorname{ch} 3 \operatorname{co} 3=\operatorname{ch} 3 \cot +\operatorname{ch} 3 \operatorname{co} 3 h \quad 3.010 \mathrm{E}+12 \quad 0.00 \quad 1.193 \mathrm{E}+04$ rev / 1.955E+12 $0.02 \quad 2.681 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 3 \mathrm{co}=\mathrm{c} 2 \mathrm{~h} 3+\mathrm{co} \quad 2.040 \mathrm{E}+14 \quad-0.40 \quad 3.145 \mathrm{E}+04$ rev / 1.510E+11 0.00 4.810E+03 /
$\mathrm{c} 2 \mathrm{~h} 3 \mathrm{cho}+\mathrm{oh}=\mathrm{c} 2 \mathrm{~h} 3 \mathrm{co}+\mathrm{h} 20 \quad 9.240 \mathrm{E}+06 \quad 1.50-9.620 \mathrm{E}+02$ rev / $1.439 \mathrm{E}+07$ 1.53 $3.645 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 3 \mathrm{cho}+\mathrm{h}=\mathrm{c} 2 \mathrm{~h} 3 \mathrm{co}+\mathrm{h} 2 \quad 1.340 \mathrm{E}+13 \quad 0.00 \quad 3.300 \mathrm{E}+03$ rev / 4.820E+12 0.03 2.556E+04 /
$\mathrm{c} 2 \mathrm{~h} 3 \mathrm{cho}+\mathrm{o}=\mathrm{c} 2 \mathrm{~h} 3 \mathrm{cotoh} \quad 5.940 \mathrm{E}+12 \quad 0.00 \quad 1.868 \mathrm{E}+03$ rev / 9.384E+11 $0.03 \quad 2.203 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 3 \mathrm{cho}+\mathrm{ho} 2=\mathrm{c} 2 \mathrm{~h} 3 \mathrm{co}+\mathrm{h} 2 \mathrm{o} 2 \quad 3.010 \mathrm{E}+12 \quad 0.00 \quad 1.193 \mathrm{E}+04$ rev / 2.783E+13 -0.30 1.788E+04 /
c2h3cho+ch3 = c $2 \mathrm{~h} 3 \operatorname{co}+\operatorname{ch} 4 \quad 2.608 \mathrm{E}+06 \quad 1.78 \quad 5.911 \mathrm{E}+03$ rev / 2.451E+07 1.81 2.865E+04 /
c2h3cho+ch3o2=c2h3co+ch3o2h 3.010E+12 $0.00 \quad 1.193 \mathrm{E}+04$ rev / 5.794E+13 -0.48 1.486E+04 /
$\mathrm{c} 2 \mathrm{~h} 4 \mathrm{o} 2 \mathrm{~h}=\mathrm{c} 2 \mathrm{~h} 4+\mathrm{ho} 2 \quad 9.290 \mathrm{E}+30 \quad-6.10 \quad 1.993 \mathrm{E}+04$ rev / $1.879 \mathrm{E}+25-4.48 \quad 1.166 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 4+\operatorname{ch} 302=\operatorname{c} 2 \mathrm{~h} 401-2+\operatorname{ch} 30 \quad 2.820 \mathrm{E}+12 \quad 0.00 \quad 1.711 \mathrm{E}+04$ rev / 0.000E+00 0.00 0.000E+00 /
$\mathrm{c} 2 \mathrm{~h} 4+\mathrm{c} 2 \mathrm{~h} 5 \mathrm{O} 2=\mathrm{c} 2 \mathrm{~h} 4 \mathrm{o1}-2+\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o} \quad 2.820 \mathrm{E}+12 \quad 0.00 \quad 1.711 \mathrm{E}+04$ rev / 0.000E+00 0.00 0.000E+00 /
c2h4o1-2 = ch3+hco 3.630E+13 0.00 5.720E+04 rev / $1.482 \mathrm{E}+06 \quad 1.00 \quad 2.420 \mathrm{E}+02$ /
c2h4o1-2 = ch3cho 7.407E+12 $0.00 \quad 5.380 \mathrm{E}+04$ rev / 3.953E+07 1.15 7.739E+04 /
$\mathrm{c} 2 \mathrm{~h} 401-2+\mathrm{h}=\mathrm{c} 2 \mathrm{~h} 3 \mathrm{ol-2+h20} 1.780 \mathrm{E}+13 \quad 0.00 \quad 3.610 \mathrm{E}+03$ rev / 4.815E+12 -0.98 3.923E+04 /
$\mathrm{c} 2 \mathrm{~h} 401-2+\mathrm{h}=\mathrm{c} 2 \mathrm{~h} 301-2+\mathrm{h} 2 \quad 8.000 \mathrm{E}+13 \quad 0.00 \quad 9.680 \mathrm{E}+03$ rev / 4.998E+12 -0.98 3.014E+04 /
$\mathrm{c} 2 \mathrm{~h} 4 \mathrm{O} 1-2+\mathrm{ho} 2=\mathrm{c} 2 \mathrm{~h} 3 \mathrm{O} 1-2+\mathrm{h} 2 \mathrm{O} 2 \quad 1.130 \mathrm{E}+13 \quad 0.00 \quad 3.043 \mathrm{E}+04$ rev / $1.814 \mathrm{E}+13-1.303 .458 \mathrm{E}+04$ /
$c 2 h 401-2+c h 3 o 2=c 2 h 301-2+c h 302 h \quad 1.130 \mathrm{E}+13 \quad 0.00 \quad 3.043 \mathrm{E}+04$ rev / 3.778E+13 -1.48 3.156E+04 /
$c 2 h 401-2+c 2 h 502=c 2 h 301-2+c 2 h 502 h \quad 1.130 \mathrm{E}+13 \quad 0.00 \quad 3.043 \mathrm{E}+04$ rev / 2.849E+13 -1.44 3.152E+04 /
$\mathrm{c} 2 \mathrm{~h} 401-2+\mathrm{ch} 3=\mathrm{c} 2 \mathrm{~h} 301-2+\mathrm{ch} 4 \quad 1.070 \mathrm{E}+12 \quad 0.00 \quad 1.183 \mathrm{E}+04$ rev / 1.746E+12 -0.98 3.277E+04 /
c2h401-2+ch3o = c2h301-2+ch3oh 1.200E+11 $0.00 \quad 6.750 \mathrm{E}+03$ rev / 3.614E+09 -0.95 2.548E+04 /
ch 3 coch $202=$ ch3coch $2+028.093 \mathrm{E}+15-1.11 \quad 2.745 \mathrm{E}+04$ rev / 1.200E+11 0.00-1.100E+03 /
ch3coch $3+$ ch 3 coch $202=$ ch $3 \operatorname{coch} 2+$ ch $3 \operatorname{coch} 202 h 1.000 \mathrm{E}+11 \quad 0.00 \quad 5.000 \mathrm{E}+03$ rev / 1.995E+10 $0.00 \quad 1.000 \mathrm{E}+04$ /
ch $20+$ ch $3 \operatorname{coch} 202=h c o+\operatorname{ch} 3 \operatorname{coch} 202 h \quad 1.288 \mathrm{E}+11 \quad 0.00 \quad 9.000 \mathrm{E}+03$ rev / 2.512E+10 $0.00 \quad 1.010 \mathrm{E}+04$ /
ho $2+$ ch $3 \operatorname{coch} 202=\operatorname{ch} 3 \operatorname{coch} 2 \mathrm{o} 2 \mathrm{~h}+\mathrm{O} 2 \quad 1.000 \mathrm{E}+12 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 0.000E+00 0.00 0.000E+00 /
ch3coch $2 \mathrm{o} 2 \mathrm{~h}=\mathrm{ch} 3 \mathrm{coch} 2 \mathrm{o}+\mathrm{oh} 1.000 \mathrm{E}+16 \quad 0.00 \quad 4.300 \mathrm{E}+04$ rev / 9.732E+08 1.70-4.175E+03 /
ch3coch2o = ch3co+ch2o 4.159E+16 -1.03 1.396E+04 rev / 1.000E+11 $0.00 \quad 1.190 \mathrm{E}+04$ /
c2h5cho+ch3o2 = c2h5co+ch3o2h 3.010E+12 0.00 1.193E+04 rev / 2.358E+13 -0.51 8.983E+03 /
$c 2 h 5 c h o+c 2 h 50=c 2 h 5 c o+c 2 h 5 o h \quad 6.026 \mathrm{E}+11 \quad 0.00 \quad 3.300 \mathrm{E}+03$ rev / 3.020E+11 $0.00 \quad 1.816 \mathrm{E}+04$ /
$c 2 h 5 c h o+c 2 h 5 o 2=c 2 h 5 c o+c 2 h 5 o 2 h \quad 3.010 \mathrm{E}+12 \quad 0.00 \quad 1.193 \mathrm{E}+04$ rev / 1.778E+13 -0.47 8.941E+03 /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{cho}+\operatorname{ch} 3 \mathrm{co3}=\mathrm{c} 2 \mathrm{~h} 5 \mathrm{co}+\operatorname{ch} 3 \mathrm{co} 3 \mathrm{~h} \quad 3.010 \mathrm{E}+12 \quad 0.00 \quad 1.193 \mathrm{E}+04$ rev / 1.829E+12 $0.02 \quad 2.680 \mathrm{E}+04$ /
ch3cho+oh $=$ ch $3+$ hco $2 \mathrm{~h} 3.000 \mathrm{E}+15$-1.08 $0.000 \mathrm{E}+00$ rev / 5.350E+19 -1.68 1.198E+05 /
c2h3o1-2 $=$ ch $3 \mathrm{co} \quad 8.500 \mathrm{E}+14 \quad 0.00 \quad 1.400 \mathrm{E}+04$ rev / 1.136E+10 2.11 3.352E+04 /
c2h3o1-2 = ch2cho $1.000 \mathrm{E}+14 \quad 0.00 \quad 1.400 \mathrm{E}+04$ rev / 1.233E+11 1.71 2.830E+04 /
ch2cho $=$ ch $2 \mathrm{co}+\mathrm{h} 3.094 \mathrm{E}+15-0.26 \quad 5.082 \mathrm{E}+04$ rev / 5.000E+13 $0.00 \quad 1.230 \mathrm{E}+04$ /
ch 2 choto2 $=$ ch $2 \mathrm{o}+\mathrm{co}+\mathrm{oh} 2.000 \mathrm{E}+13 \quad 0.00 \quad 4.200 \mathrm{E}+03$ rev / 0.000E+00 0.00 0.000E+00 /
hco3 $=$ hco+o2 $7.766 \mathrm{E}+26-3.96 \quad 4.423 \mathrm{E}+04$ rev / 1.200E+11 0.00-1.100E+03 /
ch2o+hco3 = hco+hco3h 1.990E+12 $0.00 \quad 1.167 \mathrm{E}+04$ rev / 2.331E+02 2.30 4.687E+03 /
hco3h $=$ hco2+oh $5.010 \mathrm{E}+14 \quad 0.00 \quad 4.015 \mathrm{E}+04$ rev / 2.322E+06 2.15 6.550E+02 /
hco2+m $=\mathrm{h}+\mathrm{co} 2+\mathrm{m} \quad 2.443 \mathrm{E}+15-0.50 \quad 2.650 \mathrm{E}+04$ rev / 7.500E+13 $0.00 \quad 2.900 \mathrm{E}+04$ /
hcco+o2 $=$ co2+hco 2.400E+11 $0.00-8.540 \mathrm{E}+02$ rev / 1.474E+14 $0.001 .336 \mathrm{E}+05$ /
ch3cho+oh = ch2cho + h2o 1.720E+05 $2.40 \quad 8.150 \mathrm{E}+02$ rev / 6.181E+08 1.25 8.984E+04 /
ch $2 \mathrm{co}+\mathrm{oh}=\mathrm{ch} 2 \mathrm{oh}+\mathrm{co} 3.730 \mathrm{E}+12 \quad 0.00-1.013 \mathrm{E}+03$ rev / 9.430E+06 1.66 2.749E+04 /
ch $3+02=$ ch $20+0 h \quad 7.470 \mathrm{E}+11 \quad 0.00 \quad 1.425 \mathrm{E}+04$ rev / 7.778E+11 $0.00 \quad 6.777 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 4+\mathrm{h} 2=\operatorname{ch} 3+\operatorname{ch} 3 \quad 3.767 \mathrm{E}+12 \quad 0.83 \quad 8.471 \mathrm{E}+04$ rev / 1.000E+14 $0.00 \quad 3.200 \mathrm{E}+04$ /
ch $3+o h=\operatorname{ch} 2(s)+h 20 \quad 2.650 \mathrm{E}+13 \quad 0.00 \quad 2.186 \mathrm{E}+03$ rev / 3.236E+10 $0.89 \quad 1.211 \mathrm{E}+03$ /
$\mathrm{c} 2 \mathrm{~h} 4+\mathrm{ho} 2=\mathrm{c} 2 \mathrm{~h} 4 \mathrm{o} 1-2+\mathrm{oh} \quad 2.230 \mathrm{E}+12 \quad 0.00 \quad 1.719 \mathrm{E}+04$ rev / 3.518E+17 -1.16 3.967E+04 /
ch3och3 = ch3+ch3o 4.860E+55-11.56 1.021E+05 rev / 1.173E+54-11.88 2.310E+04 /
ch3och3+oh $=$ ch3och $2+h 20$ 9.350E+05 2.29-7.800E+02 rev / 1.030E+06 1.99 2.329E+04 /
ch3och3+h = ch3och2+h2 7.721E+06 $2.09 \quad 3.384 \mathrm{E}+03$ rev / 1.964E+06 1.79 1.230E+04 /
ch3och3+o = ch3och $2+$ oh $1.855 \mathrm{E}-03 \quad 5.29-1.090 \mathrm{E}+02$ rev / 2.073E-04 5.00 6.708E+03 /
ch3och3+ho2 = ch3och2+h202 1.680E+13 0.00 1.769E+04 rev / 1.098E+14 -0.62 1.029E+04 /
ch 3 och $3+$ ch $302=$ ch3och $2+$ ch3o2h 1.680E+13 $0.00 \quad 1.769 \mathrm{E}+04$ rev / 2.287E+14 -0.80 7.270E+03 /
ch3och $3+$ ch $3=$ ch $30 c h 2+$ ch 4 1.445E-06 5.73 5.699E+03 rev / 9.603E-06 5.43 1.509E+04 /
ch 30 ch $3+02=$ ch 30 ch $2+h o 2 \quad 4.100 \mathrm{E}+13 \quad 0.00 \quad 4.491 \mathrm{E}+04$ rev / 1.895E+11 0.03-3.659E+03 /
ch 30 ch $3+\operatorname{ch} 30=$ ch 30 ch $2+\operatorname{ch} 30 h \quad 6.020 \mathrm{E}+11 \quad 0.00 \quad 4.074 \mathrm{E}+03$ rev / 7.383E+10 -0.27 1.026E+04 /
ch3och $2=\operatorname{ch} 20+\operatorname{ch} 3 \quad 1.600 \mathrm{E}+13 \quad 0.00 \quad 2.550 \mathrm{E}+04$ rev / 2.002E+12 $0.00 \quad 2.400 \mathrm{E}+04$ /
$\operatorname{ch} 30 \operatorname{ch} 2+\operatorname{ch} 30=\operatorname{ch} 30 \operatorname{ch} 3+\operatorname{ch} 20 \quad 2.410 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 1.250E+14 0.32 7.854E+04 /
ch $30 \operatorname{ch} 2+\operatorname{ch} 20=\operatorname{ch} 30 \operatorname{ch} 3+h c o \quad 5.490 \mathrm{E}+03 \quad 2.80 \quad 5.862 \mathrm{E}+03$ rev / 1.723E+03 3.10 1.162E+04 /
ch $30 \operatorname{ch} 2+\operatorname{ch} 3 \operatorname{cho}=\operatorname{ch} 30 \operatorname{ch} 3+\operatorname{ch} 3 \mathrm{co} 1.260 \mathrm{E}+12 \quad 0.00 \quad 8.499 \mathrm{E}+03$ rev / 7.746E+11 0.28 1.698E+04 /
ch 30 ch $2+$ ho $2=$ ch 30 ch $20+$ oh $9.000 \mathrm{E}+12 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 2.535E+15 -0.48 3.051E+04 /
ch3och $202=\operatorname{ch} 30 \operatorname{ch} 2+024.439 \mathrm{E}+19$-1.59 $3.624 \mathrm{E}+04$ rev / 2.000E+12 $0.00 \quad 0.000 \mathrm{E}+00$ /
ch3och $3+$ ch 30 ch $202=$ ch 30 ch $2+$ ch 30 ch $202 h \quad 5.000 \mathrm{E}+12 \quad 0.00 \quad 1.769 \mathrm{E}+04$ rev / 6.428E+13 -0.79 7.258E+03 /
ch 30 ch $202+$ ch $20=\operatorname{ch} 30 \operatorname{ch} 202 h+h c o \quad 1.000 \mathrm{E}+12 \quad 0.00 \quad 1.167 \mathrm{E}+04$ rev / 4.035E+12 -0.50 6.997E+03 /
 rev / $1.000 \mathrm{E}+12 \quad 0.00 \quad 1.000 \mathrm{E}+04$ /
ch3och $202 \mathrm{~h}=$ ch3och $20+$ oh $4.384 \mathrm{E}+21 \quad-1.94 \quad 4.387 \mathrm{E}+04$ rev / 2.000E+13 0.00 0.000E+00 /
ch3och $20=\operatorname{ch} 30+\operatorname{ch} 20 \quad 5.180 \mathrm{E}+12 \quad-0.13 \quad 1.937 \mathrm{E}+04$ rev / 1.000E+11 0.00 1.190E+04 /
ch3och $2 \mathrm{o} 2=\operatorname{ch} 2 \mathrm{och} 2 \mathrm{O} 2 \mathrm{~h} \quad 6.000 \mathrm{E}+10 \quad 0.00 \quad 2.158 \mathrm{E}+04$ rev / 1.248E+12 -0.77 1.122E+04 /
ch $20 \mathrm{ch} 2 \mathrm{o} 2 \mathrm{~h}=\mathrm{oh}+\operatorname{ch} 2 \mathrm{o}+\operatorname{ch} 20 \quad 1.500 \mathrm{E}+13 \quad 0.00 \quad 2.076 \mathrm{E}+04$ rev / 0.000E+00 0.00 0.000E+00 /
o2ch2och $202 h=\operatorname{ch} 20 \operatorname{ch} 2 \circ 2 h+o 2 \quad 1.924 \mathrm{E}+19 \quad-1.62 \quad 3.627 \mathrm{E}+04$ rev / 7.000E+11 0.00 0.000E+00 /
o2ch2och $202 h=$ ho2ch $20 c h o+o h \quad 4.000 \mathrm{E}+10 \quad 0.00 \quad 1.858 \mathrm{E}+04$ rev / 7.814E+03 1.49 5.881E+04 /
ho2ch2ocho $=$ och 2 ochotoh $2.000 \mathrm{E}+16 \quad 0.00 \quad 4.050 \mathrm{E}+04$ rev / 1.761E+09 1.49-3.185E+03 /
och2ocho $=$ ch2o+hco2 $5.964 \mathrm{E}+16-1.50 \quad 1.962 \mathrm{E}+04$ rev / 1.250E+11 $0.00 \quad 1.190 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 5 \mathrm{o} 2=\mathrm{c} 2 \mathrm{~h} 4+\mathrm{ho2} 3.370 \mathrm{E}+55-13.42 \quad 4.467 \mathrm{E}+04$ rev / $1.290 \mathrm{E}+50-12.28 \quad 2.130 \mathrm{E}+04$ /
$\mathrm{c} 2 \mathrm{~h} 4 \mathrm{o} 2 \mathrm{~h}=\mathrm{C} 2 \mathrm{~h} 5+\mathrm{o} 2$ 2.150E+37 -8.21 $2.802 \mathrm{E}+04$ rev / 2.420E+35 -8.03 8.312E+03 /
$\operatorname{ch} 30+\operatorname{ch} 3=\operatorname{ch} 20+\operatorname{ch} 4 \quad 2.400 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 8.270E+14 0.02 8.693E+04 /
ch 30 ch $3+h \operatorname{co3}=$ ch $3 o c h 2+h \operatorname{co3h} 4.425 \mathrm{E}+04 \quad 2.60 \quad 1.391 \mathrm{E}+04$ rev / 1.651E-05 4.61 1.172E+03 /
och2ocho = hoch $20 \mathrm{coc} \quad 1.000 \mathrm{E}+11 \quad 0.00 \quad 1.400 \mathrm{E}+04$ rev / 2.746E+08 -0.79 2.008E+04 /
hoch 20 oco $=$ hoch $20+c o \quad 2.177 \mathrm{E}+16-2.69 \quad 1.720 \mathrm{E}+04$ rev / 1.500E+11 0.00 4.800E+03 /
hoch $2 \mathrm{Oco}=\operatorname{ch} 2 \mathrm{oh}+\operatorname{co2} \quad 8.672 \mathrm{E}+17 \quad-3.45 \quad 1.908 \mathrm{E}+04$ rev / 1.500E+11 $0.00 \quad 3.520 \mathrm{E}+04$ /
ch2oh+ho2 = hoch $20+$ oh $1.000 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 8.515E+16 -1.09 3.309E+04 /
hoch $20=$ ch $20+0$ h $1.482 \mathrm{E}+17 \quad-1.21 \quad 2.124 \mathrm{E}+04$ rev / 4.500E+15 -1.10 0.000E+00 /
hoch $20=$ hco $2 h+h \quad 1.000 \mathrm{E}+14 \quad 0.00 \quad 1.490 \mathrm{E}+04$ rev / 5.904E+11 0.64 9.214E+03 /
$\mathrm{hco} 2 \mathrm{~h}+\mathrm{m}=\mathrm{co}+\mathrm{h} 2 \mathrm{O}+\mathrm{m} \quad 2.300 \mathrm{E}+13 \quad 0.00 \quad 5.000 \mathrm{E}+04$ rev / 1.422E+10 $0.46 \quad 4.684 \mathrm{E}+04$ /
$\mathrm{hco} 2 \mathrm{~h}+\mathrm{m}=\mathrm{co} 2+\mathrm{h} 2+\mathrm{m} \quad 1.500 \mathrm{E}+16 \quad 0.00 \quad 5.700 \mathrm{E}+04$ rev / 2.399E+14 0.46 6.102E+04 /
ch 30 ch $202+$ ch 30 ch $202=$ ch 30 cho + ch 30 ch 2 oh $+026.630 \mathrm{E}+22-4.50 \quad 0.000 \mathrm{E}+00$ rev / 0.000E+00 0.00 0.000E+00 /
$\operatorname{ch} 3 o c h 202+\operatorname{ch} 3 o c h 202=\mathrm{o} 2+\operatorname{ch} 30 \operatorname{ch} 2 \mathrm{o}+\operatorname{ch} 3 \mathrm{och} 201.547 \mathrm{E}+23-4.50 \quad 0.000 \mathrm{E}+00$ rev / 0.000E+00 0.00 0.000E+00 /
ch3och2o = ch3ochoth $1.745 \mathrm{E}+16$-0.66 $1.172 \mathrm{E}+04$ rev / $1.000 \mathrm{E}+130.00 \quad 7.838 \mathrm{E}+03$ /
ch3ocho $=$ ch3+hco2 $1.392 \mathrm{E}+18$-0.99 $7.914 \mathrm{E}+04$ rev / 1.000E+13 0.00 0.000E+00 /
ch3ocho+o2 $=$ ch3ocotho2 $1.000 \mathrm{E}+13 \quad 0.00 \quad 4.970 \mathrm{E}+04$ rev / 8.437E+09 -0.96 8.000E+00 /
ch3ocho+oh $=$ ch3ocoth2o 2.340E+07 1.61-3.500E+01 rev / 4.706E+06 $0.32 \quad 2.291 \mathrm{E}+04$ /
ch3ocho+ho2 $=$ ch3ocoth2o2 1.220E $+12 \quad 0.00 \quad 1.700 \mathrm{E}+04$ rev / 1.456E+12 -1.61 8.482E+03 /
ch3ochoto $=$ ch3ocotoh $2.350 \mathrm{E}+05 \quad 2.50 \quad 2.230 \mathrm{E}+03$ rev / 4.794E+03 1.21 7.925E+03 /
ch3ochoth $=$ ch3ocoth2 $4.550 \mathrm{E}+06 \quad 2.00 \quad 5.000 \mathrm{E}+03$ rev / 2.113E+05 0.71 1.279E+04 /
ch 30 cho + ch $3=$ ch 30 co 0 ch $4 \quad 7.550 \mathrm{E}-01 \quad 3.46 \quad 5.481 \mathrm{E}+03$ rev / 9.161E-01 2.17 1.375E+04 /
ch3ocho+ch30 $=\operatorname{ch} 30 \operatorname{cotch} 30 \mathrm{~h} 5.480 \mathrm{E}+11 \quad 0.00 \quad 5.000 \mathrm{E}+03$ rev / 1.227E+10 -1.26 1.106E+04 /
ch 30 cho + ch $302=$ ch $30 \mathrm{co}+$ ch $302 \mathrm{~h} \quad 1.220 \mathrm{E}+12 \quad 0.00 \quad 1.700 \mathrm{E}+04$ rev / 3.033E+12 -1.79 5.462E+03 /
ch3oco = ch3o+co 7.451E+12 $-1.76 \quad 1.715 \mathrm{E}+04$ rev / 1.500E+11 $0.003 .000 \mathrm{E}+03$ /
ch3oco $=$ ch3+co2 $1.514 \mathrm{E}+12 \quad-1.78 \quad 1.382 \mathrm{E}+04$ rev / 1.500E+11 $0.003 .673 \mathrm{E}+04$ /
och $2 \mathrm{o} 2 \mathrm{~h}=$ ch2o+ho2 $1.278 \mathrm{E}+18$-1.80 $1.046 \mathrm{E}+04$ rev / 1.500E+11 0.00 1.190E+04 /
och2o2h = hoch2o2 3.000E+11 $0.00 \quad 8.600 \mathrm{E}+03$ rev / 4.241E+08 $0.95 \quad 2.620 \mathrm{E}+04$ /
hoch $2 \mathrm{o} 2+$ ho $2=$ hoch $2 \mathrm{o} 2 \mathrm{~h}+\mathrm{o} 2 \quad 3.500 \mathrm{E}+10 \quad 0.00-3.275 \mathrm{E}+03$ rev / 1.046E+14 -0.84 3.487E+04 /
ch3och3+hco2 = ch3och $2+$ hco2h $1.000 \mathrm{E}+13 \quad 0.00 \quad 1.769 \mathrm{E}+04$ rev / 4.884E+12 -0.26 2.508E+04 /
hco2h $=$ hco+oh $4.593 \mathrm{E}+18 \quad-0.46 \quad 1.083 \mathrm{E}+05$ rev / 1.000E+14 $0.00 \quad 0.000 \mathrm{E}+00$ /
ch $20+h c o 2=$ hco+hco2h $5.600 \mathrm{E}+12 \quad 0.00 \quad 1.360 \mathrm{E}+04$ rev / 8.584E+11 $0.04 \quad 2.675 \mathrm{E}+04$ /
hco2+ho2 = hco2h+o2 3.500E+10 $0.00-3.275 \mathrm{E}+03$ rev / 3.699E+12 -0.29 5.269E+04 /
hco2+h2o2 = hco2h+ho2 2.400E+12 $0.00 \quad 1.000 \mathrm{E}+04$ rev / 1.793E+11 $0.36 \quad 2.479 \mathrm{E}+04$ /
hco2h+oh = h2otco2th $2.620 \mathrm{E}+06 \quad 2.06 \quad 9.160 \mathrm{E}+02$ rev / 0.000E+00 0.00 0.000E+00 /
hco2h+oh = h2o+cotoh 1.850E+07 1.51-9.620E+02 rev / 0.000E+00 0.00 0.000E+00 /
hco $2 \mathrm{~h}+\mathrm{h}=\mathrm{h} 2+\mathrm{co} 2+\mathrm{h} \quad 4.240 \mathrm{E}+06 \quad 2.10 \quad 4.868 \mathrm{E}+03$ rev / 0.000E+00 0.00 0.000E+00 /
hco2hth $=\mathrm{h} 2+\mathrm{co}+\mathrm{oh} \quad 6.030 \mathrm{E}+13-0.35 \quad 2.988 \mathrm{E}+03$ rev / 0.000E+00 0.00 0.000E+00 /
hco $2 \mathrm{~h}+\mathrm{ch} 3=\mathrm{ch} 4+\mathrm{co}+\mathrm{oh} 3.900 \mathrm{E}-07 \quad 5.80 \quad 2.200 \mathrm{E}+03$ rev / 0.000E+00 0.00 0.000E+00 /
hco $2 \mathrm{~h}+\mathrm{ho} 2=\mathrm{h} 2 \mathrm{o} 2+\mathrm{co}+\mathrm{oh} \quad 1.000 \mathrm{E}+12 \quad 0.00 \quad 1.192 \mathrm{E}+04$ rev / 0.000E+00 0.00 0.000E+00 /
$\mathrm{hco} 2 \mathrm{~h}+\mathrm{o}=\mathrm{cotoh}+\mathrm{oh} \quad 1.770 \mathrm{E}+18 \quad-1.90 \quad 2.975 \mathrm{E}+03$ rev / 0.000E+00 0.00 0.000E+00 /
$\mathrm{ch} 2(\mathrm{~s})+\mathrm{m}=\mathrm{ch} 2+\mathrm{m} \quad 1.000 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 7.161E+15 -0.89 1.143E+04 /
ch2 $(s)+\operatorname{ch} 4=\operatorname{ch} 3+\operatorname{ch} 3 \quad 4.000 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 5.429E+15 -0.89 1.565E+04 /
$\mathrm{ch} 2(\mathrm{~s})+\mathrm{c} 2 \mathrm{~h} 6=\mathrm{ch} 3+\mathrm{c} 2 \mathrm{~h} 5 \quad 1.200 \mathrm{E}+14 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / $1.041 \mathrm{E}+14-0.33 \quad 1.982 \mathrm{E}+04$ /
ch2 (s) +o2 = cotoh+h 7.000E+13 $0.00 \quad 0.000 \mathrm{E}+00$ rev / 0.000E+00 0.00 0.000E+00 /
ch2 (s) s h2 $=$ ch3+h $7.000 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 2.482E+17 -0.89 1.613E+04 /
ch2 (s) th $=$ ch hh2 $3.000 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 1.509E+16 -0.89 1.442E+04 /
ch2 (s) +o $=$ coth+h $3.000 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 0.000E+00 0.00 0.000E+00 /
ch2 $(\mathrm{s})+\mathrm{oh}=\mathrm{ch} 2 \mathrm{oth} \quad 3.000 \mathrm{E}+13 \quad 0.00 \quad 0.000 \mathrm{E}+00$ rev / 3.194E+18 -0.89 8.786E+04 /

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    ch2(s)+co2 = ch2o+co 3.000E+12 0.00 0.000E+00
        rev / 2.852E+15 -0.89 6.552E+04 /
    ch2(s)+ch3 = c2h4+h 2.000E+13 0.00 0.000E+00
        rev / 2.671E+15 -0.06 6.884E+04 /
    ch2(s)+ch2co = c2h4+co 1.600E+14 0.00 0.000E+00
        rev / 4.596E+15 -0.06 1.056E+05 /
    c2h3+o2 = ch2cho+o 3.500E+14 -0.61 5.260E+03
        rev / 2.589E+12 0.12 6.459E+03 /
!SanDiego
    o+oh+m = ho2 +m 8.000E+15 0.000 0.00
        ar/0.75/ he/0.75/ h2/2.50/ h2o/12.00/ co/1.90/ co2/3.80/
        ho2+h = h20+o 3.100E+13 0.000 1720.84
    ch3+h = t-ch2+h2 1.800E+14 0.000 15105.16
    ch3+t-ch2 = c2h4+h 4.220E+13 0.000 0.00
    ch2(s)+m = t-ch2+m 6.000E+12 0.000 0.00
        h2/2.40/ h2o/15.40/ co/1.80/ co2/3.60/
    t-ch2+h=ch+h2 6.020E+12 0.000 -1787.76
    t-ch2+oh = ch2o+h 2.500E+13 0.000 0.00
    t-ch2+oh = ch+h2o 1.130E+07 2.000 2999.52
    t-ch2+o = co+2 h 8.000E+13 0.000 0.00
    t-ch2+o = co+h2 4.000E+13 0.000 0.00
    t-ch2+o2 = co2+h2 2.630E+12 0.000 1491.40
    t-ch2+o2 = co+oh+h 6.580\textrm{E}+12
    2 t-ch2 = c2h2+2 h 1.000E+14 0.000 0.00
    ch+o = co+h 4.000E+13 0.000 0.00
    ch+h2o = ch2o+h 1.170E+15 -0.750 0.00
    ch+co2 = hco+co 4.800E+01 3.220 -3226.58
    ch30+h = ch20+h2 2.000E+13 0.000 0.00
    ch3o+h = ch2(s)+h2o 1.600E+13 0.000 0.00
    ch3o+oh = ch2o+h2o 5.000E+12 0.000 0.00
    ch30+o = oh+ch2o 1.000E+13 0.000 0.00
    c2h5+h = c2h4+h2 3.000E+13 0.000 0.00
    c2h5+o = c2h4+oh 3.060E+13 0.000 0.00
    c2h5+o=ch3+ch2o 4.240E+13 0.000 0.00
    c2h4ooh+o2 = oc2h3ooh+oh 7.500E+05 1.300 -5799.95
    oc2h3ooh = ch2o+hco+oh 1.000E+15 0.000 43000.00
    c2h4+ho2 = c2h4o+oh 2.230E+12 0.000 17189.29
    c2h4o+ho2 = ch3+co+h2o2 4.000E+12 0.000 17007.65
    c2h2+o = t-ch2+co 1.600E+14 0.000 9894.84
    c2h2+o2 = ch2o+co 4.600E+15 -0.540 44933.08
    ch2co+o = t-ch2+co2 2.000E+13 0.000 2294.46
    ch2co+ch3 = c2h5+co 9.000E+10 0.000 0.00
    hcco+oh = hco+co+h 2.000E+12 0.000 0.00
    hcco+o2 = 2 co+oh 2.880E+07 1.700 1001.43
    hcco+o2 = co2+co+h 1.400E+07 1.700 1001.43
    c2h+oh = hcco+h 2.000E+13 0.000 0.00
    c2h+o2 = hcco+o 6.020E+11 0.000 0.00
    c2h+o2 = ch+co2 4.500E+15 0.000 25095.60
    ch2oh+h = ch2o+h2 3.000E+13 0.000 0.00
    ch2oh+h = ch3+oh 2.500E+17 -0.930 5126.91
    ch2oh+oh = ch2o+h2o 2.400E+13 0.000 0.00
    ch3o+m = ch2oh+m 1.000E+14 0.000 19120.46
        ar/0.70/ h2/2.00/ h20/6.00/ co/1.50/ co2/2.00/ ch4/2.00/
    ch2cho+h = ch3+hco 5.000E+13 0.000 0.00
    ch2cho+h = ch2co+h2 2.000E+13 0.000 0.00
    ch2cho+o = ch2o+hco 1.000E+14 0.000 0.00
    ch2cho+oh = ch2co+h2o 3.000E+13 0.000 0.00
    ch2cho+ch3 = c2h5+co+h 4.900E+14 -0.500 0.00
    ch2cho+ho2 = ch2o+hco+oh 7.000E+12 0.000 0.00
    ch2cho+ho2 = ch3cho+o2 3.000E+12 0.000 0.00
    ch2cho = ch3+co 1.170E+43 -9.800 43799.95
    ch3cho+o = ch2cho+oh 3.720E+13 -0.200 3559.99
    ch3cho+h = ch2cho+h2 1.850E+12 0.400 5359.94
    ch3cho+ch3 = ch2cho+ch4 2.450E+01 3.100 5729.92
    ch3cho+ho2 = ch2cho+h202 2.320E+11 0.400 14900.10
    c2h5oh+oh = ch2ch2oh+h2o 1.810E+11 0.400 717.02
    c2h5oh+oh = ch3choh+h2o 3.090E+10 0.500 -380.02
    c2h5oh+oh = ch3ch2o+h2o 1.050E+10 0.800 717.02
    c2h5oh+h = ch2ch2oh+h2 1.900E+07 1.800 5099.90
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c2h5oh+h = ch3choh+h2 2.580E+07 1.600 2830.07
c2h5oh+h = ch3ch2o+h2 1.500E+07 1.600 3039.91
c2h5oh+o = ch2ch2oh+oh 9.410E+07 1.700 5460.09
c2h5oh+o = ch3choh+oh 1.880E+07 1.900 1820.03
c2h5oh+o = ch3ch2o+oh 1.580E+07 2.000 4450.05
c2h5oh+ch3 = ch2ch2oh+ch4 2.190E+02 3.200 9619.98
c2h5oh+ch3 = ch3choh+ch4 7.280E+02 3.000 7950.05
c2h5oh+ch3 = ch3ch2o+ch4 1.450E+02 3.000 7650.10
c2h5oh+ho2 = ch3choh+h2o2 8.200e+03 2.500 10799.95
c2h5oh+ho2 = ch2ch2oh+h2o2 2.430E+04 2.500 15799.95
c2h5oh+ho2 = ch3ch2o+h2o2 3.800E+12 0.000 24000.00
c2h4+oh = ch2ch2oh 2.410E+11 0.000 -2380.02
c2h5+ho2 = ch3ch2o+oh 4.000E+13 0.000 0.00
ch3ch2o+m = ch3cho+h+m 5.600E+34 -5.900 25299.95
    ar/0.70/ h2/2.00/ h20/6.00/ co/1.50/ co2/2.00/ ch4/2.00/
ch3ch2o+m = ch3+ch2o+m 5.350E+37 -7.000 23799.95
    ar/0.70/ h2/2.00/ h2o/6.00/ co/1.50/ co2/2.00/ ch4/2.00/
ch3ch2o+o2 = ch3cho+ho2 4.000E+10 0.000 1099.90
ch3ch2o+co = c2h5+co2 4.680E+02 3.200 5380.02
ch3ch2o+h = ch3+ch2oh 3.000E+13 0.000 0.00
ch3ch2o+h = c2h4+h2o 3.000E+13 0.000 0.00
ch3ch2o+oh = ch3cho+h2o 1.000E+13 0.000 0.00
ch3choh+o2 = ch3cho+ho2 4.820E+13 0.000 5020.08
ch3choh+o = ch3cho+oh 1.000E+14 0.000 0.00
ch3choh+h = c2h4+h2o 3.000E+13 0.000 0.00
ch3choh+h = ch3+ch2oh 3.000E+13 0.000 0.00
ch3choh+ho2 = ch3cho+2 oh 4.000E+13 0.000 0.00
ch3choh+oh = ch3cho+h2o 5.000E+12 0.000 0.00
ch3choh+m = ch3cho+h+m 1.000E+14 0.000 25000.00
    ar/0.70/ h2/2.00/ h2o/6.00/ co/1.50/ co2/2.00/ ch4/2.00/
c3h4+o = c2h4+co 2.000E+07 1.800 1000.00
ch3+c2h2 = c3h4+h 2.560E+09 1.100 13643.88
c3h4+o = hcco+ch3 7.300E+12 0.000 2250.0
c3h3+h(+m) = c3h4(+m) 3.000E+13 0.000 0.00
    low/ 9.000E+15 1.000 0.00/
    troe/ 0.5 1E+30 1E-30/
c3h3+ho2 = c3h4+o2 2.500E+12 0.000 0.00
c3h4+oh = c3h3+h2o 5.300E+06 2.000 2000.00
c3h3+o2 = ch2co+hco 3.000E+10 0.000 2868.07
c3h4+h(+m)=c3h5(+m) 4.000E+13 0.000 0.00
    low/ 3.000E+24 -2.000 0.00/
    troe/ 0.8 1E+30 1E-30/
c3h5+h = c3h4+h2 1.800E+13 0.000 0.00
c3h5+o2 = c3h4+ho2 4.990E+15 -1.400 22428.06
c3h5+ch3 = c3h4+ch4 3.000E+12 -0.320 -130.98
c2h2+ch3(+m) = c3h5 (+m) 6.000E+08 0.000 0.00
    low/ 2.000E+09 1.000 0.00/
    troe/ 0.5 1E+30 1E-30/
c3h5+oh = c3h4+h2o 6.000E+12 0.000 0.00
c3h3+hco = c3h4+co 2.500E+13 0.000 0.00
c3h3+ho2 = oh+co+c2h3 8.000E+11 0.000 0.00
c3h4+o2 = ch3+hco+co 4.000E+14 0.000 41826.00
c3h6+o = c2h5+hco 3.500E+07 1.650 -972.75
c3h6+oh = c3h5+h2o 3.100E+06 2.000 -298.28
c3h6+o = ch2co+ch3+h 1.200E+08 1.650 327.44
c3h6+h = c3h5+h2 1.700e05 2.500 2492.83
c3h5+h(+m) = c3h6(+m) 2.000E+14 0.000 0.00
    ar/0.70/ h2/2.00/ h20/6.00/ co/1.50/ co2/2.00/ ch4/2.00/ c2h6/3.00/
    low/ 1.330E+60 -12.000 5967.97 /
    troe/ 0.02 1097 1097 6860 /
c3h5+ho2 = c3h6+o2 2.660E+12 0.000 0.00
c3h5+ho2 = oh+c2h3+ch2o 3.000E+12 0.000 0.00
c2h3+ch3(+m) = c3h6(+m) 2.500E+13 0.000 0.00
    ar/0.70/ h2/2.00/ h20/6.00/ co/1.50/ co2/2.00/ ch4/2.00/ c2h6/3.00/
    low/ 4.270E+58 -11.940 9770.55 /
    troe/ 0.175 1341 6E+04 1.014E+04 /
c3h6+h = c2h4+ch3 1.600E+22 -2.390 11185.47
ch3+c2h3 = c3h5+h 1.500E+24 -2.830 18618.55
c3h8(+m) = ch3+c2h5 (+m) 1.100E+17 0.000 84392.93
    low/ 7.830E+18 0.000 64978.01 /
```

```
    troe/ 0.76 1.9E+03 38 /
    c3h8+o2 = i-c3h7+ho2 4.000E+13 0.000 47500.00
    c3h8+o2 = n-c3h7+ho2 4.000E+13 0.000 50932.12
    c3h8+h = i-c3h7+h2 1.300E+06 2.400 4471.08
    c3h8+h = n-c3h7+h2 1.330E+06 2.540 6761.47
    c3h8+o = i-c3h7+oh 4.760E+04 2.710 2107.31
    c3h8+o = n-c3h7+oh 1.900E+05 2.680 3718.45
    c3h8+oh = n-c3h7+h2o 1.000E+10 1.000 1599.90
    c3h8+oh = i-c3h7+h20 2.000E+07 -1.600 -99.90
    c3h8+ho2 = i-c3h7+h2o2 9.640E+03 2.600 13917.30
    c3h8+ho2 = n-c3h7+h2o2 4.760E+04 2.550 16491.40
    i-c3h7+c3h8 = n-c3h7+c3h8 8.400E-03 4.200 8675.91
    c3h6+h(+m) = i-c3h7(+m) 1.330E+13 0.000 1560.71
    ar/0.70/ h2/2.00/ h20/6.00/ co/1.50/ co2/2.00/ ch4/2.00/ c2h6/3.00/
    low/ 8.700E+42 -7.500 4732.31 /
    troe/ 1 1000 645.4 6844 /
    i-c3h7+o2 = c3h6+ho2 1.300E+11 0.000 0.00
    n-c3h7(+m) = ch3+c2h4(+m) 1.230E+13 -0.100 30210.33
    low/ 5.490E+49 -10.000 35778.92 /
    troe/ -1.17 251 1E-15 1185 /
    h+c3h6(+m) = n-c3h7(+m) 1.330E+13 0.000 3260.04
    ar/0.70/ h2/2.00/ h20/6.00/ co/1.50/ co2/2.00/ch4/2.00/c2h6/3.00/
    low/ 6.260E+38 -6.660 7000.48 /
    troe/ 1 1000 1310 4.81E+04 /
    n-c3h7+o2 = c3h6+ho2 3.500E+16 -1.600 3500.00
    n-c3h7+o2 = c3h6ooh 2.000E+12 0.000 0.00
    c3h6ooh = c3h6+ho2 2.500E+35 -8.300 22000.00
    c3h60oh+o2 = oc3h50oh+oh 1.500E+08 0.000 -7000.00
    oc3h5ooh = ch2cho+ch2o+oh 1.000E+15 0.000 43000.00
end
```


## Appendix D

## XAsr

## Siphon-fed Round

DESIGN FEATURES

- Lowest flow available
- Very fine atomization
- Narrow spray angle $\left(12^{\circ}-22^{\circ}\right)$

Full cone pattern

- Short to moderate forward spray projection


Dimensions are approximate. Check with BETE for critical dimension applications.
XA SR Set-up Flow Rates and Dimensions
Siphon-fed, External Mix, Round Spray Pattern, $1 / 8^{n}$ and $1 / 4^{\prime \prime}$ Pipe Sizes

| Pipe | Spray Set-up Number | $\begin{aligned} & \text { Fluid } \\ & \text { and } \\ & \text { Air Cap } \\ & \text { Numbers } \end{aligned}$ | $\underset{\text { AIR }}{\text { ATOMIZING }}$ |  | Liquid Capacity in GPH (Gallons Per Hour) |  |  |  |  |  |  |  | Spray Dimensions at $8^{*}$ Siphon Height |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | PSI air | $\begin{aligned} & \text { Capacity } \\ & \text { SCFM } \end{aligned}$ | $18^{\circ}$ | $12^{\prime \prime}$ | $6^{*}$ | $4^{+}$ | 8 | 12" | $24^{*}$ | $36^{\prime}$ | $\begin{aligned} & \text { PSI } \\ & \text { air } \end{aligned}$ | $\begin{aligned} & \text { Angle } \\ & \text { deg. } \end{aligned}$ | $\begin{aligned} & \text { B } \\ & \text { in. } \end{aligned}$ | $\underset{\text { foet }}{\text { D }}$ |
|  | SR 050 | Fluid Cap FC7 ir Cap AC1201 | $\begin{aligned} & 10 \\ & 20 \\ & 40 \\ & 60 \end{aligned}$ | $\begin{aligned} & 0.4 \\ & 0.6 \\ & 1.0 \\ & 1.3 \end{aligned}$ | $\begin{aligned} & 0.4 \\ & 0.5 \\ & 0.5 \\ & 0.6 \end{aligned}$ | $\begin{aligned} & 0.4 \\ & 0.4 \\ & 0.5 \\ & 0.5 \end{aligned}$ | $\begin{aligned} & 0.3 \\ & 0.4 \\ & 0.5 \\ & 0.5 \end{aligned}$ | $\begin{aligned} & 0.2 \\ & 0.3 \\ & 0.4 \\ & 0.4 \end{aligned}$ | $\begin{aligned} & 0.2 \\ & 0.3 \\ & 0.4 \\ & 0.4 \end{aligned}$ | $\begin{aligned} & 0.1 \\ & 0.3 \\ & 0.4 \\ & 0.4 \end{aligned}$ | 0.1 0.3 0.3 | 0.2 0.2 | $\begin{aligned} & 10 \\ & 20 \\ & 40 \\ & 60 \end{aligned}$ | $\begin{aligned} & 18 \\ & 18 \\ & 18 \\ & 18 \end{aligned}$ | $\begin{aligned} & 11 \\ & 11 \\ & 12 \\ & 14 \end{aligned}$ | 6 6 7 8 |
|  | SR 150 | $\begin{gathered} \text { Fluid Cap } \\ \text { FC4 } \\ \& \\ \text { Air Cap } \\ \text { AC1201 } \end{gathered}$ | $\begin{aligned} & 10 \\ & 20 \\ & 40 \\ & 60 \end{aligned}$ | $\begin{aligned} & 0.5 \\ & 0.7 \\ & 1.1 \\ & 1.5 \end{aligned}$ | $\begin{aligned} & 0.6 \\ & 0.7 \\ & 0.9 \\ & 1.0 \end{aligned}$ | $\begin{aligned} & 0.6 \\ & 0.7 \\ & 0.8 \\ & 0.9 \end{aligned}$ | $\begin{aligned} & 0.5 \\ & 0.6 \\ & 0.8 \\ & 0.9 \end{aligned}$ | $\begin{aligned} & 0.4 \\ & 0.5 \\ & 0.7 \\ & 0.8 \end{aligned}$ | $\begin{aligned} & 0.3 \\ & 0.5 \\ & 0.7 \\ & 0.8 \end{aligned}$ | $\begin{aligned} & 0.2 \\ & 0.4 \\ & 0.6 \\ & 0.7 \end{aligned}$ | $\begin{aligned} & 0.2 \\ & 0.4 \\ & 0.6 \end{aligned}$ | $\begin{aligned} & 0.1 \\ & 0.3 \\ & 0.4 \end{aligned}$ | $\begin{aligned} & 10 \\ & 20 \\ & 40 \\ & 60 \end{aligned}$ | $\begin{aligned} & 18 \\ & 18 \\ & 18 \\ & 19 \end{aligned}$ | $\begin{aligned} & 12 \\ & 13 \\ & 15 \\ & 17 \end{aligned}$ | 7 8 9 10 |
| 1/8 <br> or 1/4 | SR 200 | Fluid Cap FC4 \& Air Cap AC1202 | $\begin{aligned} & 10 \\ & 20 \\ & 40 \\ & 60 \end{aligned}$ | $\begin{aligned} & 0.8 \\ & 1.2 \\ & 1.9 \\ & 2.7 \end{aligned}$ | $\begin{aligned} & 0.7 \\ & 0.8 \\ & 0.9 \\ & 1.0 \end{aligned}$ | $\begin{aligned} & 0.6 \\ & 0.7 \\ & 0.9 \\ & 1.0 \end{aligned}$ | $\begin{aligned} & 0.5 \\ & 0.6 \\ & 0.8 \\ & 0.9 \end{aligned}$ | $\begin{aligned} & 0.4 \\ & 0.6 \\ & 0.8 \\ & 0.9 \end{aligned}$ | $\begin{aligned} & 0.4 \\ & 0.5 \\ & 0.7 \\ & 0.9 \end{aligned}$ | $\begin{aligned} & 0.3 \\ & 0.4 \\ & 0.7 \\ & 0.8 \end{aligned}$ | $\begin{aligned} & 0.2 \\ & 0.5 \\ & 0.7 \end{aligned}$ | 0.3 0.6 | 10 20 40 60 | $\begin{aligned} & 18 \\ & 18 \\ & 19 \\ & 20 \end{aligned}$ | $\begin{aligned} & 12 \\ & 13 \\ & 15 \\ & 17 \end{aligned}$ | 8 9 11 12 |
|  | SR 250 | $\begin{gathered} \text { Fluid Cap } \\ \text { FC3 } \\ \& \\ \text { Air Cap } \\ \text { AC1202 } \end{gathered}$ | $\begin{aligned} & 10 \\ & 20 \\ & 40 \\ & 60 \end{aligned}$ | $\begin{aligned} & 0.7 \\ & 1.0 \\ & 1.7 \\ & 2.4 \end{aligned}$ | $\begin{aligned} & 1.2 \\ & 1.4 \\ & 1.6 \\ & 1.5 \end{aligned}$ | $\begin{aligned} & 1.1 \\ & 1.3 \\ & 1.5 \\ & 1.4 \end{aligned}$ | $\begin{aligned} & 0.9 \\ & 1.1 \\ & 1.3 \\ & 1.3 \end{aligned}$ | $\begin{aligned} & 0.6 \\ & 0.9 \\ & 1.2 \\ & 1.1 \end{aligned}$ | $\begin{aligned} & 0.5 \\ & 0.8 \\ & 1.1 \\ & 1.0 \end{aligned}$ | $\begin{aligned} & 0.4 \\ & 0.7 \\ & 0.9 \\ & 0.9 \end{aligned}$ | $\begin{aligned} & 0.5 \\ & 0.6 \\ & 0.7 \end{aligned}$ | $\begin{aligned} & 0.3 \\ & 0.5 \end{aligned}$ | $\begin{aligned} & 10 \\ & 20 \\ & 40 \\ & 60 \end{aligned}$ | $\begin{aligned} & 21 \\ & 21 \\ & 21 \\ & 22 \end{aligned}$ | $\begin{aligned} & 15 \\ & 16 \\ & 18 \\ & 20 \end{aligned}$ | 10 11 12 14 |
|  | SR 400 | Fluid Cap FC1 $\stackrel{8}{\&}$ Air Cap AC1204 | $\begin{aligned} & 20 \\ & 40 \\ & 60 \\ & 80 \end{aligned}$ | $\begin{aligned} & 1.9 \\ & 3.0 \\ & 4.1 \\ & 5.2 \end{aligned}$ | $\begin{aligned} & 5.8 \\ & 6.5 \\ & 6.8 \\ & 6.8 \end{aligned}$ | $\begin{aligned} & 5.2 \\ & 6.0 \\ & 6.4 \\ & 6.4 \end{aligned}$ | $\begin{aligned} & 4.2 \\ & 5.1 \\ & 5.6 \\ & 5.8 \end{aligned}$ | $\begin{aligned} & 3.1 \\ & 4.3 \\ & 4.9 \\ & 5.2 \end{aligned}$ | $\begin{aligned} & 2.7 \\ & 3.7 \\ & 4.2 \\ & 4.5 \end{aligned}$ | $\begin{aligned} & 1.9 \\ & 3.0 \\ & 3.5 \\ & 3.9 \end{aligned}$ | $\begin{aligned} & 0.6 \\ & 1.7 \\ & 2.2 \\ & 2.6 \end{aligned}$ | $\begin{aligned} & 0.7 \\ & 1.3 \\ & 1.6 \end{aligned}$ | $\begin{aligned} & 20 \\ & 40 \\ & 60 \\ & 80 \end{aligned}$ | $\begin{aligned} & 17 \\ & 18 \\ & 18 \\ & 19 \end{aligned}$ | $\begin{aligned} & 18 \\ & 20 \\ & 21 \\ & 23 \end{aligned}$ | 12 13 15 16 |
|  | SR 450 | $\begin{aligned} & \text { Fluid Cap } \\ & \text { FC5 } \\ & \& \\ & \text { Air Cap } \\ & \text { AC1205 } \end{aligned}$ | $\begin{aligned} & 30 \\ & 40 \\ & 60 \\ & 80 \end{aligned}$ | 5.3 6.5 8.8 11.1 | 11.6 | 11.4 11.0 | 10.6 10.3 | $\begin{aligned} & 7.2 \\ & 7.8 \\ & 8.3 \\ & 8.3 \end{aligned}$ | $\begin{aligned} & 6.0 \\ & 6.8 \\ & 7.4 \\ & 7.5 \end{aligned}$ | $\begin{aligned} & 4.6 \\ & 5.3 \\ & 6.2 \\ & 6.4 \end{aligned}$ | 3.2 3.6 | 2.2 | 30 40 60 80 | $\begin{aligned} & 20 \\ & 20 \\ & 21 \\ & 22 \end{aligned}$ | 20 21 23 25 | 22 23 25 27 |

Standard Materials: Nickel Plated Brass, 303 Stainless Steel and 316 Stainless Steel.
Spray angle performance varies with pressure. Contact BETE for specific data on critical applications.



xxxiv

| Parts list |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Pos.Nr. | Designation | Nr | Material | Dimensions [in] | Manufacturer/ Notes |
| 1 | Nozzle | 1 | SS |  | Bete |
| 2 | Cooling Plate | 1 | $6061-\mathrm{T} 6$ | $3.00 \times 3.05 \times 0.63$ |  |
| 3 | Tube Fitting | 4 | SS |  | Swagelok SS-200-1-4 |
| 4 | Tube | 1 | SS | $1 / 8 " x 5.5$ |  |
| 5 | Fitting | 2 | SS |  | Swagelok SS-4-HRN-2 |

